

Shower reconstruction and FCAL2 detector calibration

Simon Taylor / JLab

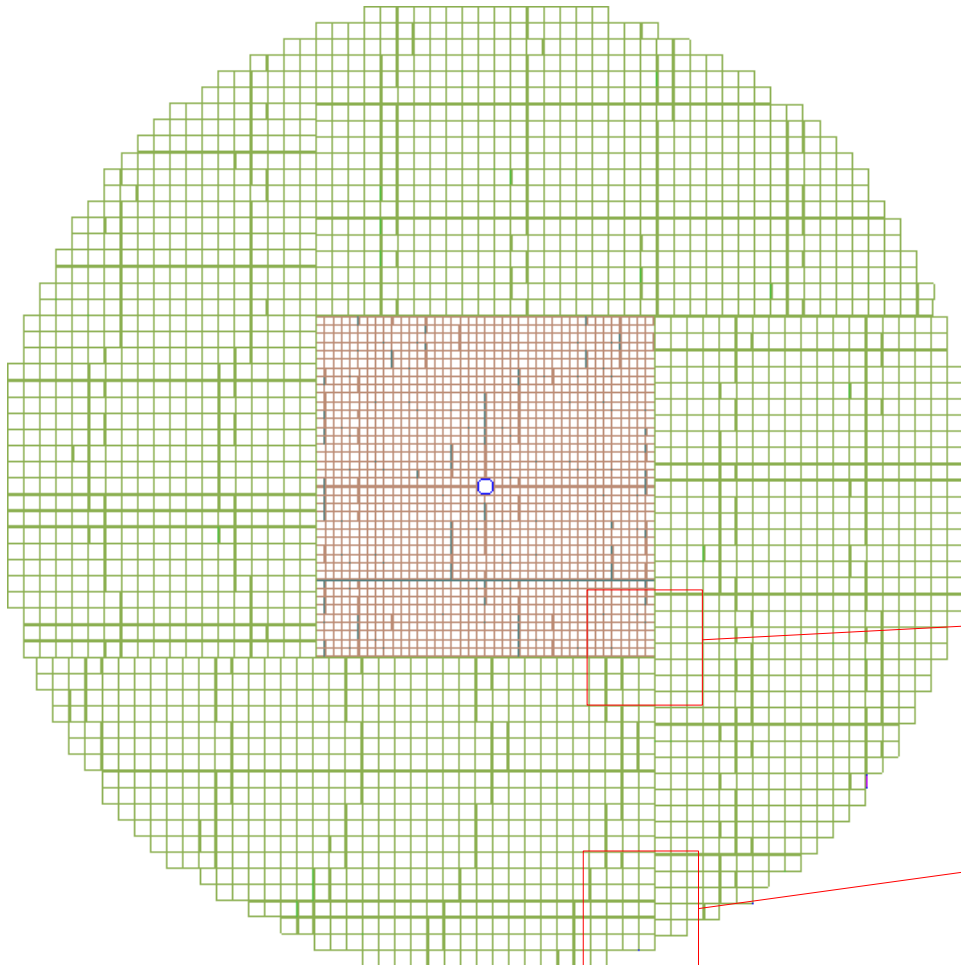
Charge 5

- Geometry
- Low level objects and factories
- Calibration constants
- Monitoring
- Shower reconstruction
- Gain calibrations

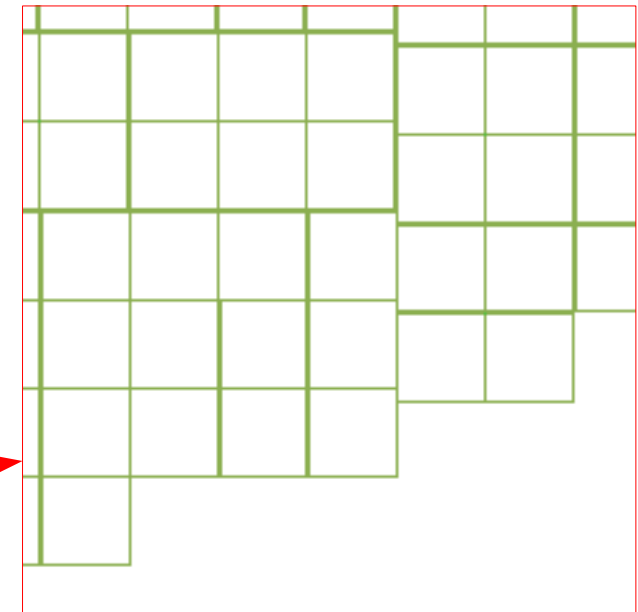
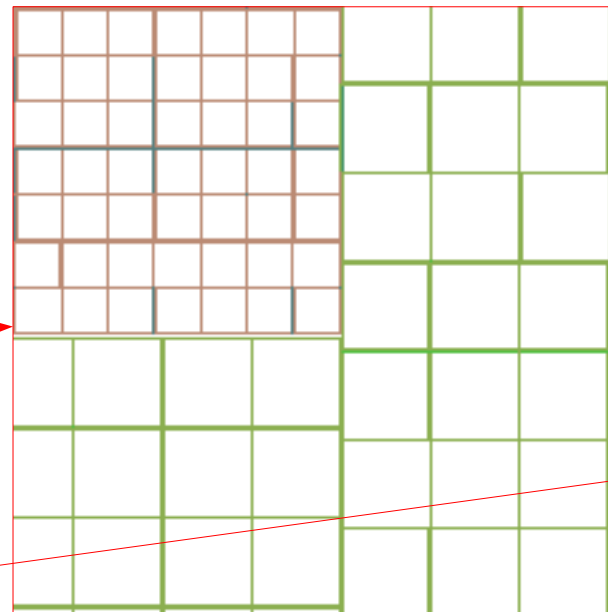
Contributions from Igal Jaegle, Drew Smith, Sasha Somov, and Zhikun Xi

Geometry specification

- Geometry specified in file stored in GlueX calibrations database (ccdb)
 - Positions of **lead glass (FCAL)** and **lead tungstate (ECAL)** modules in rows set according to survey measurements



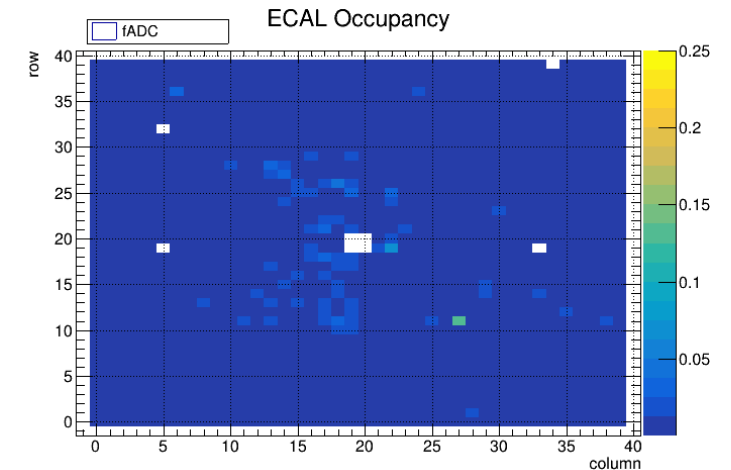
- Geometry file is input to Hall-D GEANT4 simulation
- Geometry file is parsed by reconstruction software
 - Position of each module used in shower reconstruction



Low-level objects and calibration constants

- Code to convert raw FADC data to calibrated hit data and calibration constants for FCAL blocks already in place
 - Used for all previous GlueX running
- Implemented code to convert raw FADC data for ECAL blocks into calibrated hit data in units of energy in GeV and time in ns
 - Tables for ECAL calibration constants stored in Hall-D calibrations database
 - Pedestals, gains, timing constants

Occupancy plot added to monitoring histograms



Cosmic ray events

- Calibrated hits from both FCAL and ECAL: input to shower reconstruction code

Island algorithm for shower reconstruction

- Algorithm based on Lednev, IHEP 93-153

- Shower profile modeled by function $f(r)$

- Lead tungstate: $d=2.05$ cm, $b\sim 0.35$ cm

- Lead glass: $d=4.0$ cm, $b\sim 0.8$ cm

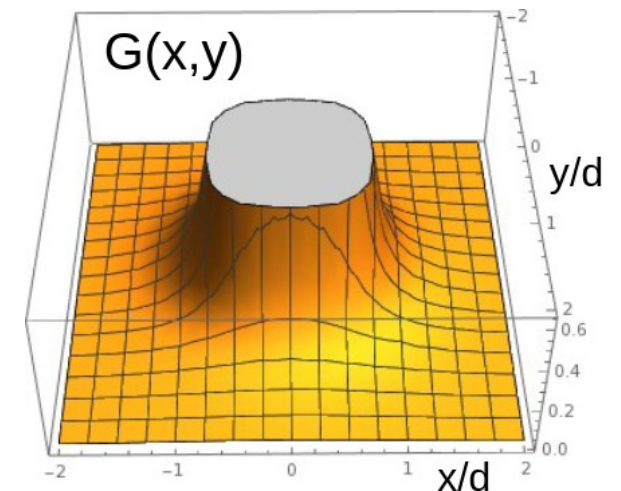
$$f(r) = \frac{ab}{2\pi} (r^2 + b^2)^{-3/2}$$

$$F(x, y) = \frac{a}{2\pi} \arctan \left(\frac{xy}{b\sqrt{b^2 + x^2 + y^2}} \right)$$

- Energy within a single block:

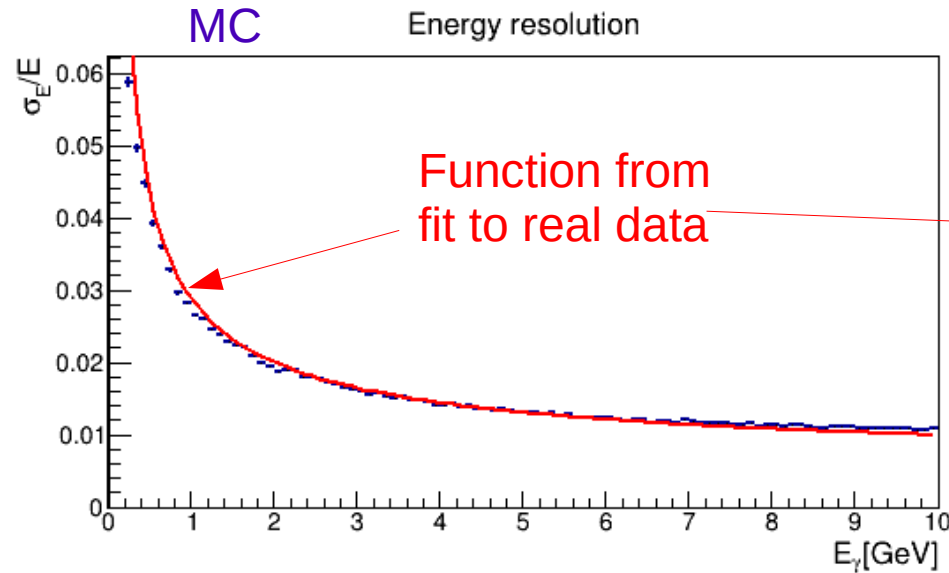
$$G(x, y) = F \left(x + \frac{d}{2}, y + \frac{d}{2} \right) - F \left(x - \frac{d}{2}, y + \frac{d}{2} \right) - F \left(x + \frac{d}{2}, y - \frac{d}{2} \right) + F \left(x - \frac{d}{2}, y - \frac{d}{2} \right)$$

- Look for peaks within cluster of adjacent ECAL/FCAL hits
- Fit with $G(x,y)$ to find center (x_c, y_c) for each peak \Rightarrow photon shower

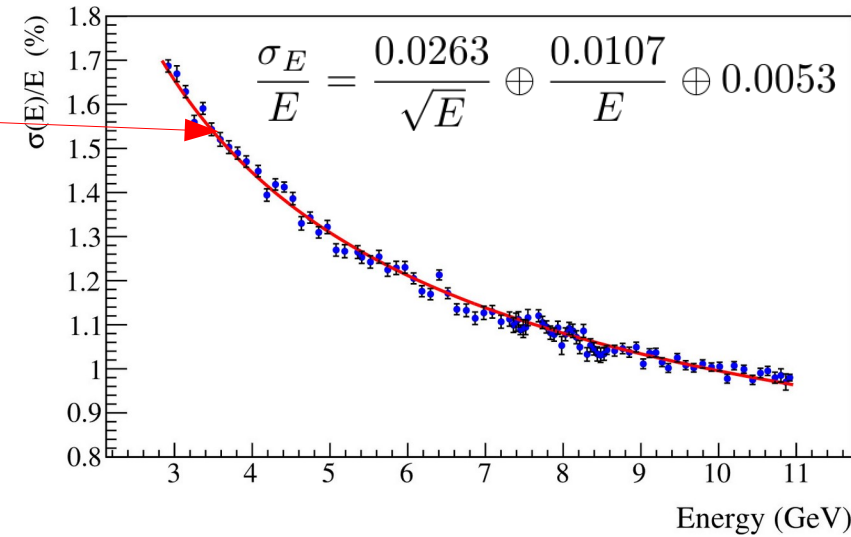


Simulation of single photon events in ECAL

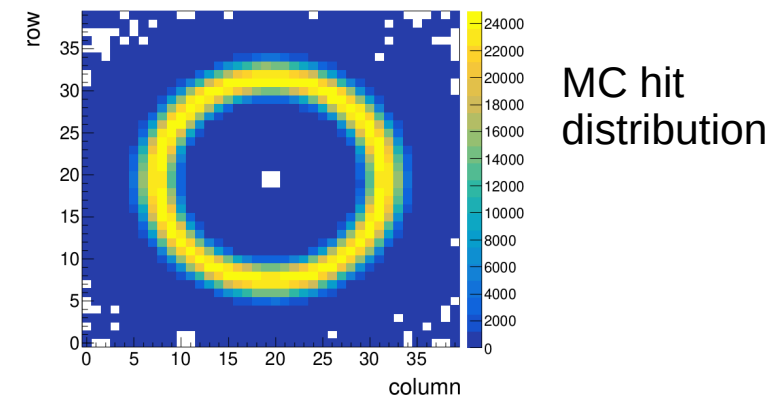
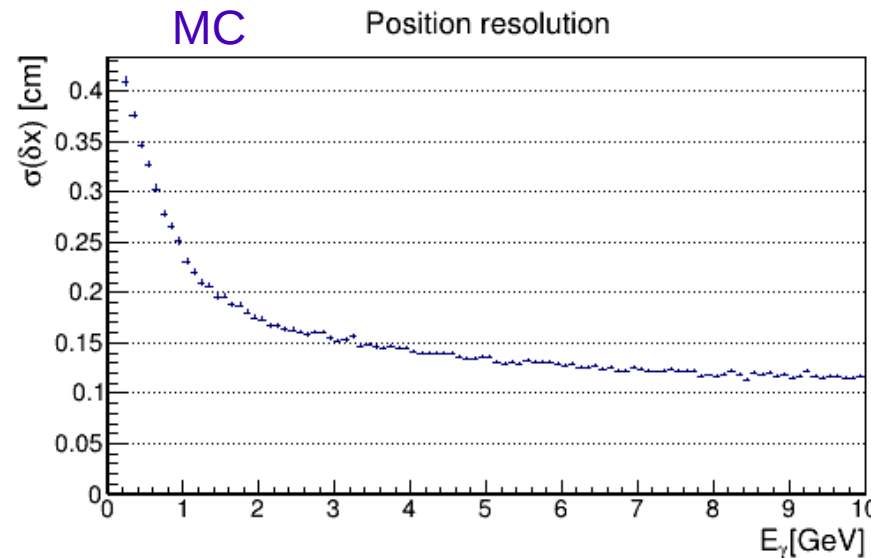
- Simulated photons at $\theta=2.5^\circ$ coming from target region
 - $E_\gamma = 0-10$ GeV
 - Reconstructed energy = sum over all blocks within a cluster



Measurements from Hall-D beam data
A. Asaturyan, et al. NIM A 1013 (2021) 165683

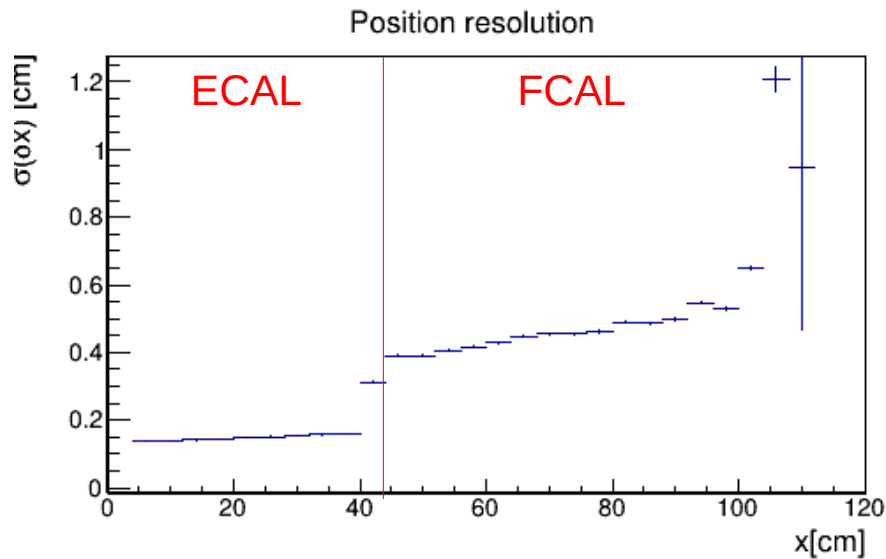
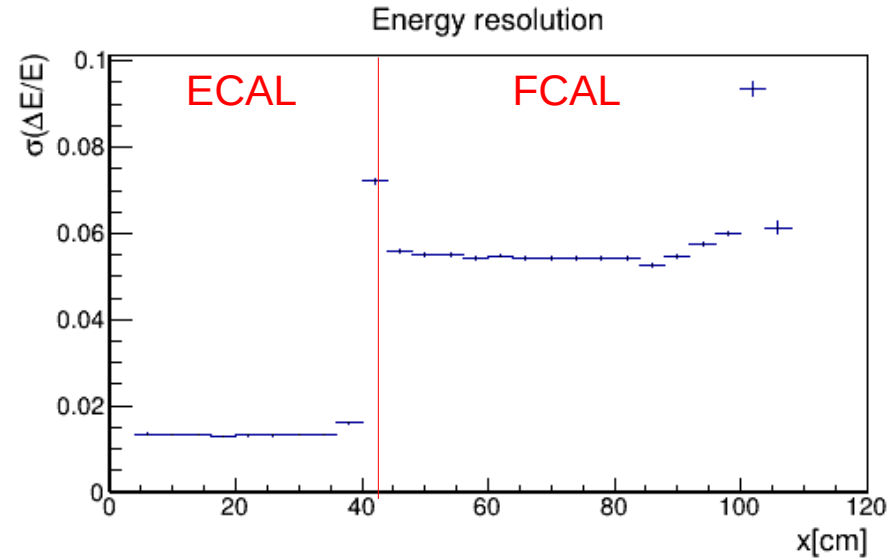


- Shower position: (x_c, y_c) determined from fit over cluster hits using shower shape model

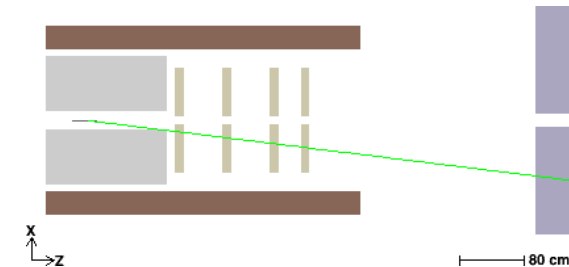
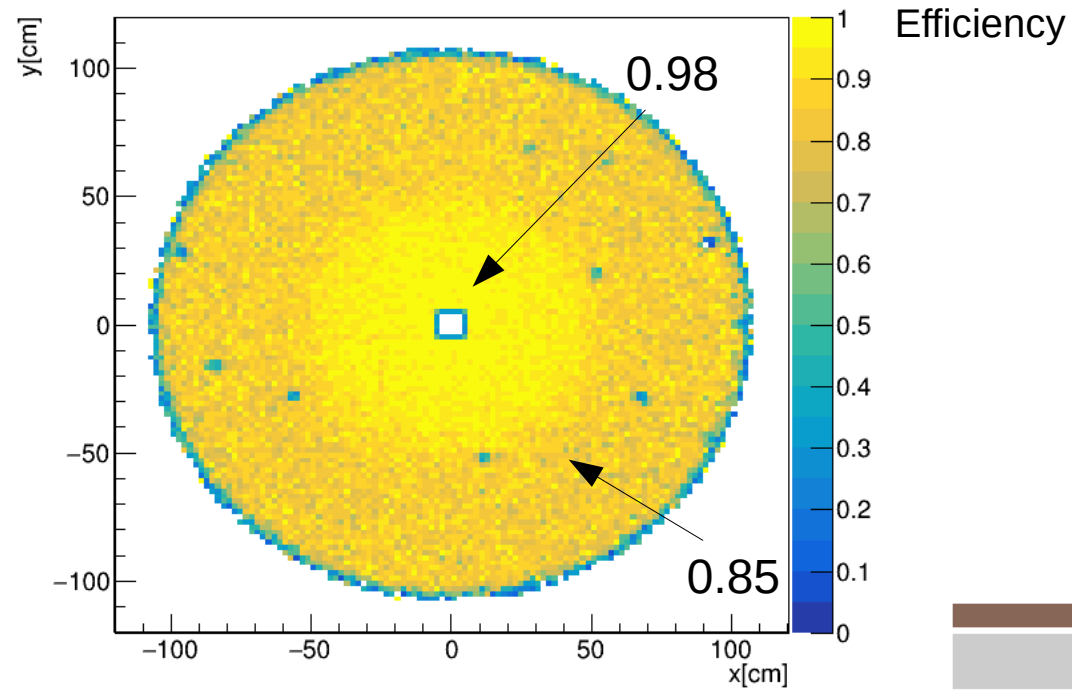


Efficiency and resolution as a function of position

- Simulated 3 GeV photons at $\varphi=0^\circ$



- Simulated 3 GeV photons over all φ
 - Required reconstruction of single shower
 - Used map of FCAL block efficiencies for old GlueX data
 - Drop of efficiency radially due to conversions in material

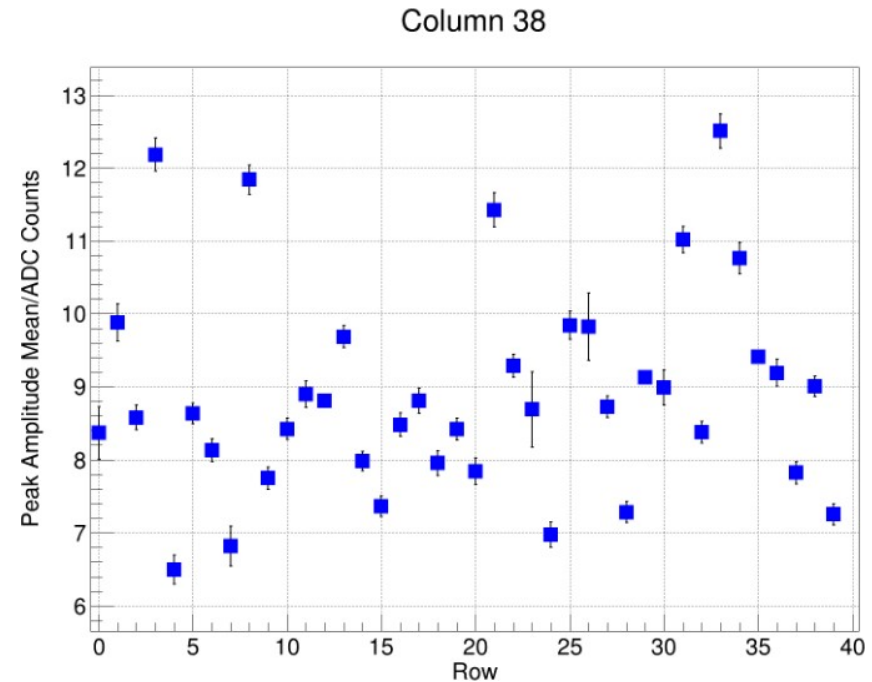
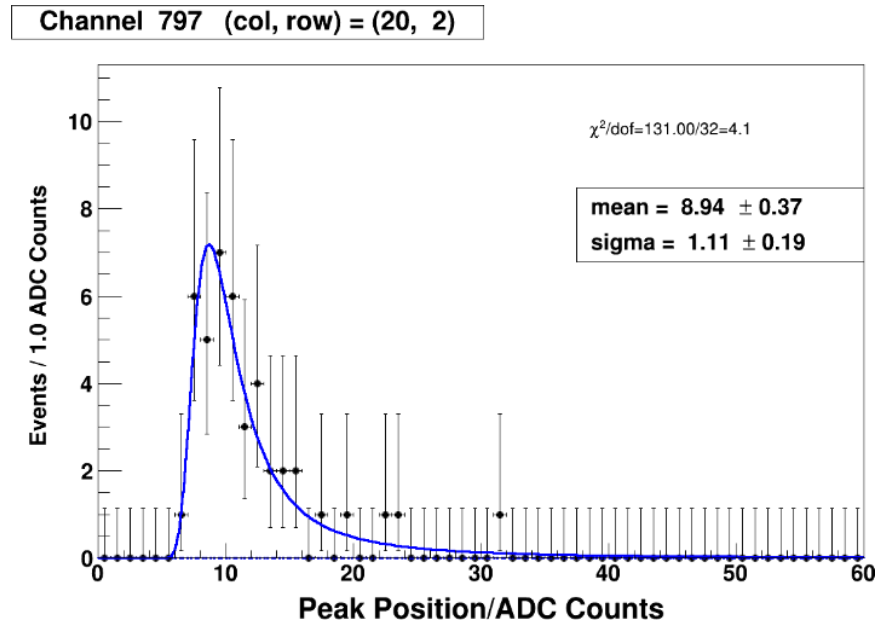


Event sources and calibration procedures

- Cosmic rays
 - Use to set preliminary HV for each channel
- Compton events
 - Usable for ECAL region only
 - Need photon beam, during commissioning period
 - High cross section
 - Refine HV settings near beam line
 - Needed for trigger
- π^0 events
 - Cover ECAL and FCAL
 - Need photon beam
 - Refine HV settings for trigger during commissioning period
 - Iterate to find software gain calibrations
 - 2-3 days data taking + 1 day for analysis
 - Calibrate throughout running period

Cosmic ray events

- Look for muons passing through the ECAL volume
- Fit peak positions with Landau distribution convoluted with a Gaussian
- Set HV on each channel to line peak positions up: $\text{Peak} = A(\text{HV})^\alpha$, $\alpha = 8$

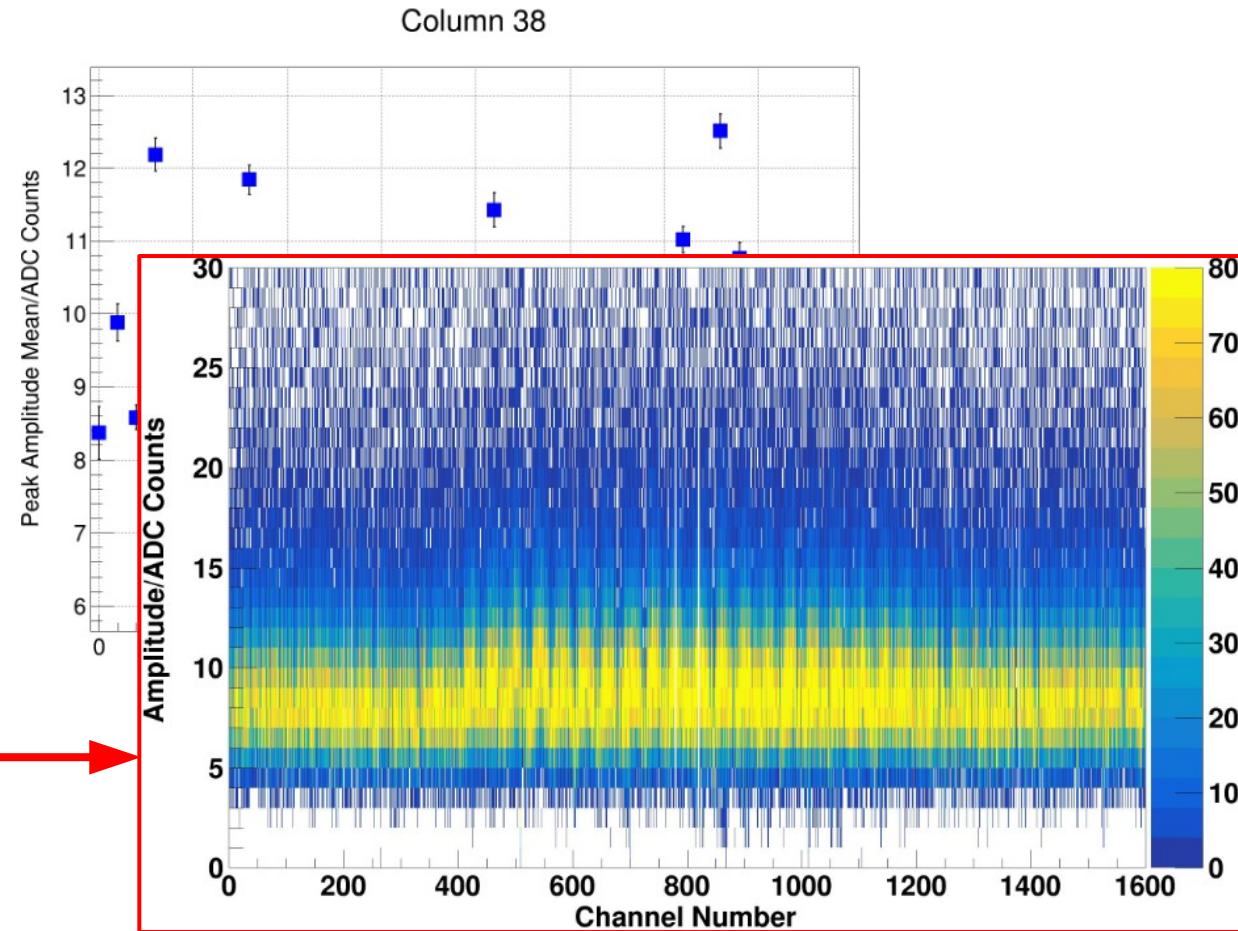
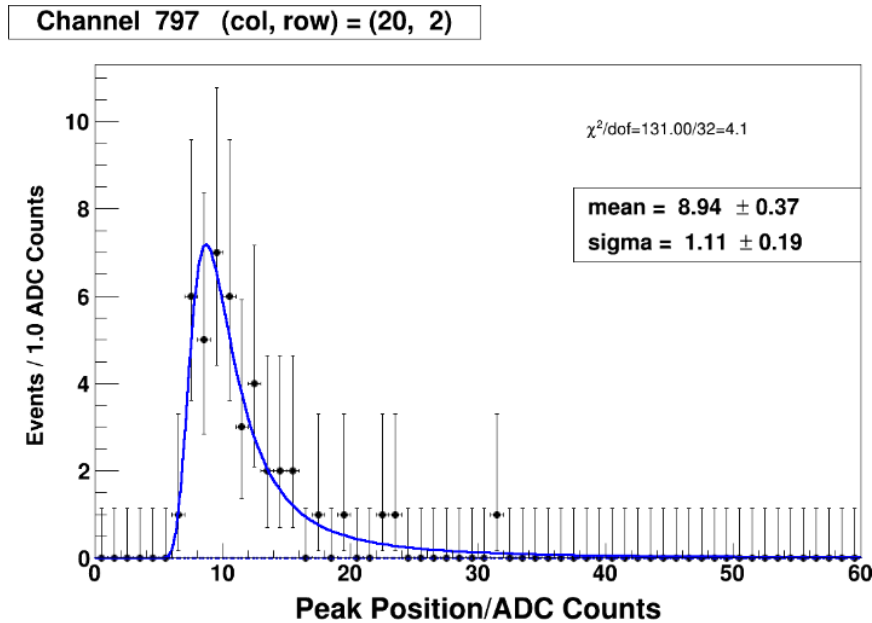


Zhikun Xi

- Procedure has been iterated twice

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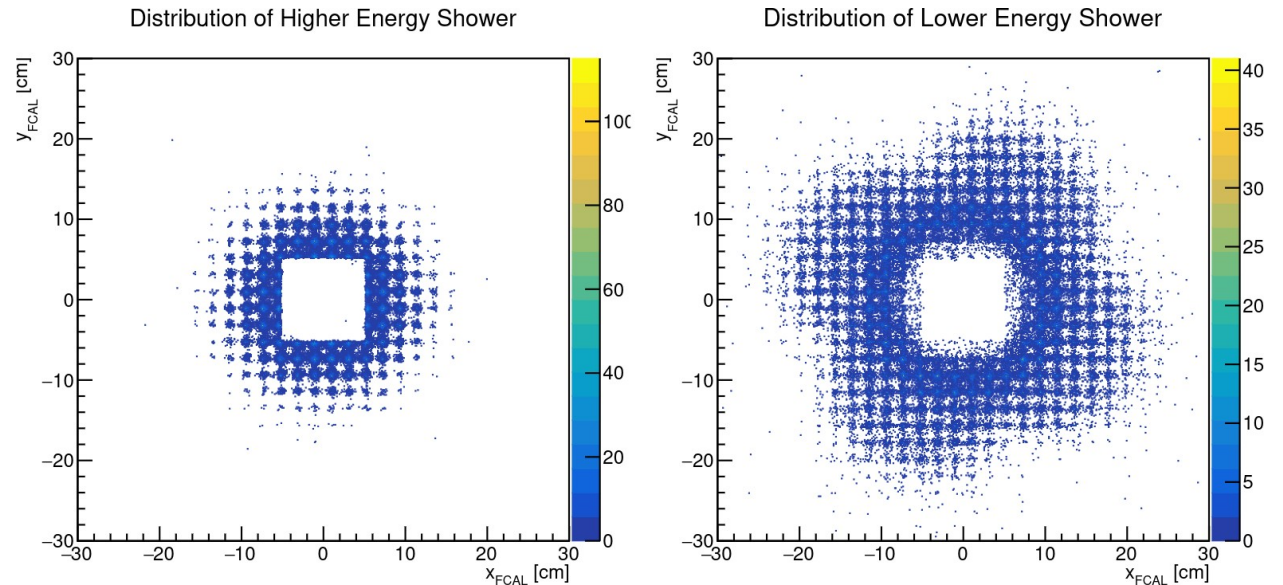
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Compton events

- Hardware gain calibration refinement with beam using Compton scattering off atomic electrons: $\gamma + e \rightarrow \gamma' + e'$
- Simulation of 2-arm Compton events
 - Events generated according to LO (Klein-Nishina) cross section
 - $E_\gamma = 3$ GeV incident beam energy
 - Select events with 2 reconstructed showers
 - $E_{1,2} > 200$ MeV
 - $0.85 < (E_1 + E_2)/E_\gamma < 1.15$
- Considering also using 1-arm events
 - Increased angular coverage
 - ... but also increased background
 - Calibrate detector using ratio of measured energy to calculated energy

$$E'_\gamma = \frac{E_\gamma}{1 + \frac{E_\gamma}{m_e} (1 - \cos \theta_\gamma)}$$

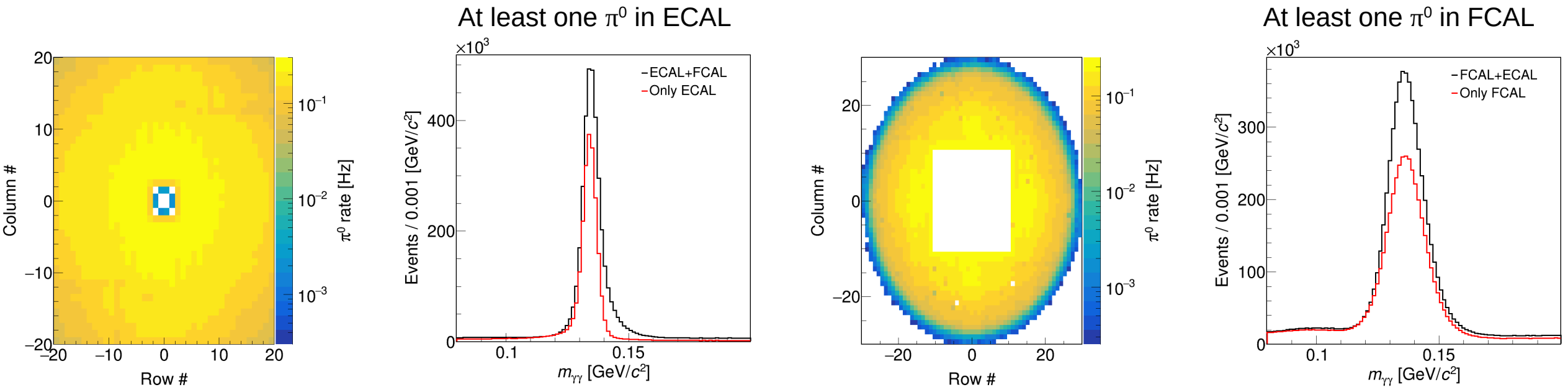
Coverage of 2-arm events



Drew
Smith

Software gain calibration using π^0 events

- Use well-known mass ($m_{\pi^0}=0.135$ GeV) of π^0 mesons \Rightarrow software gain calibration
 - Decay: $\pi^0 \rightarrow \gamma_1 \gamma_2$, $m_{\gamma_1, \gamma_2} = \sqrt{2E_{\gamma_1} E_{\gamma_2} (1 - \cos\theta_{1,2})}$
 - Procedure demonstrated to work for old FCAL-I
 - Apply calibration procedure separately for FCAL and ECAL regions
- Generated $\gamma p \rightarrow p \pi^0 \pi^0$ events with realistic mass and angular distributions



Corresponds to ~3 hrs of data taking

Igal Jaegle

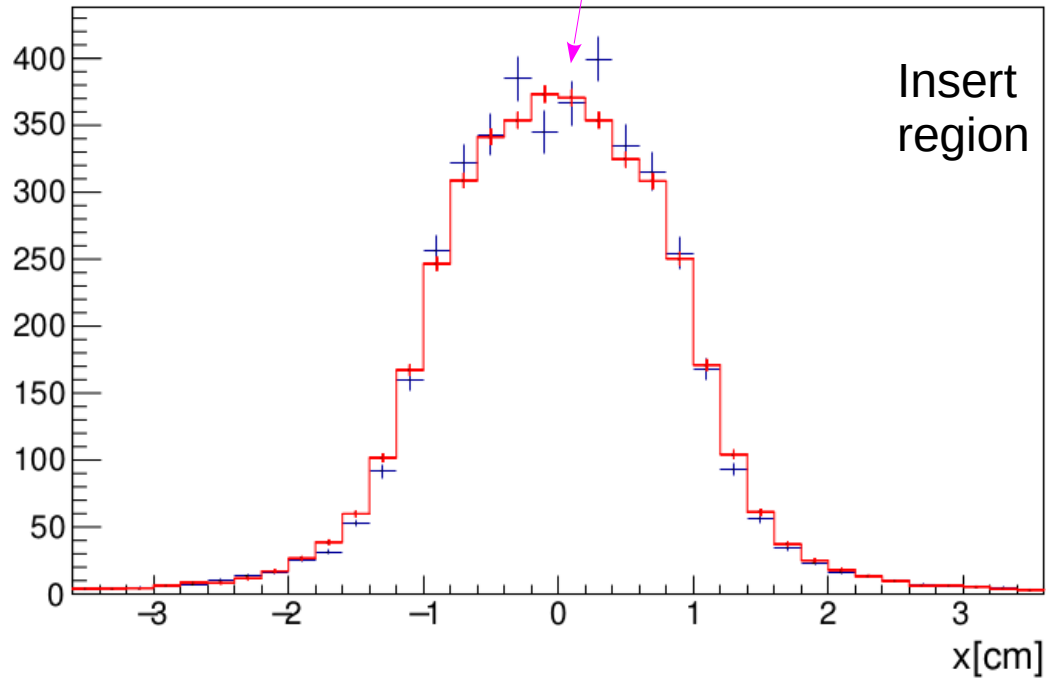
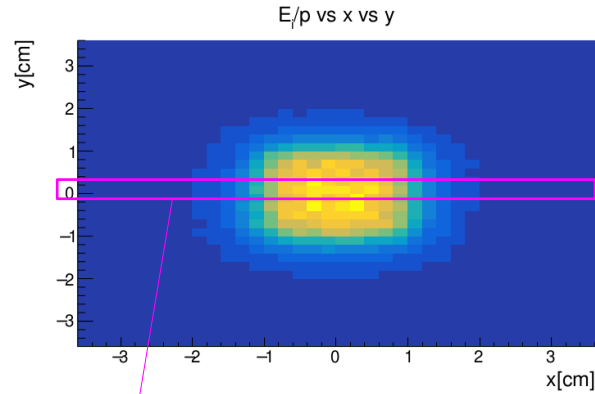
Summary

- Geometry for FCAL-II implemented
- Code for handling low-level objects in place
- Tables for calibration constants in Hall-D database
- Shower reconstruction code ready to go
- Gain calibration procedures have been developed
 - Cosmic ray procedure has been used
 - Calibration using events with π^0 s well-established procedure

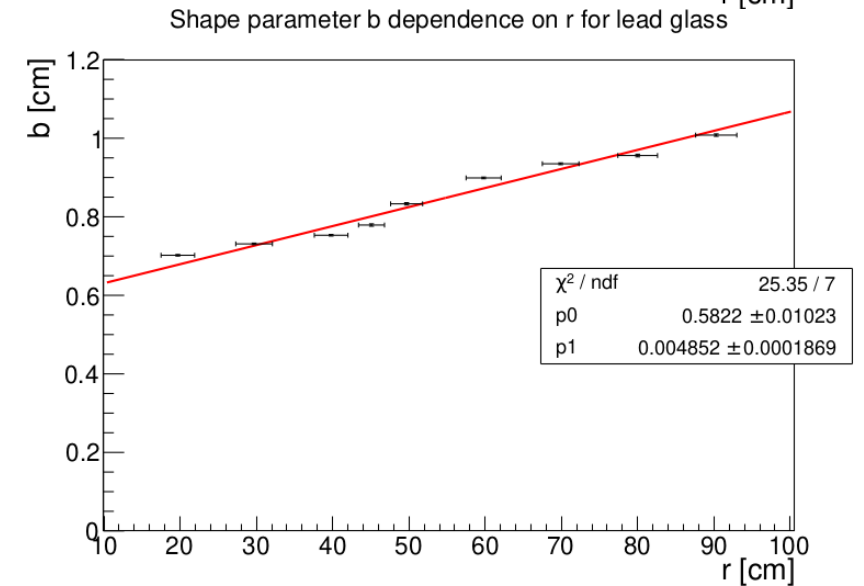
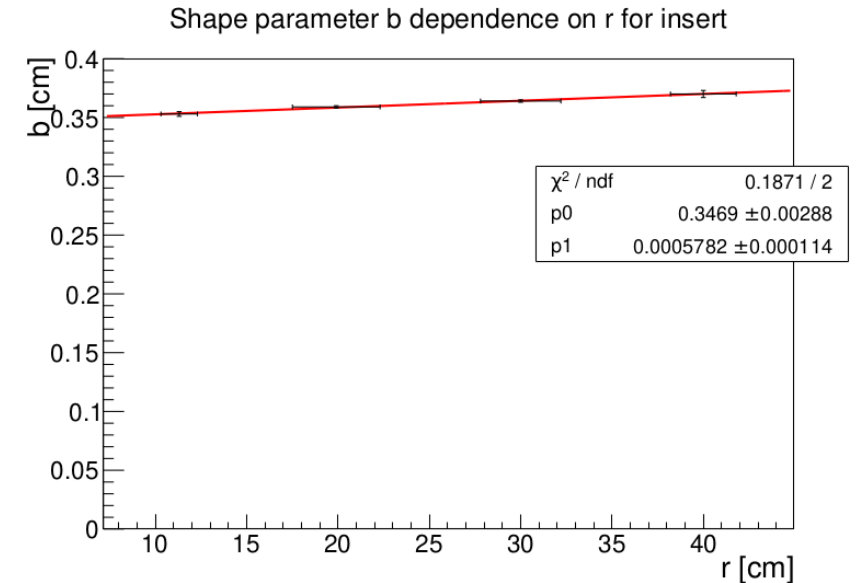
Backup

Shower shape parameter b

- Model for shower shape agrees with simulated hit distributions in ECAL and FCAL



- Shape parameter depends on radius (for photons coming from target region)

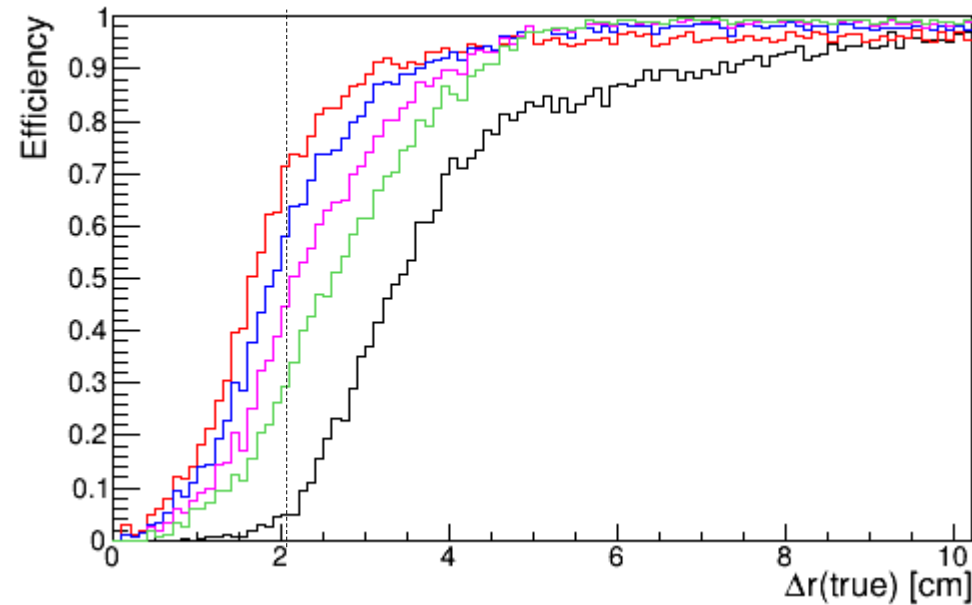
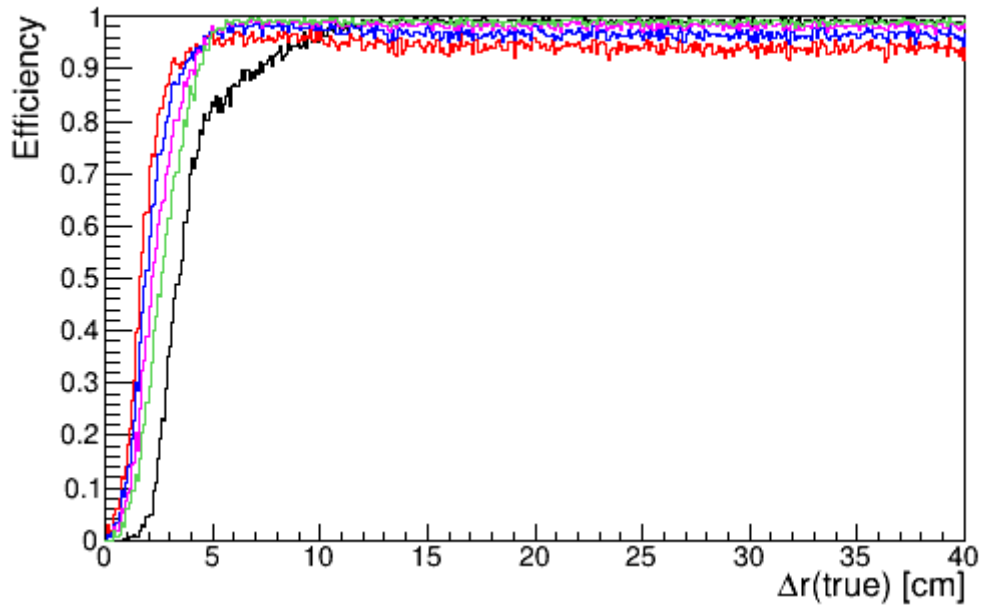


Two cluster separation

- Threw 2 photons towards ECAL from center of target, varying angular separation and energy balance with $E_1 + E_2 = 5$ GeV
- Count number of times reconstruct 2 photons in ECAL
- Island algorithm (IA): cluster splitting controlled by χ^2 margin parameter:
 $(\chi^2/\text{ndf})_{\text{Nshower}+1} + \text{margin} < (\chi^2/\text{ndf})_{\text{Nshower}}$

IA: χ^2 margin=2.5
IA: χ^2 margin=5
IA: χ^2 margin=10
IA: χ^2 margin=20
Old FCAL-I algorithm

$\theta = 3^\circ$ (Insert)



$E_{\text{threshold}} = 0.2$ GeV

Δr = separation between photon shower positions

Gain calibration using π^0 events

- Procedure has already been used to calibrate old FCAL-I
 - Iterative procedure
- Use well-known mass ($m_{\pi^0}=0.135$ GeV) of π^0 mesons to do final software gain calibration
 - Two photons emerge from target region after decay: $\pi^0 \rightarrow \gamma_1 \gamma_2$
 - $E_{\gamma 1}, E_{\gamma 2}$: individual shower energies
 - $\theta_{1,2}$ = angle between showers
- Define ratio used to determine corrected gains:

$$m_{\gamma 1, \gamma 2} = \sqrt{2E_{\gamma 1}E_{\gamma 2}(1 - \cos\theta_{1,2})}$$

$$f_E^2 = \frac{m_{\pi^0}^2}{m_{\gamma 1, \gamma 2}^2} = \frac{E_{\gamma 1}^o E_{\gamma 2}^o}{E_{\gamma 1} E_{\gamma 2}} = \frac{\text{gain}_{\gamma 1}^o \times \text{gain}_{\gamma 2}^o}{\text{gain}_{\gamma 1} \times \text{gain}_{\gamma 2}}$$

$$f_E^2 = \frac{1}{N} \sum_{k \text{ is fixed}} G_k G_i = \frac{G_k}{N} \sum_{k \text{ is fixed}} G_i \approx G_k \times 1$$

- For a fixed central detector of a cluster, looking over all the other clusters
- Correct (software) gain: $\text{gain}^o = \text{gain} \times \frac{m_{\pi^0}^2}{m_{\gamma 1, \gamma 2}^2}$

In practice, for better convergence we use $\text{gain}^o = \text{gain} \times \frac{m_{\pi^0}}{m_{\gamma 1, \gamma 2}}$