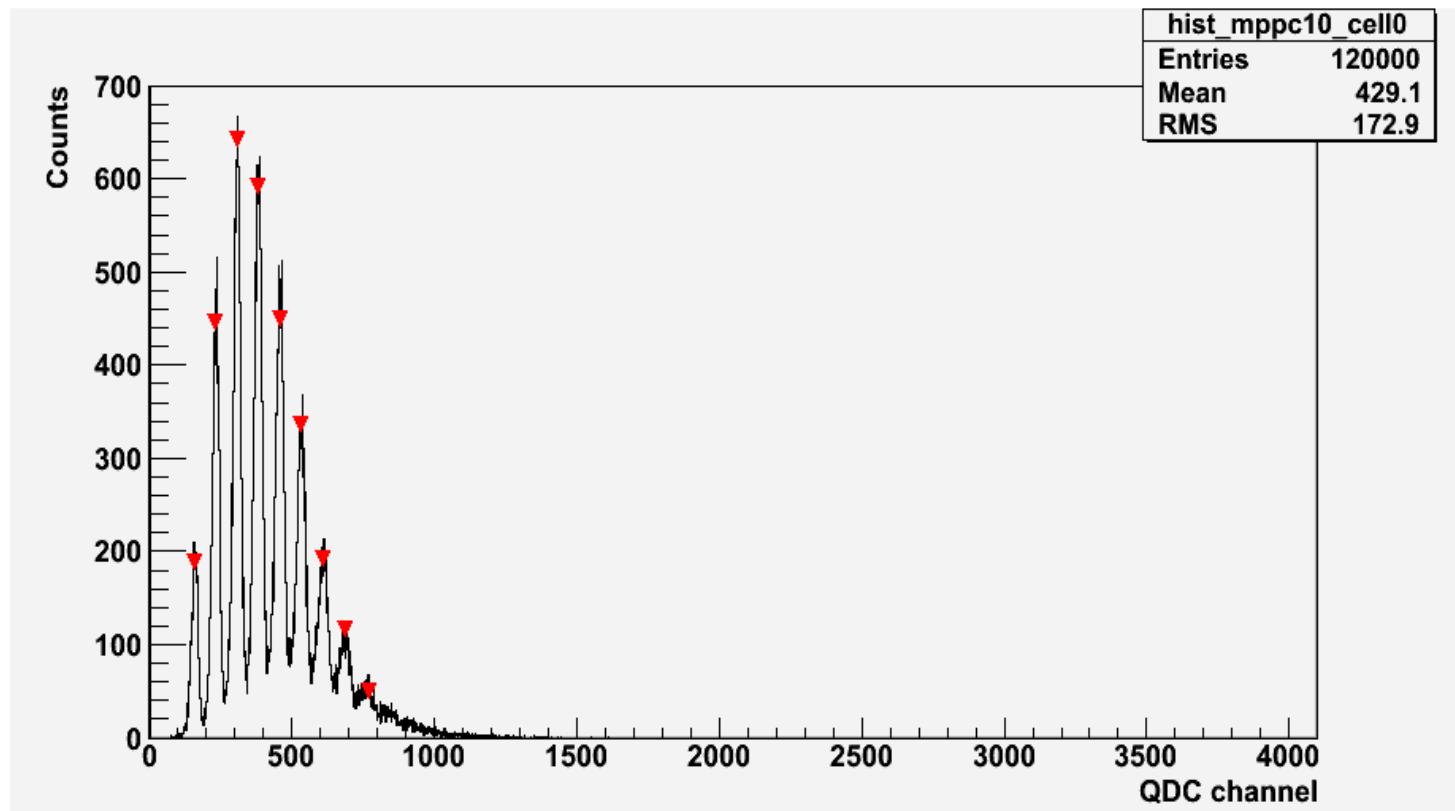


# Operational Voltage Selection. Orlando Soto.

Given a temperature  $T_{USM}$ , for each cell in one MPPC we have histograms at 13 different bias voltages<sup>1</sup>  $V_i$ , starting with corrected Hammamatsu operational voltage<sup>2</sup>, decreasing -0,1 [V] steps.

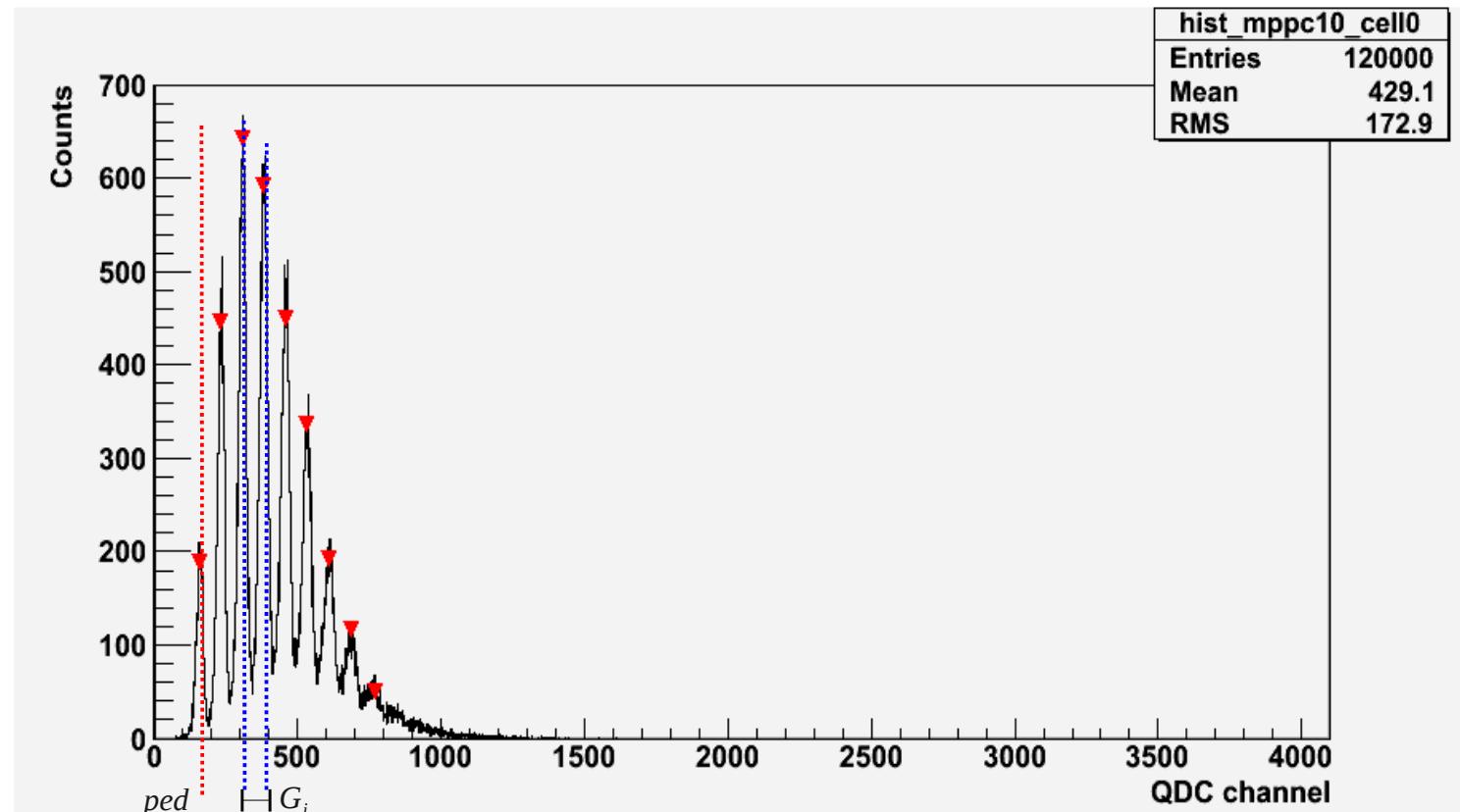


<sup>1</sup>  $V_i = V_0 - 0,1 \cdot i$

<sup>2</sup>temperature correction:

$$\Delta t \cdot 0.056[V] \Rightarrow V_0 = \bar{V}_{hammamatsu} + (25 - T_{usm}) \cdot 0.056$$

From these histograms we get gain ( $G_i$ ), average number of photoelectrons ( $\mu_i$ ), cross-talk probability ( $\Delta\mu_i$ ) according to:

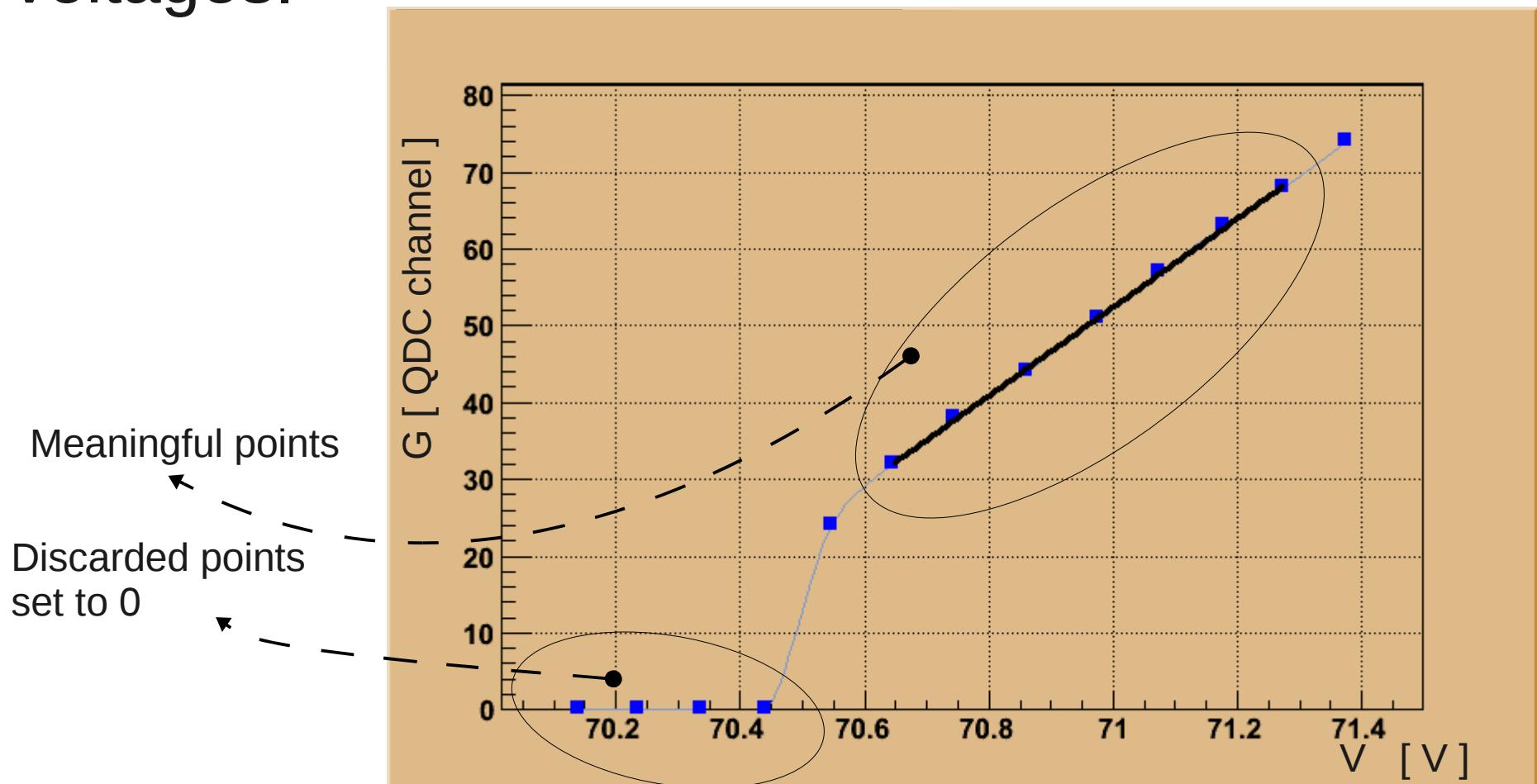


*Mean*  
*RMS*  
*ped*  
 $G_i$

$$\mu_i = \frac{-(RMS^2/G_i - (Mean - ped)/G_i) + \sqrt{((RMS^2/G_i - (Mean - ped)/G_i)^2 + 4 * ((Mean - ped)/G_i)^2)}}{2}$$

$$\Delta\mu_i = \frac{(Mean - ped)}{\mu_i} - 1$$

For each cell we estimate Break Down Voltage from first order polynomial fit over the meaningful voltages.



$$G(V) = p_0 + p_1 \cdot V$$

$$G(V_{BDV}) = 0 \Rightarrow V_{BDV} = -p_0 / p_1$$

The next slides shows the evolution of the dispersion between cells of the same mppc for the quantities: number of photoelectrons, gain, and the product of both quantities, at a given temperature (5 °C, 7 °C, 20 °C).

$$(1) Mean_{\mu_i} = \frac{1}{16} \cdot \sum_{k=1}^{16} \mu_{ik}; \quad RMS_{\mu_i} = \sqrt{\frac{1}{16} \cdot \sum_{k=1}^{16} (\mu_{ik})^2 - Mean_{\mu_i}^2}$$

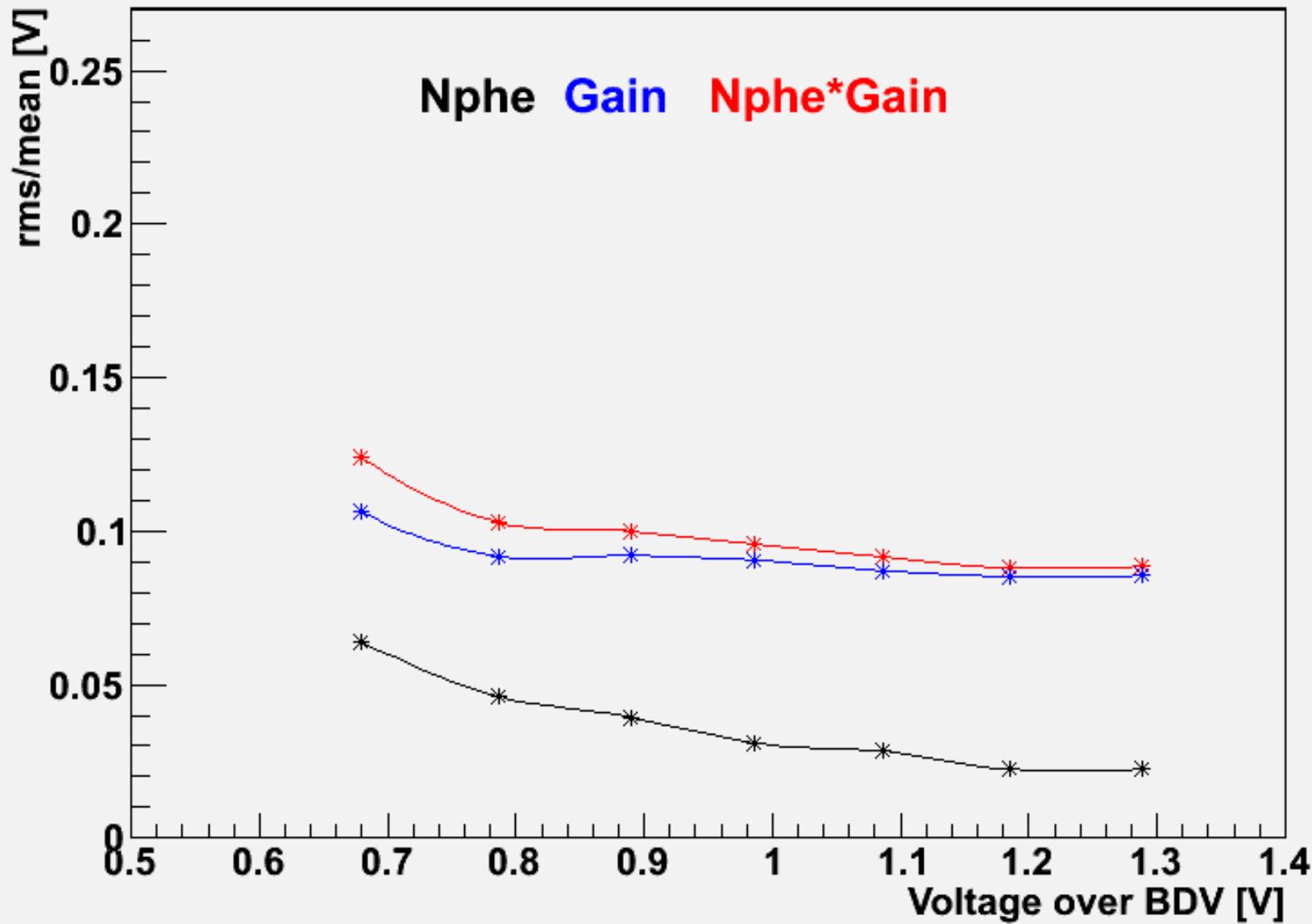
$$(2) Mean_{G_i} = \frac{1}{16} \cdot \sum_{k=1}^{16} G_{ik}; \quad RMS_{G_i} = \sqrt{\frac{1}{16} \cdot \sum_{k=1}^{16} (G_{ik})^2 - Mean_{G_i}^2}$$

$$(3) Mean_{\mu_i \cdot G_i} = \frac{1}{16^2} \cdot \sum_{k=1}^{16} \sum_{m=1}^{16} \mu_{ik} \cdot G_{im}; \quad RMS_{\mu_i \cdot G_i} = \sqrt{\frac{1}{16^2} \cdot \sum_{k=1}^{16} \sum_{m=1}^{16} (\mu_{ik} \cdot G_{im})^2 - Mean_{Nphe_i \cdot G_i}^2}$$

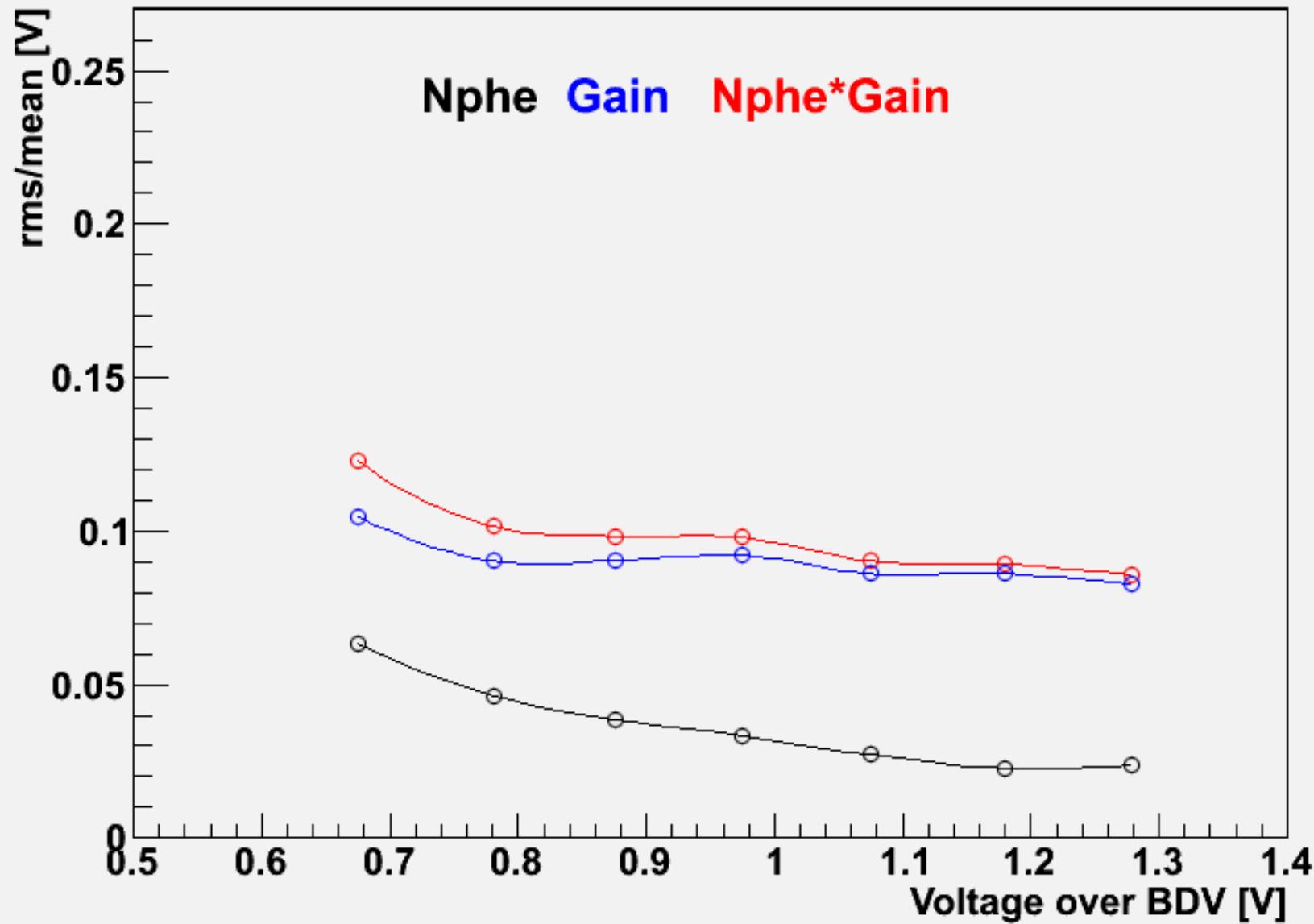
The y-axis of plots shows  $RMS_{xxx}/Mean_{xxx}$ .  
The x-axis of the plots shows the over voltage from the average BDV for the MPPC.

$$avg_{V_{BDV}} = \frac{1}{16} \cdot \sum_{k=1}^{16} V_{BDV k}$$

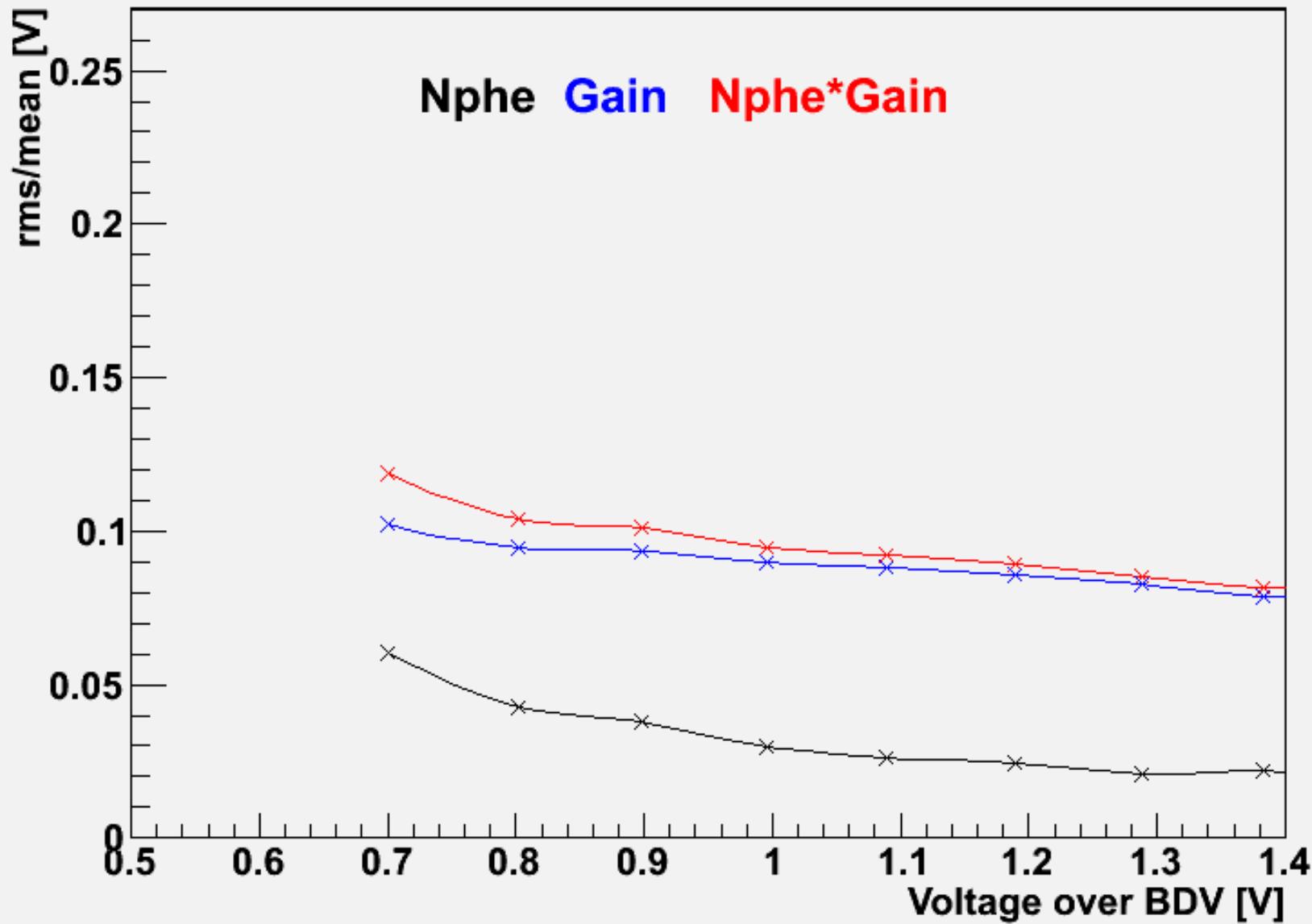
**1821\_T05**



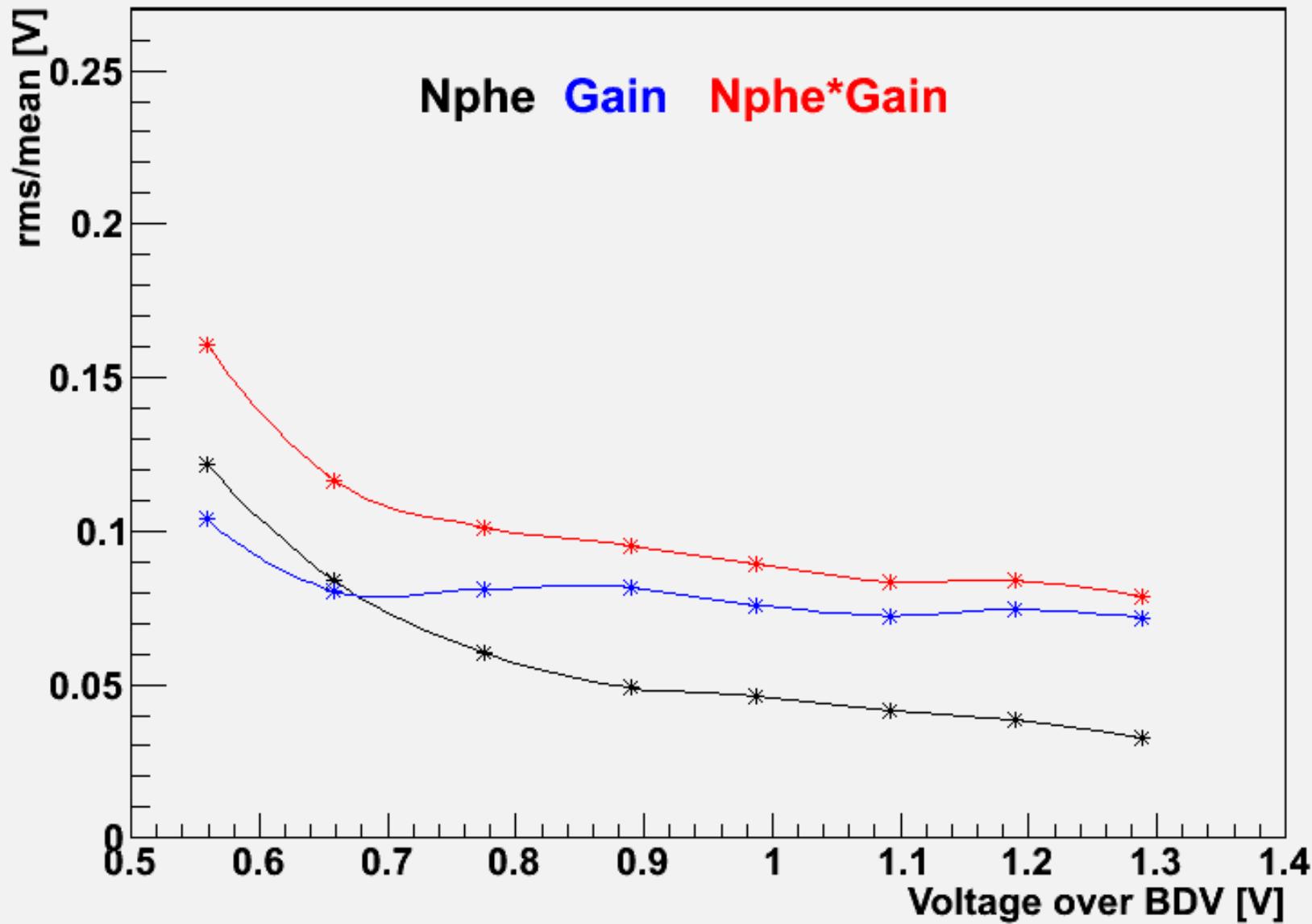
**1821\_T07**



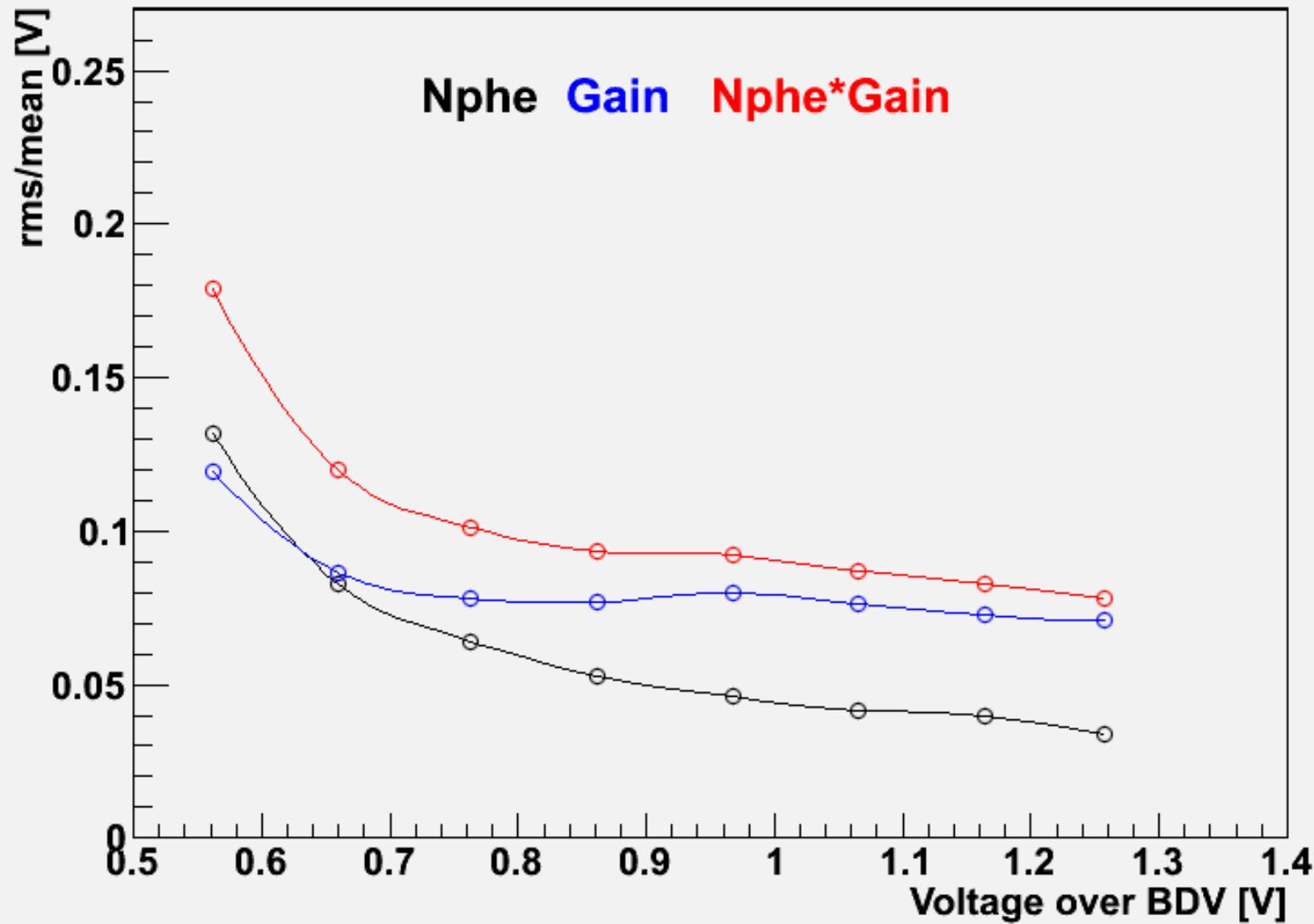
**1821\_T20**



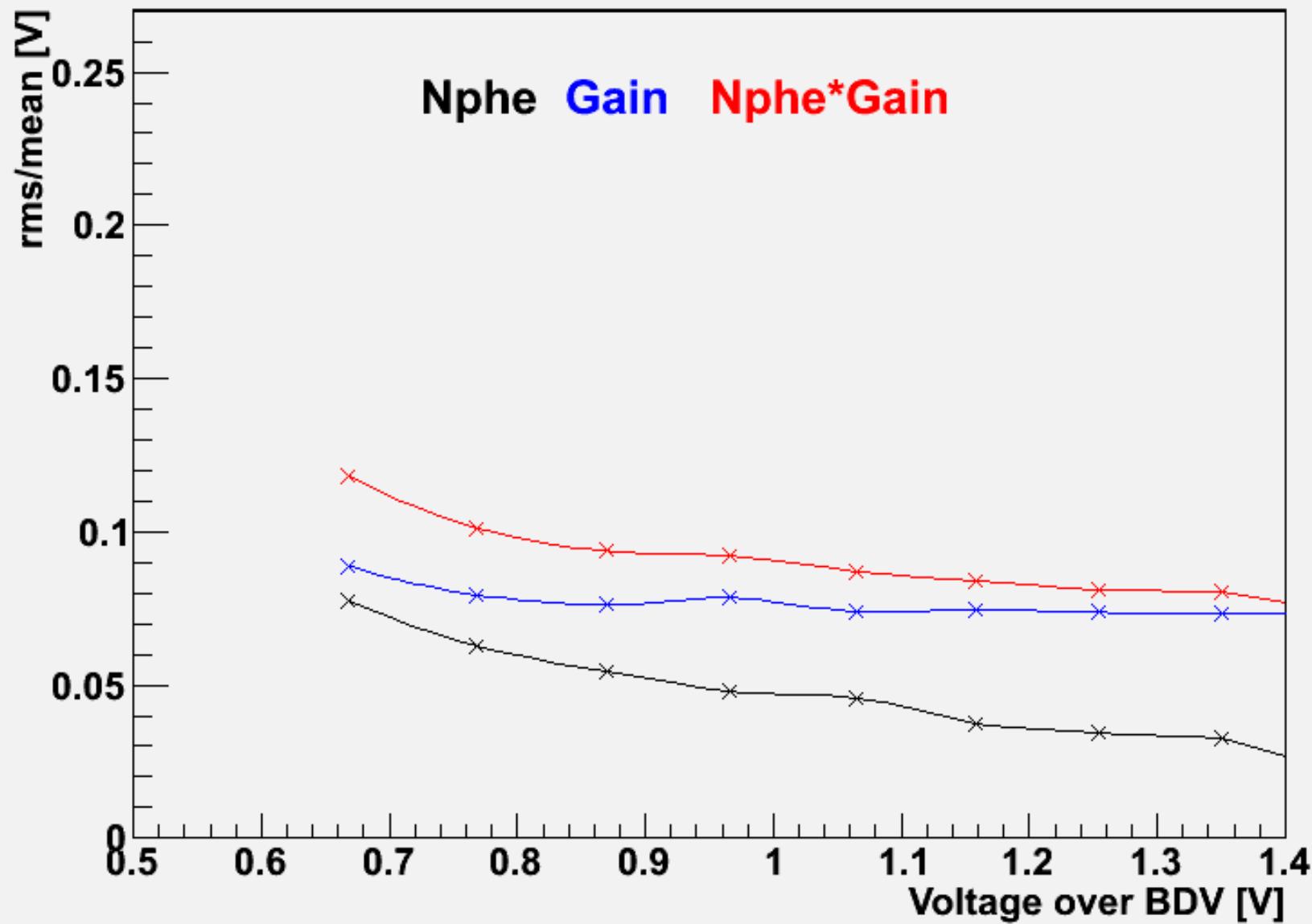
**1896\_T05**



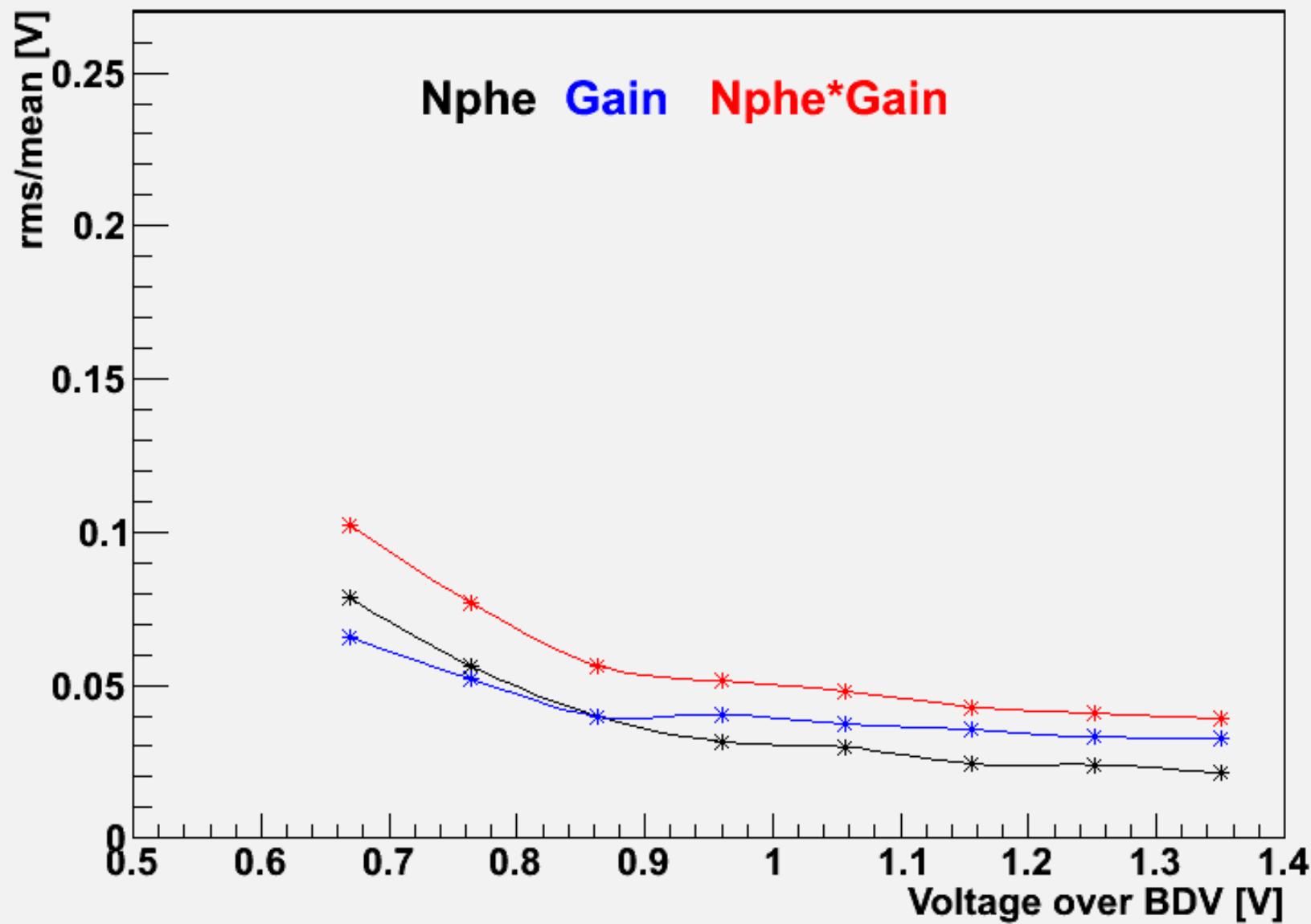
**1896\_T07**



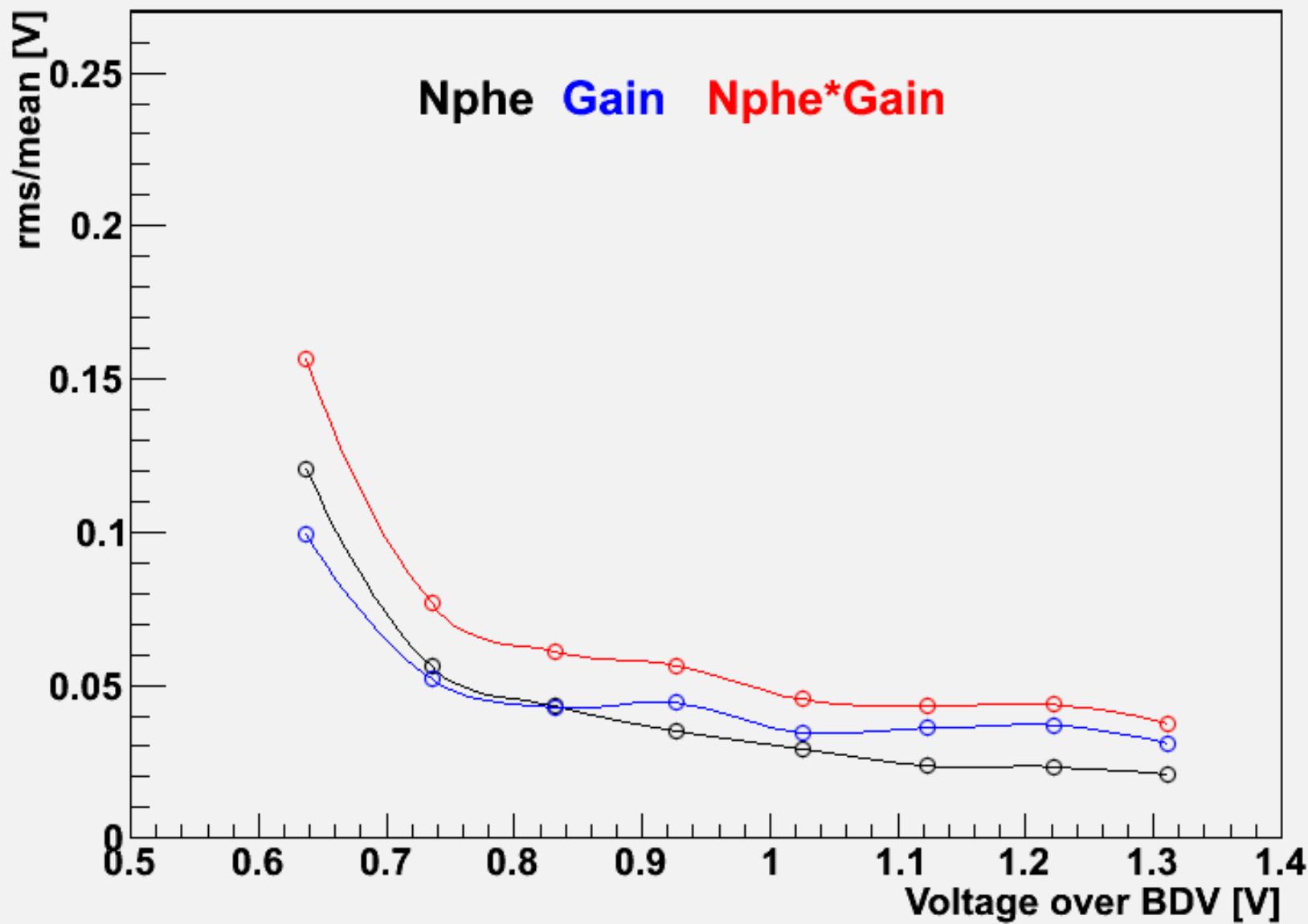
**1896\_T20**



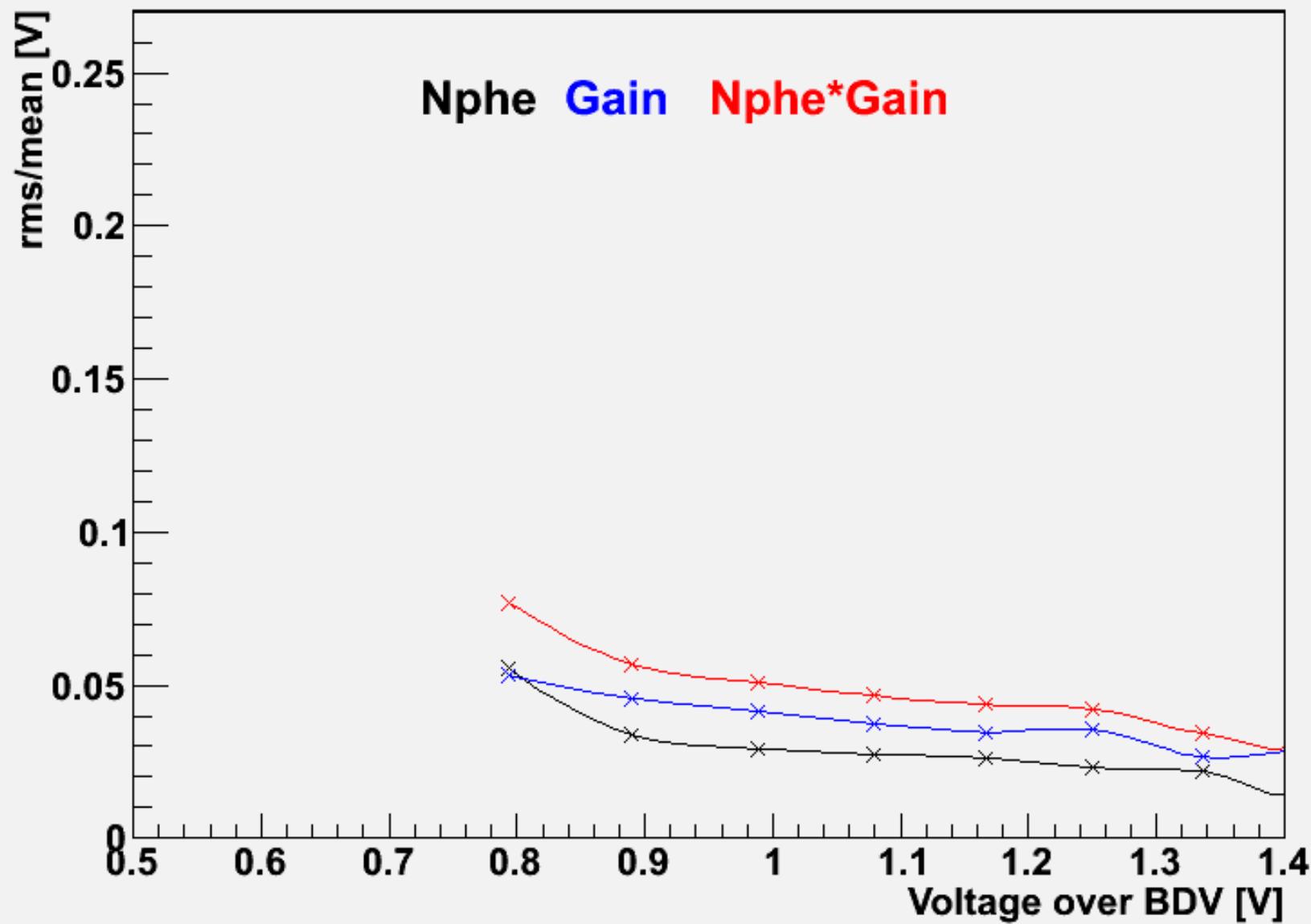
**2009\_T05**



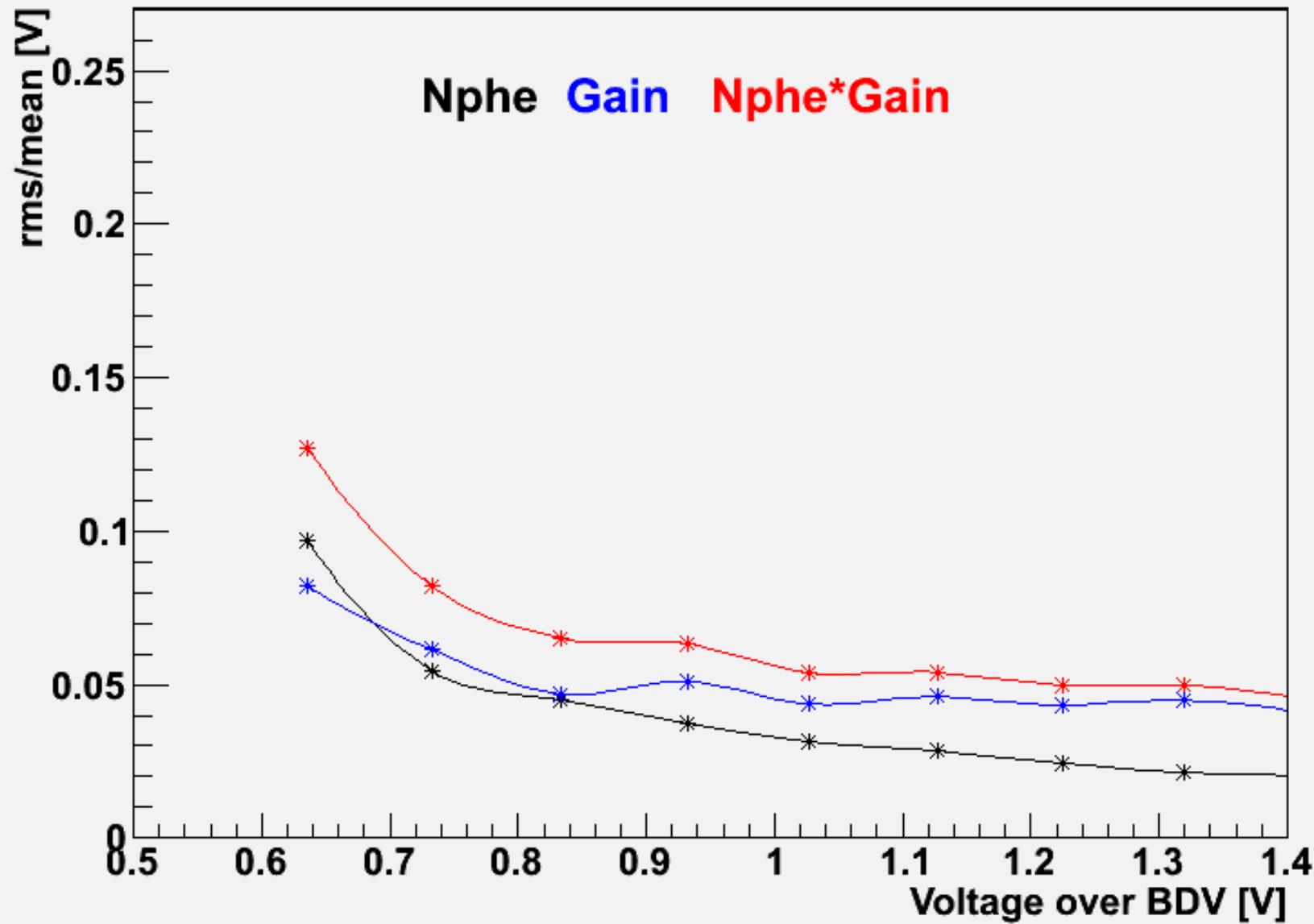
**2009\_T07**



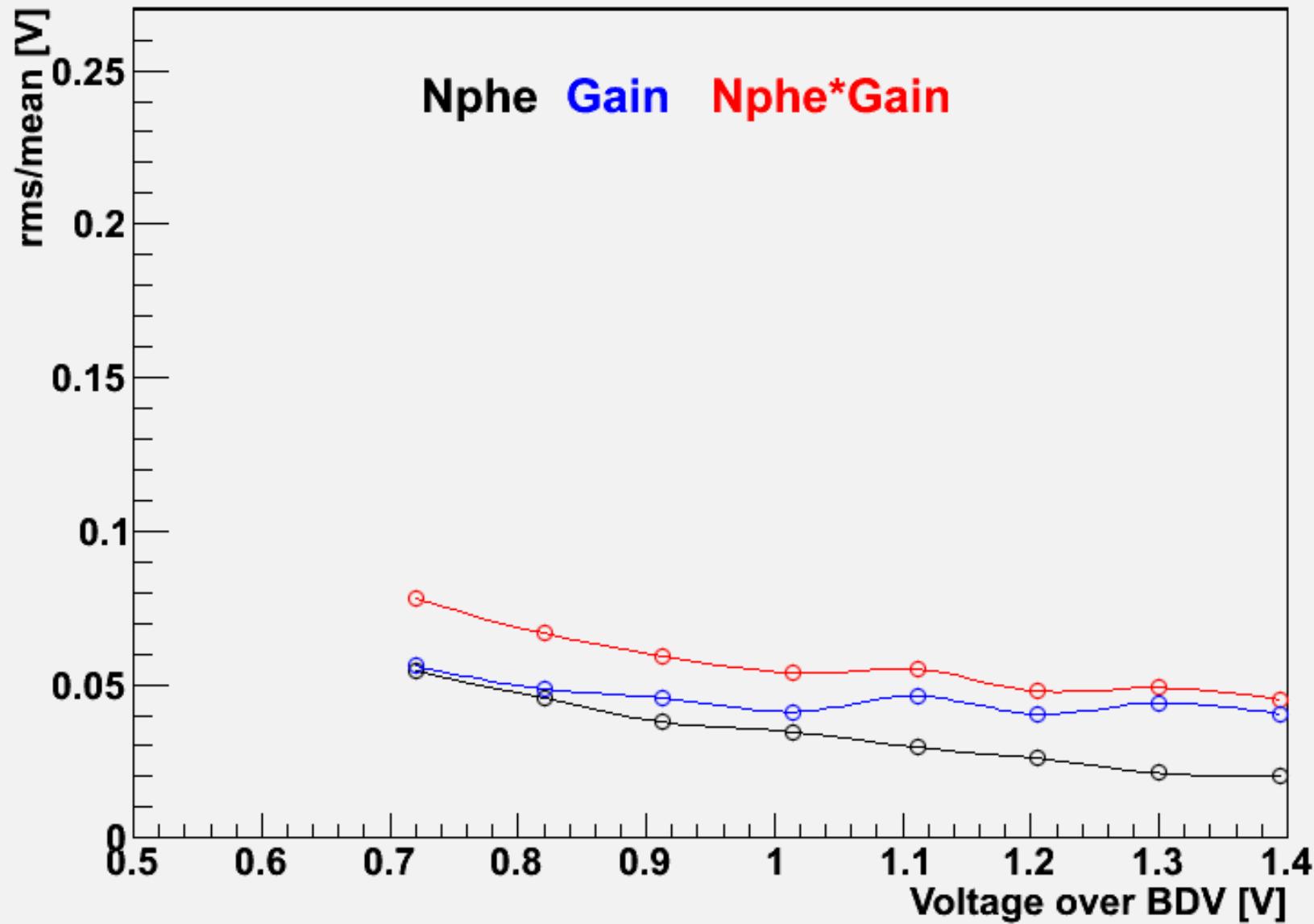
**2009\_T20**



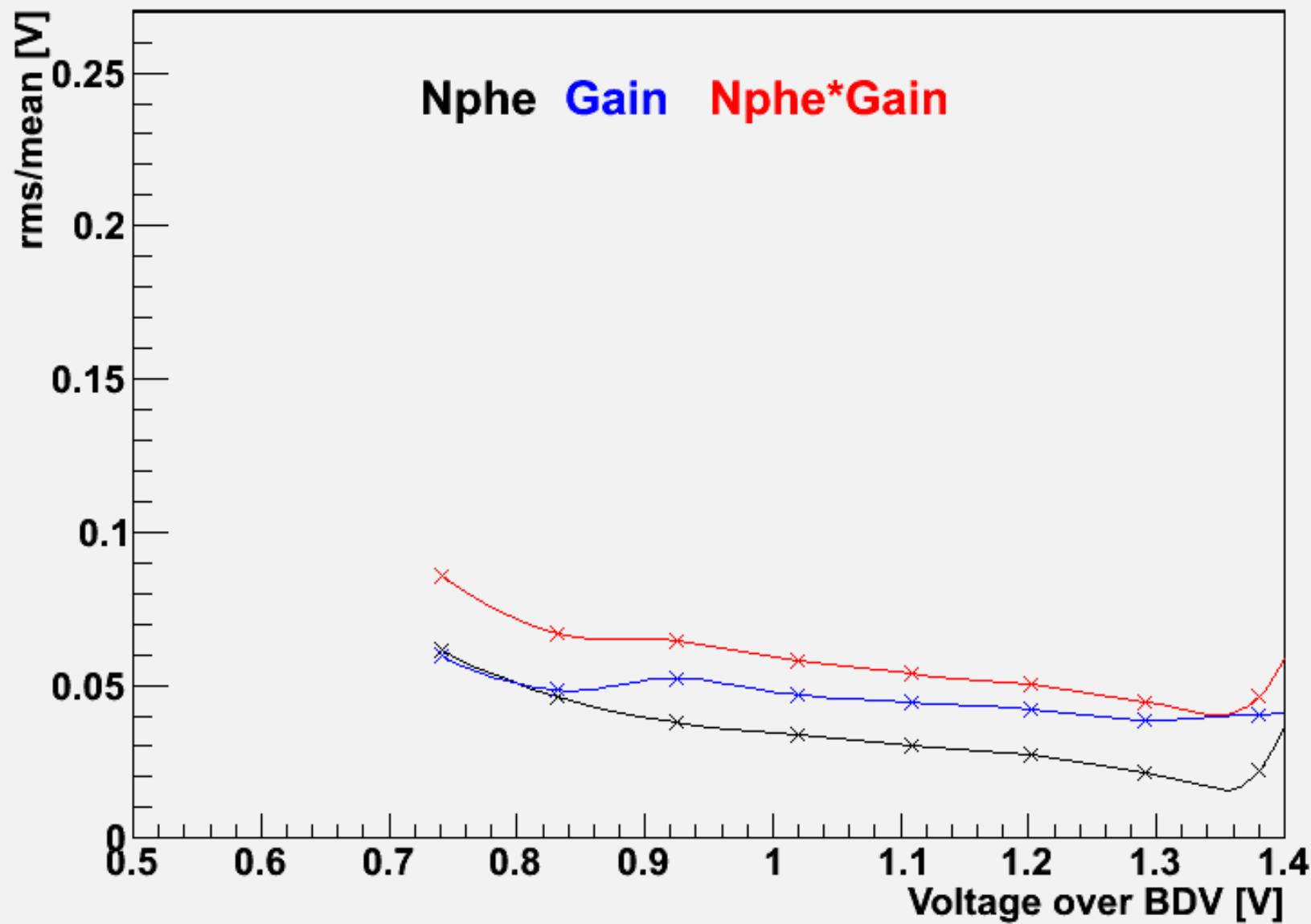
**2044\_T05**



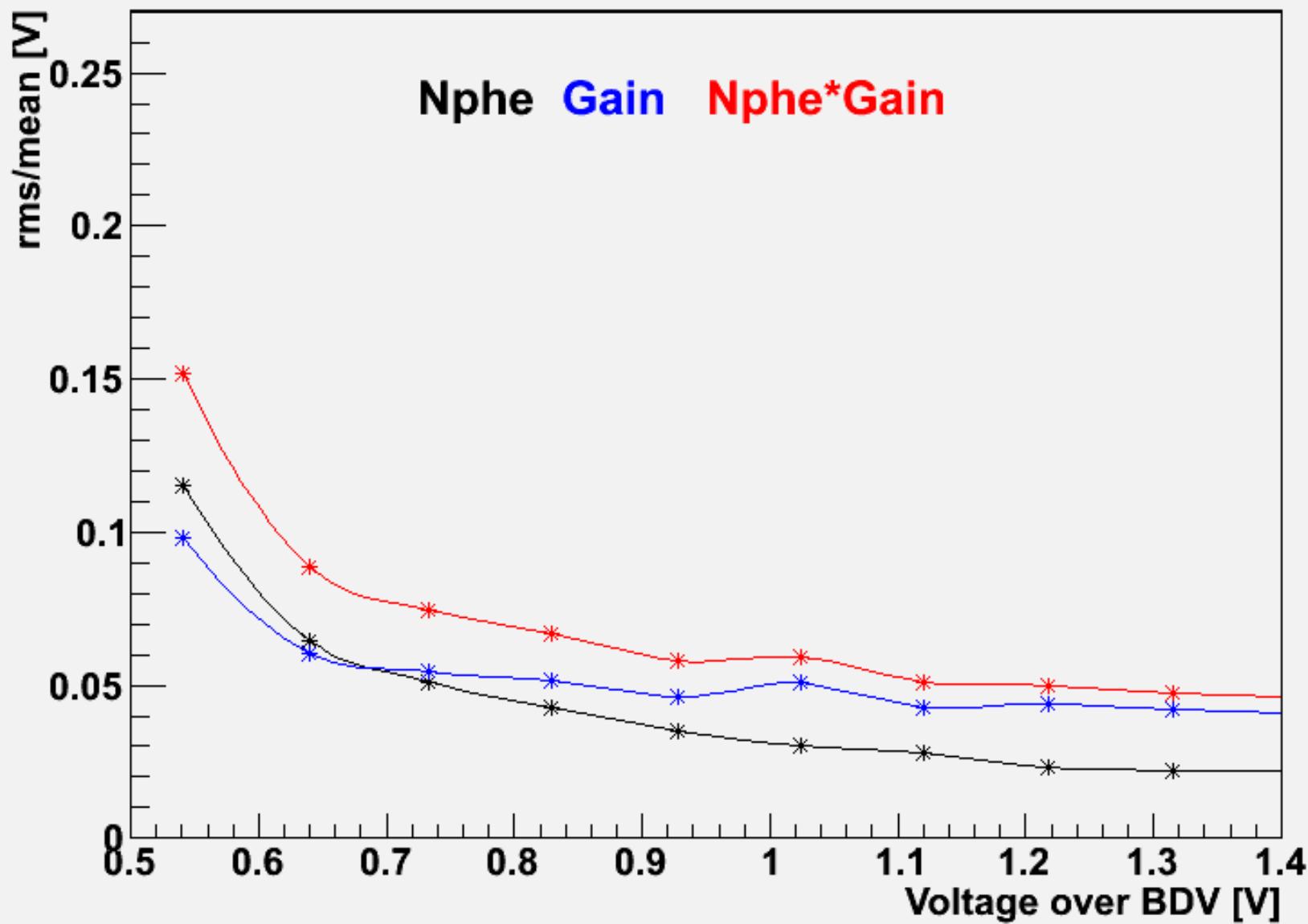
**2044\_T07**



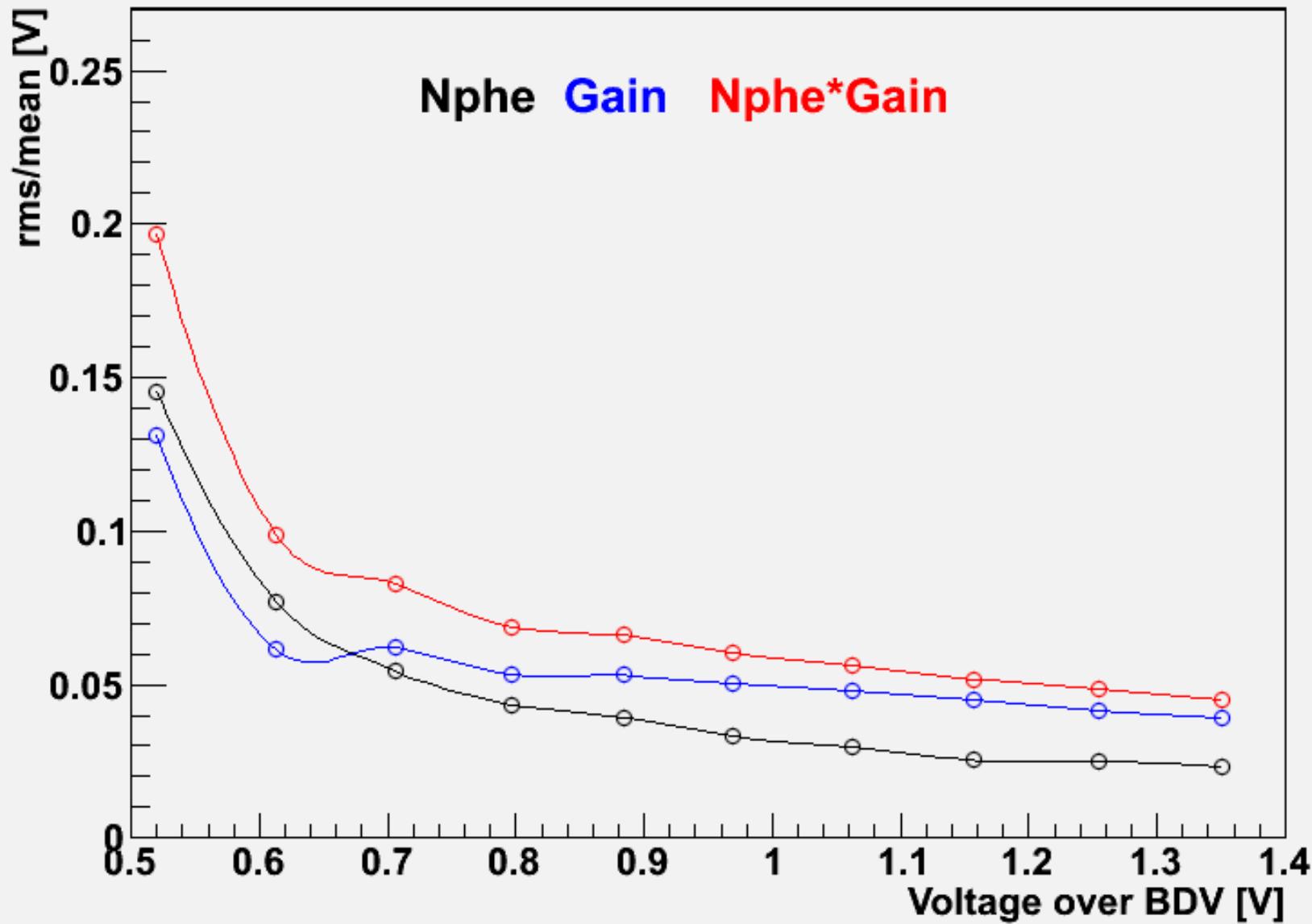
**2044\_T20**



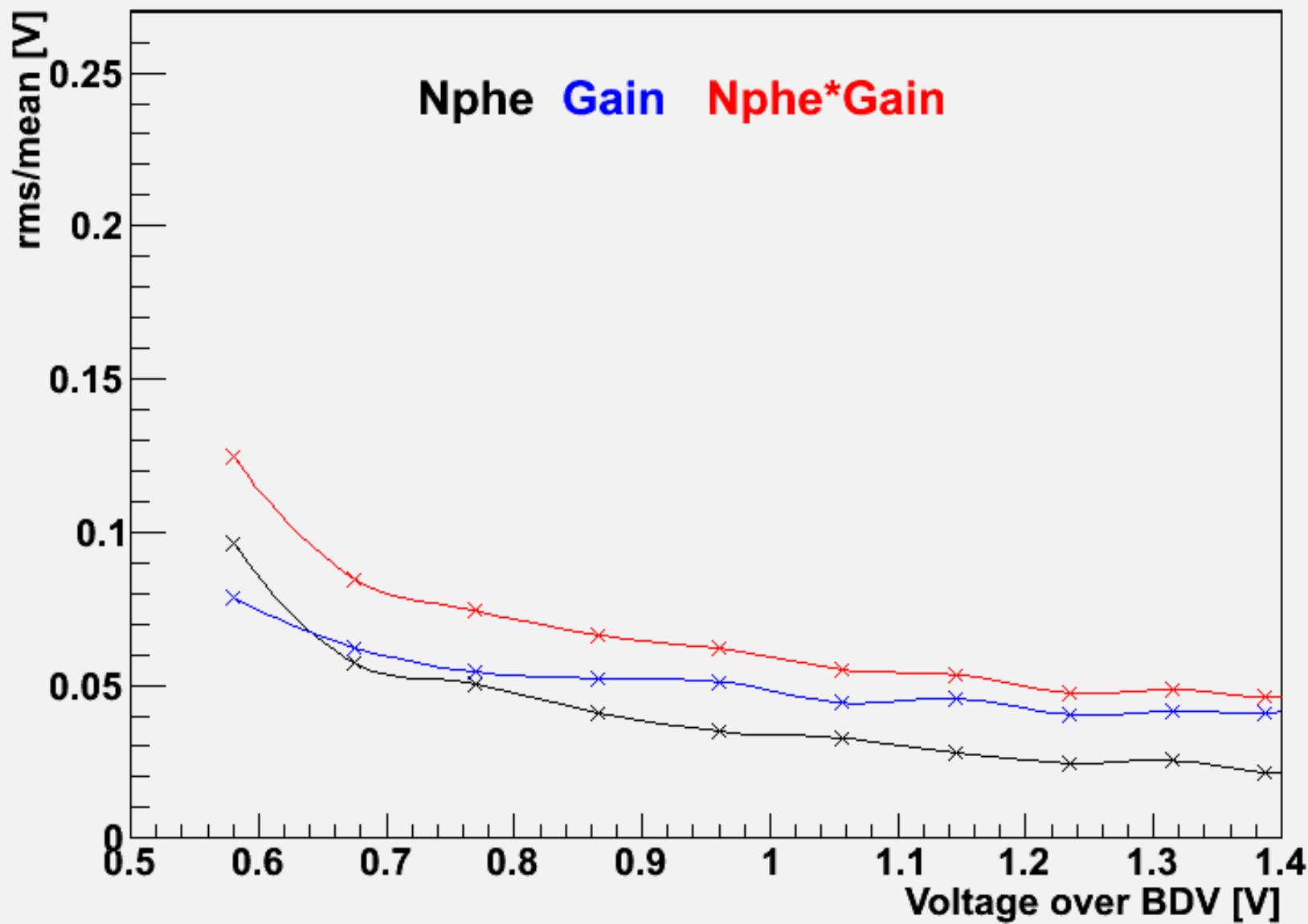
**2083\_T05**



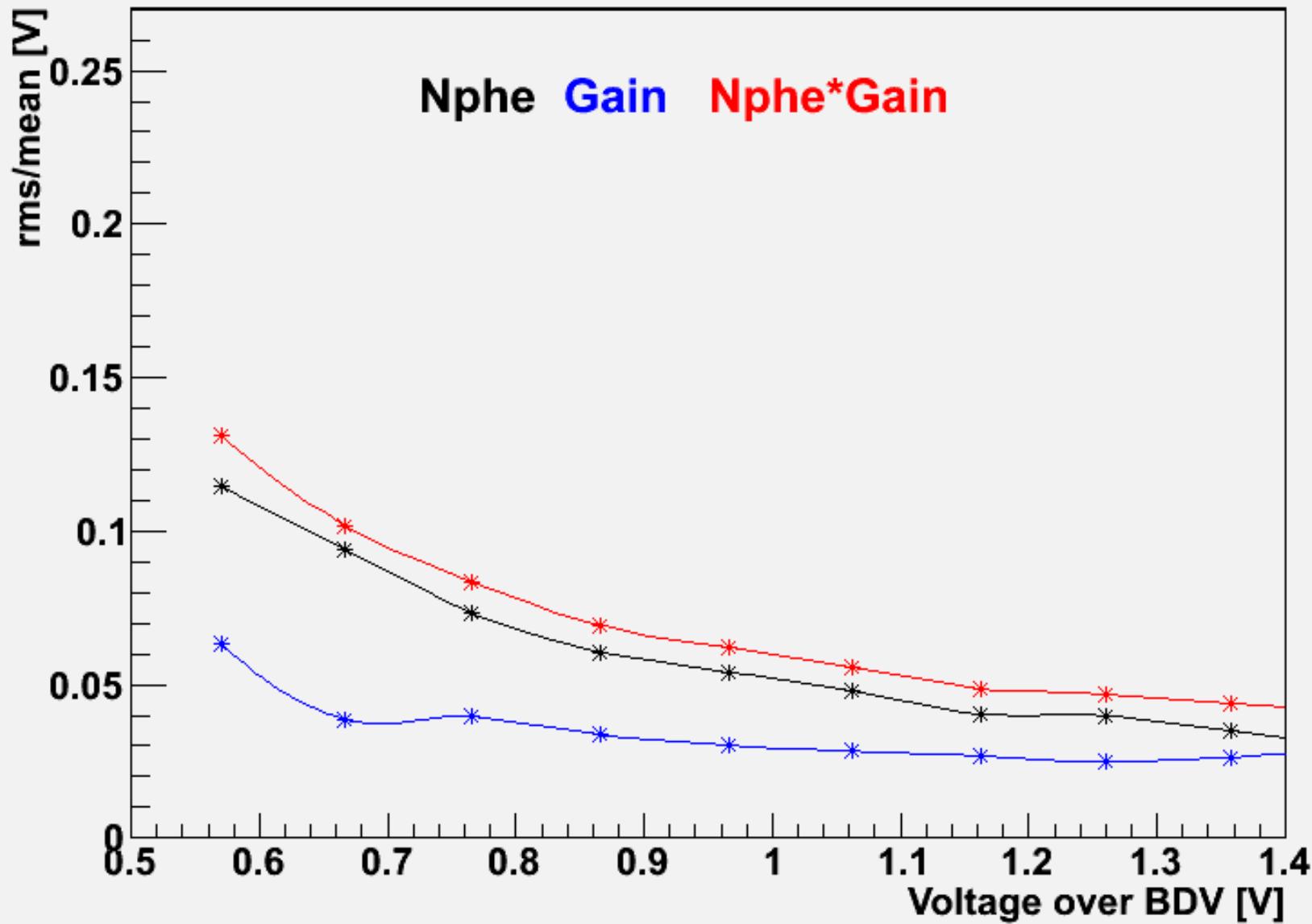
**2083\_T07**



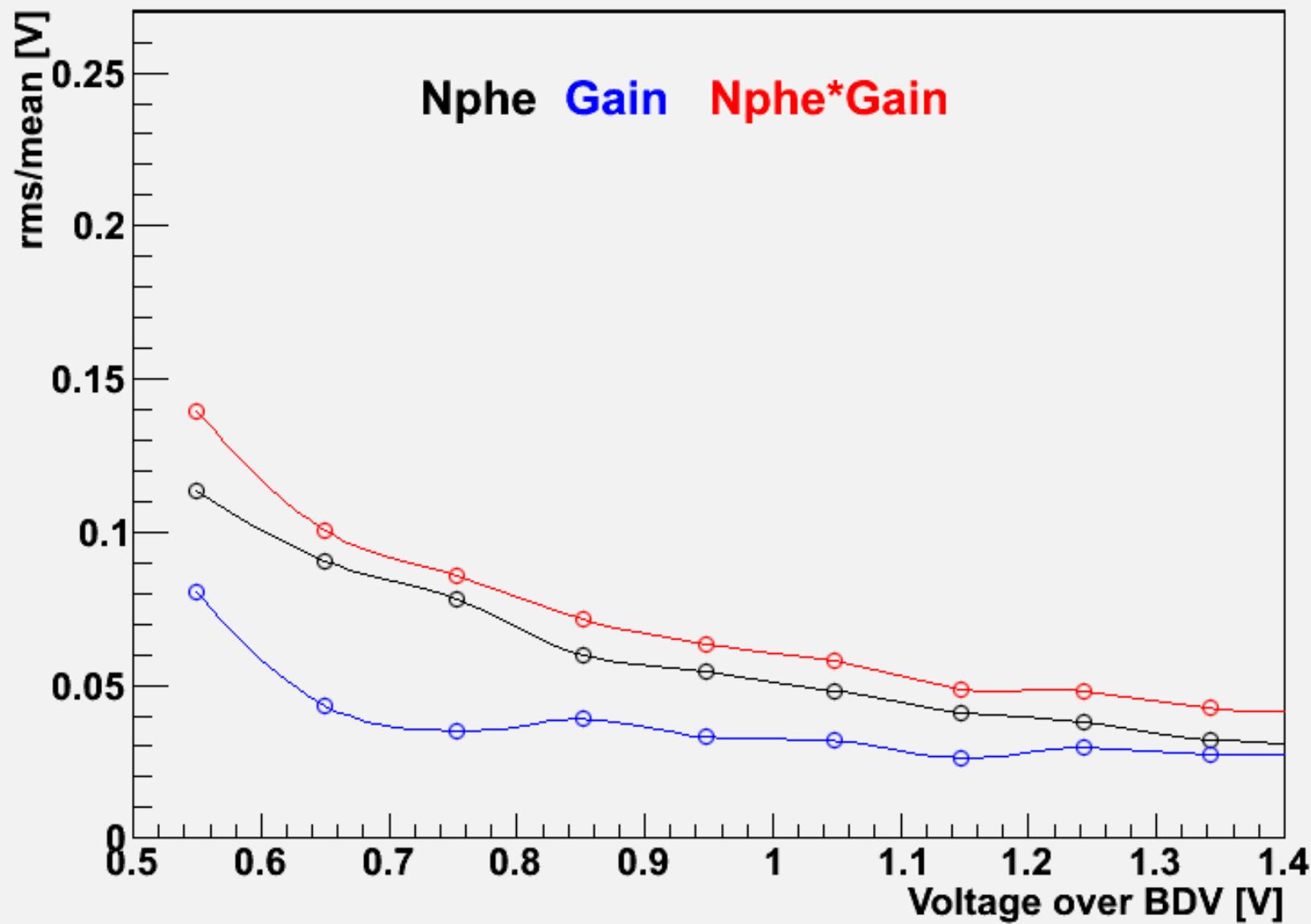
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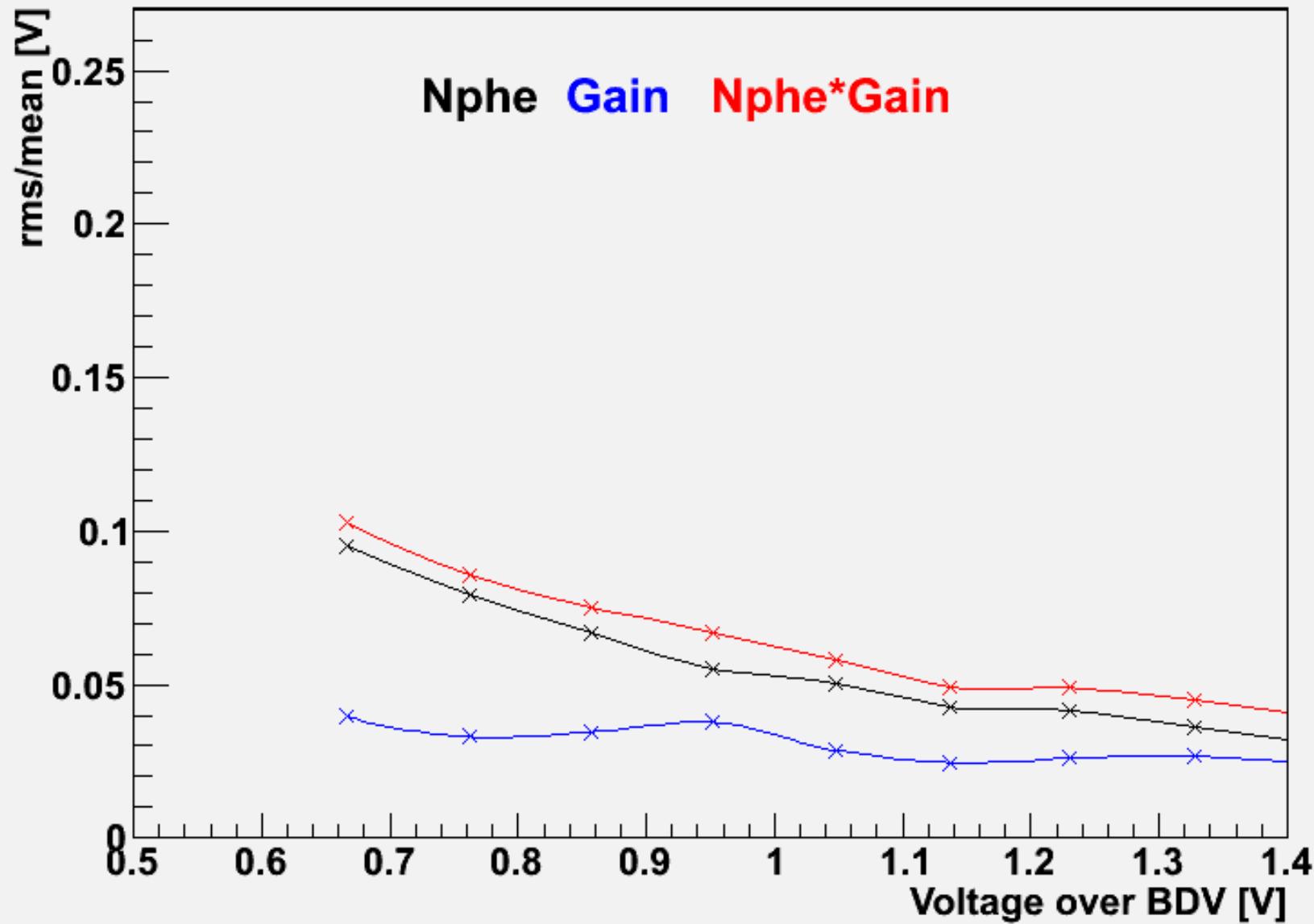
**2098\_T05**



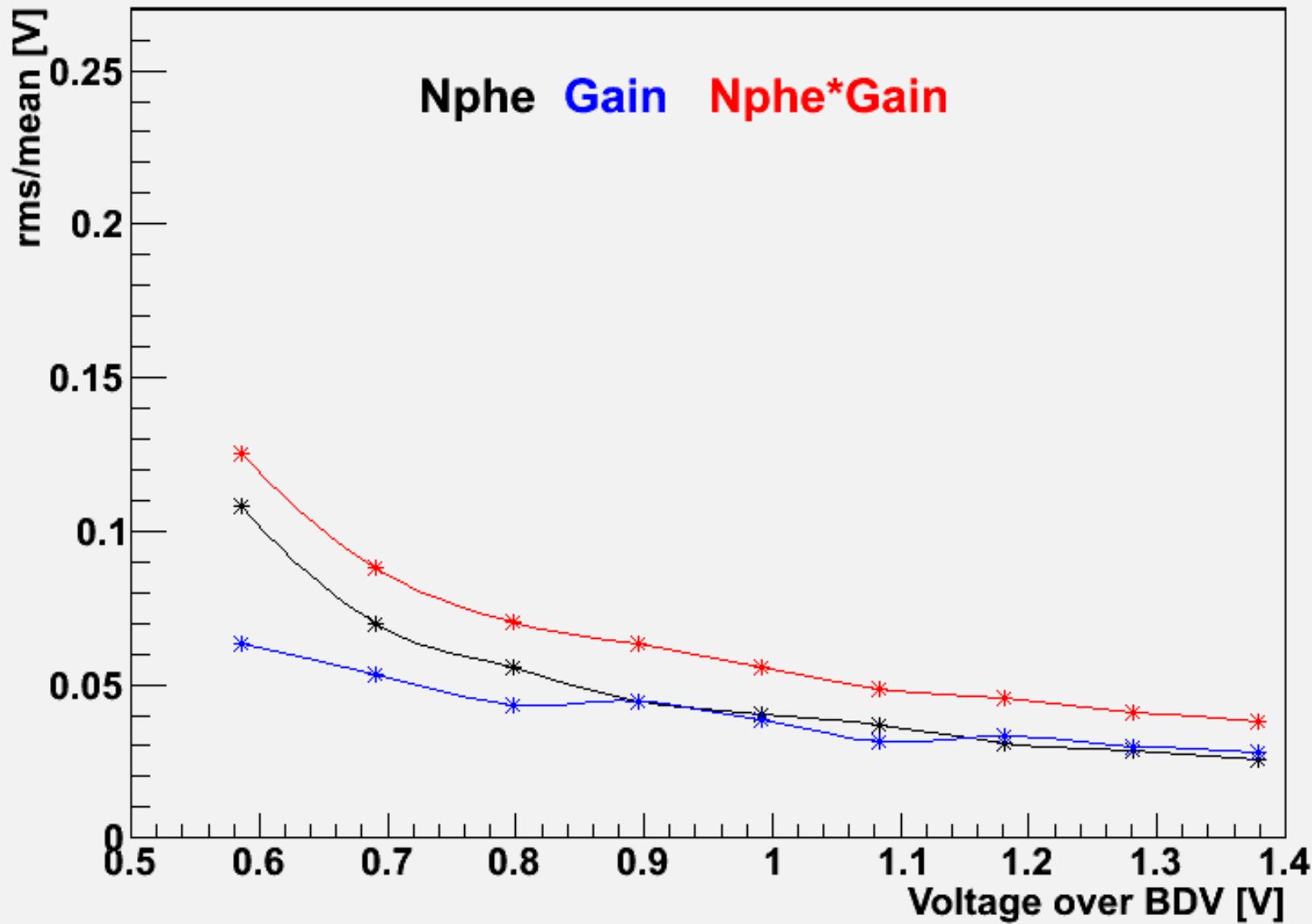
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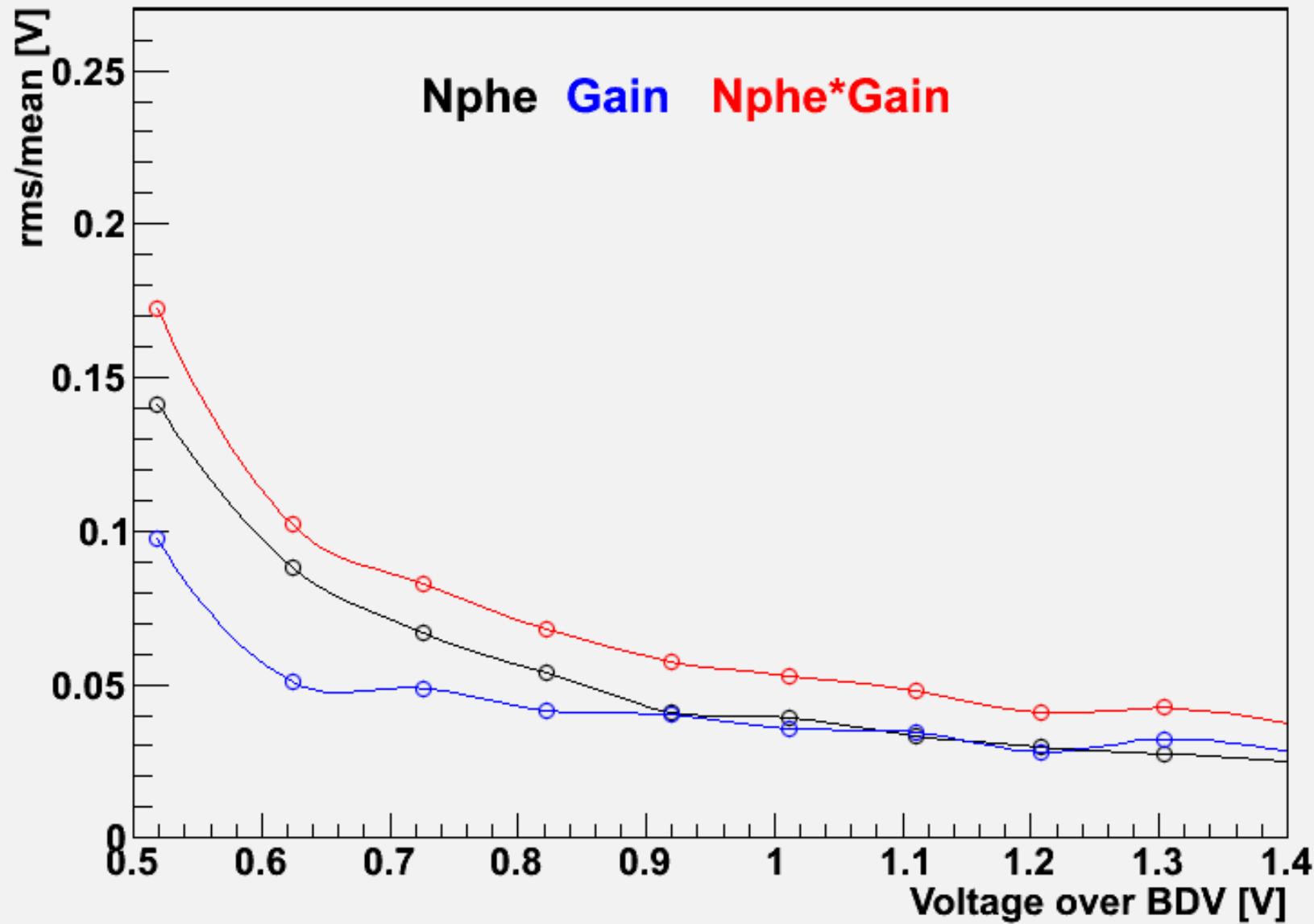
**2098\_T20**



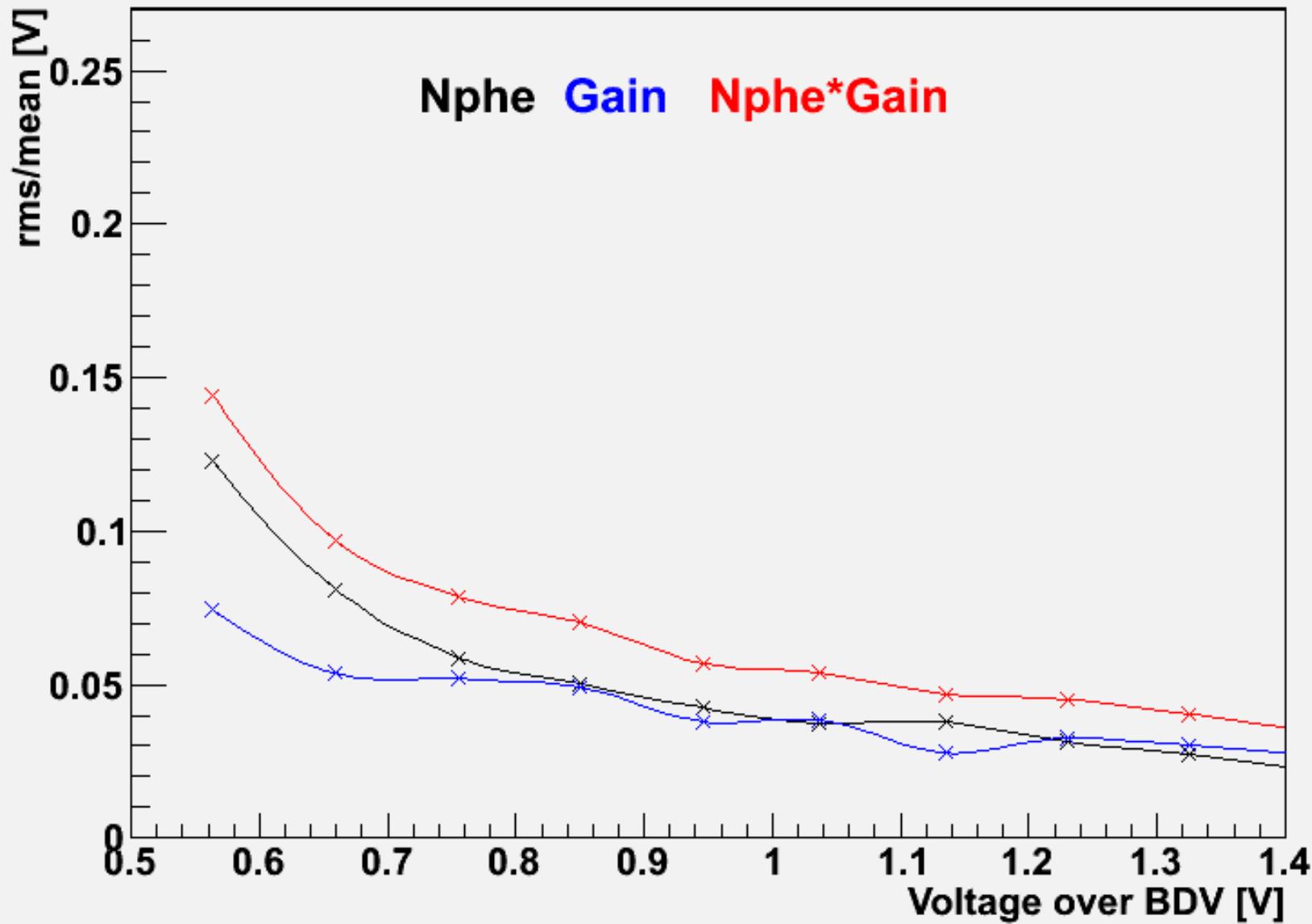
**2120\_T05**



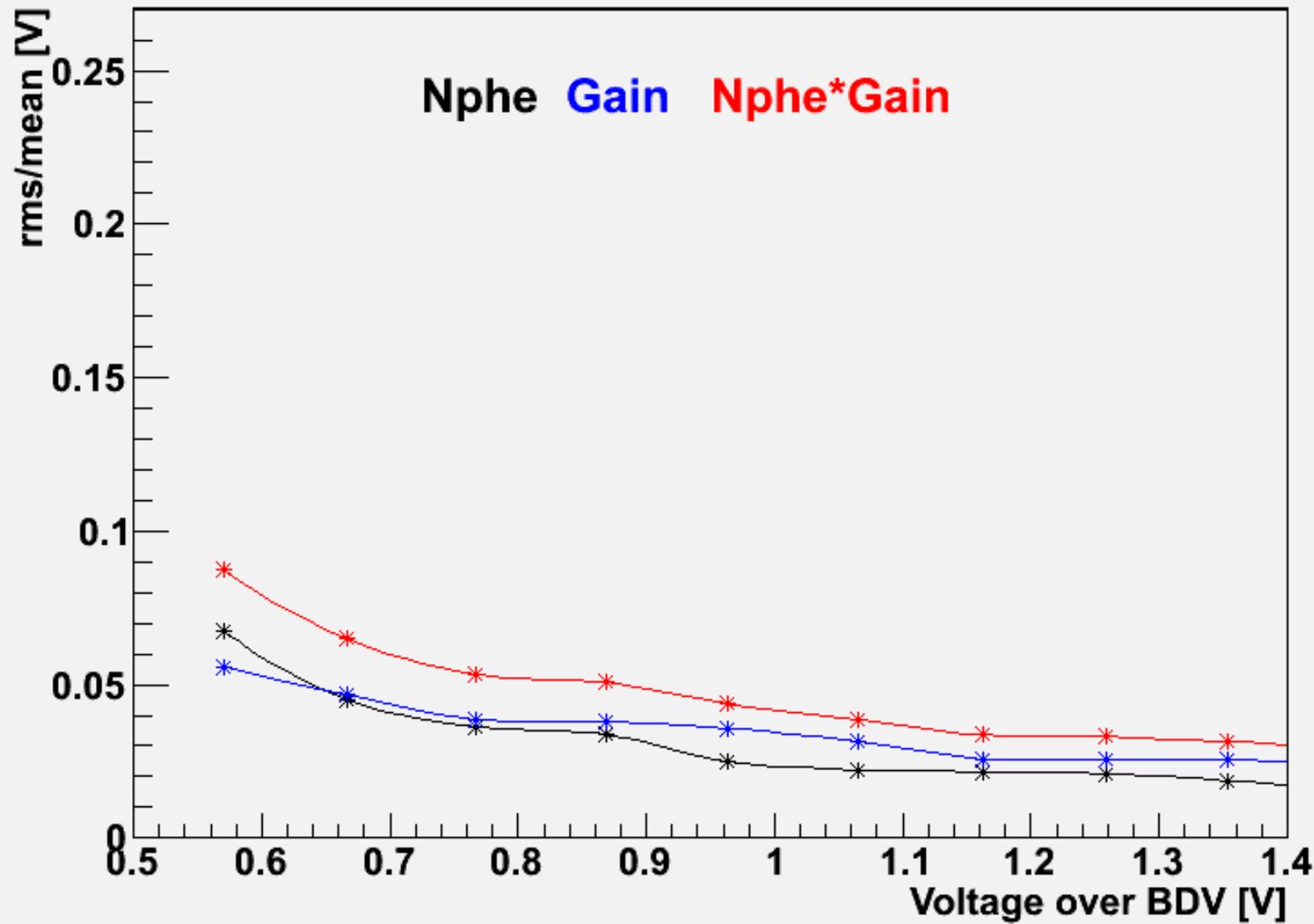
**2120\_T07**



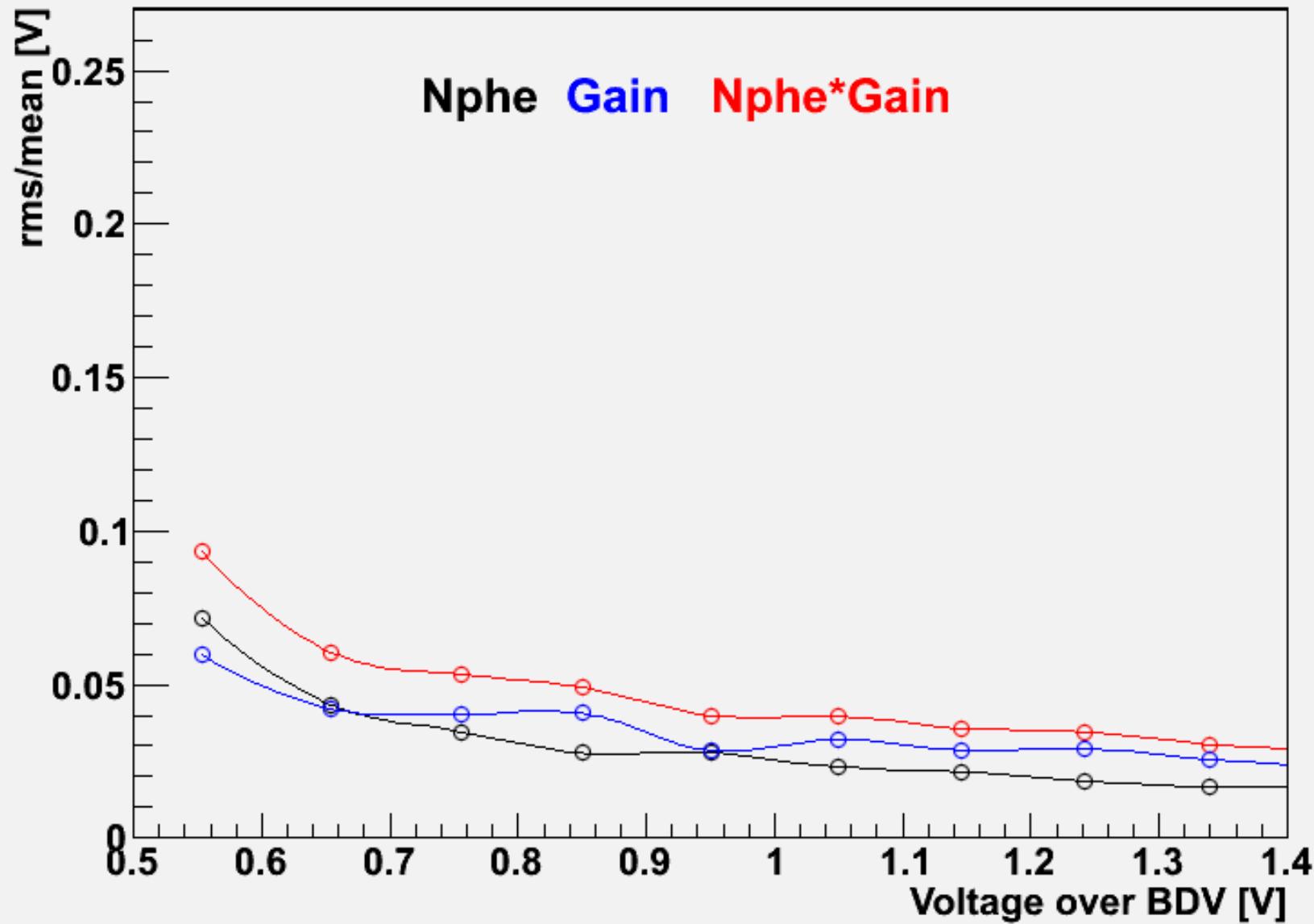
**2120\_T20**



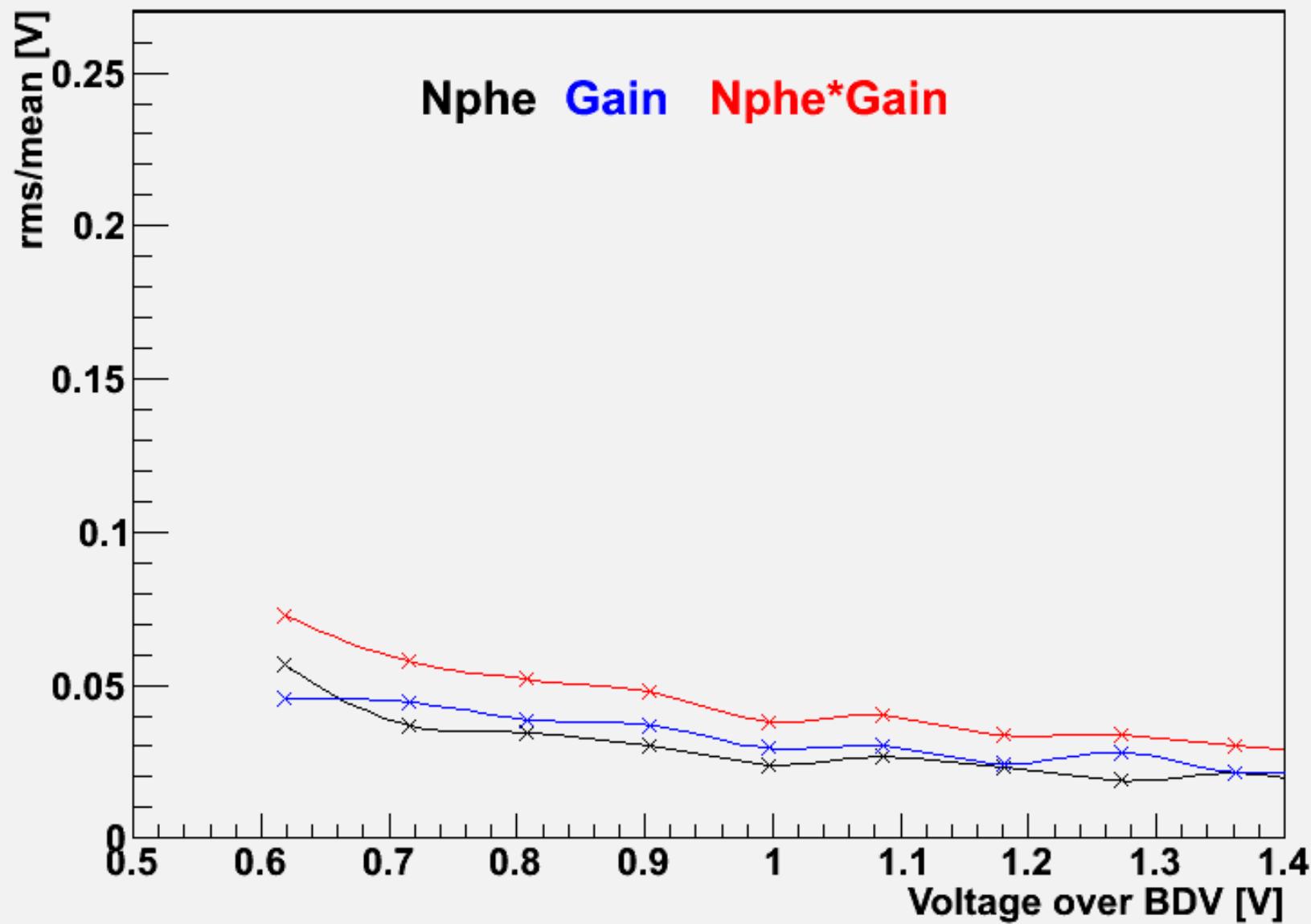
**2198\_T05**



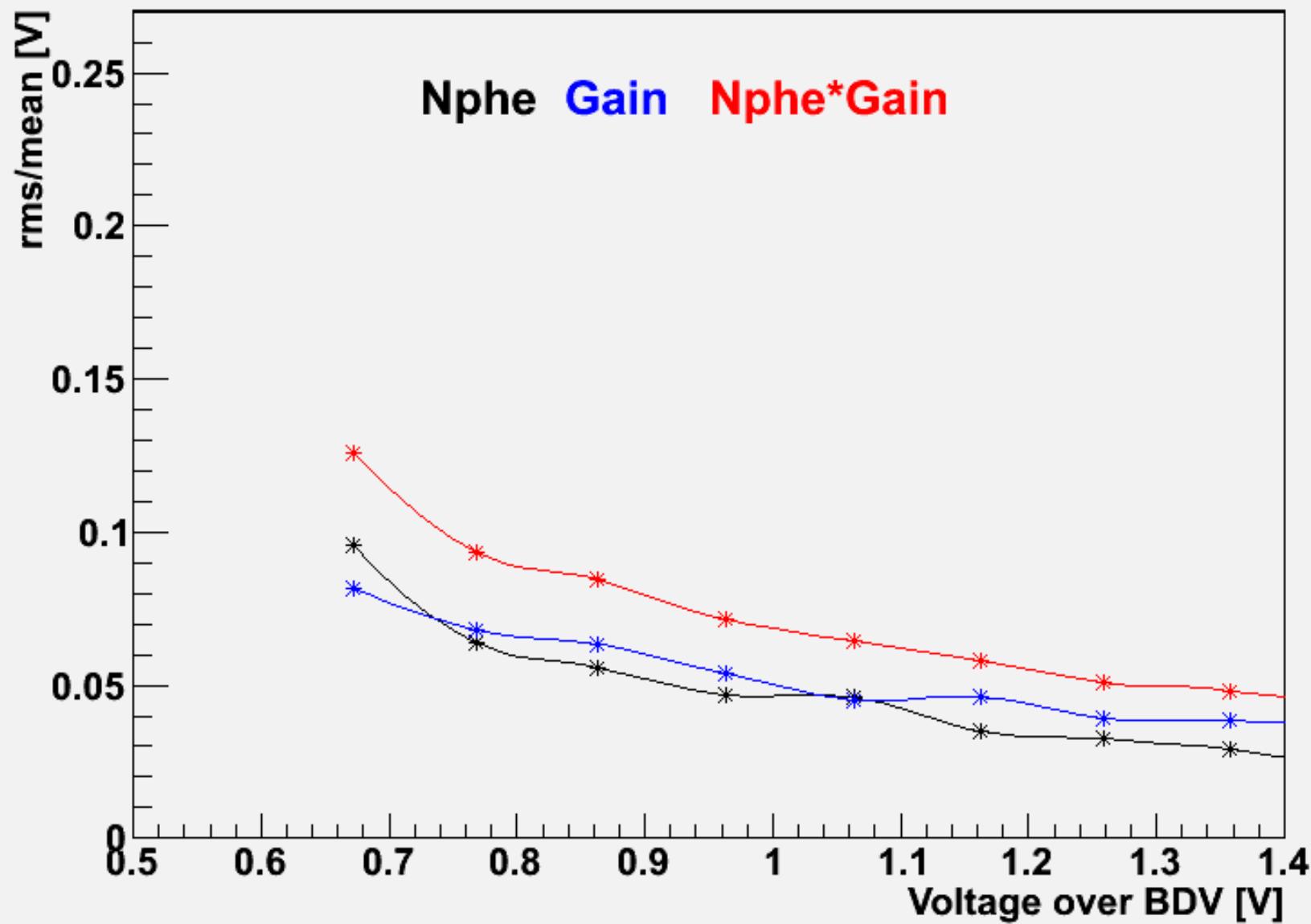
**2198\_T07**



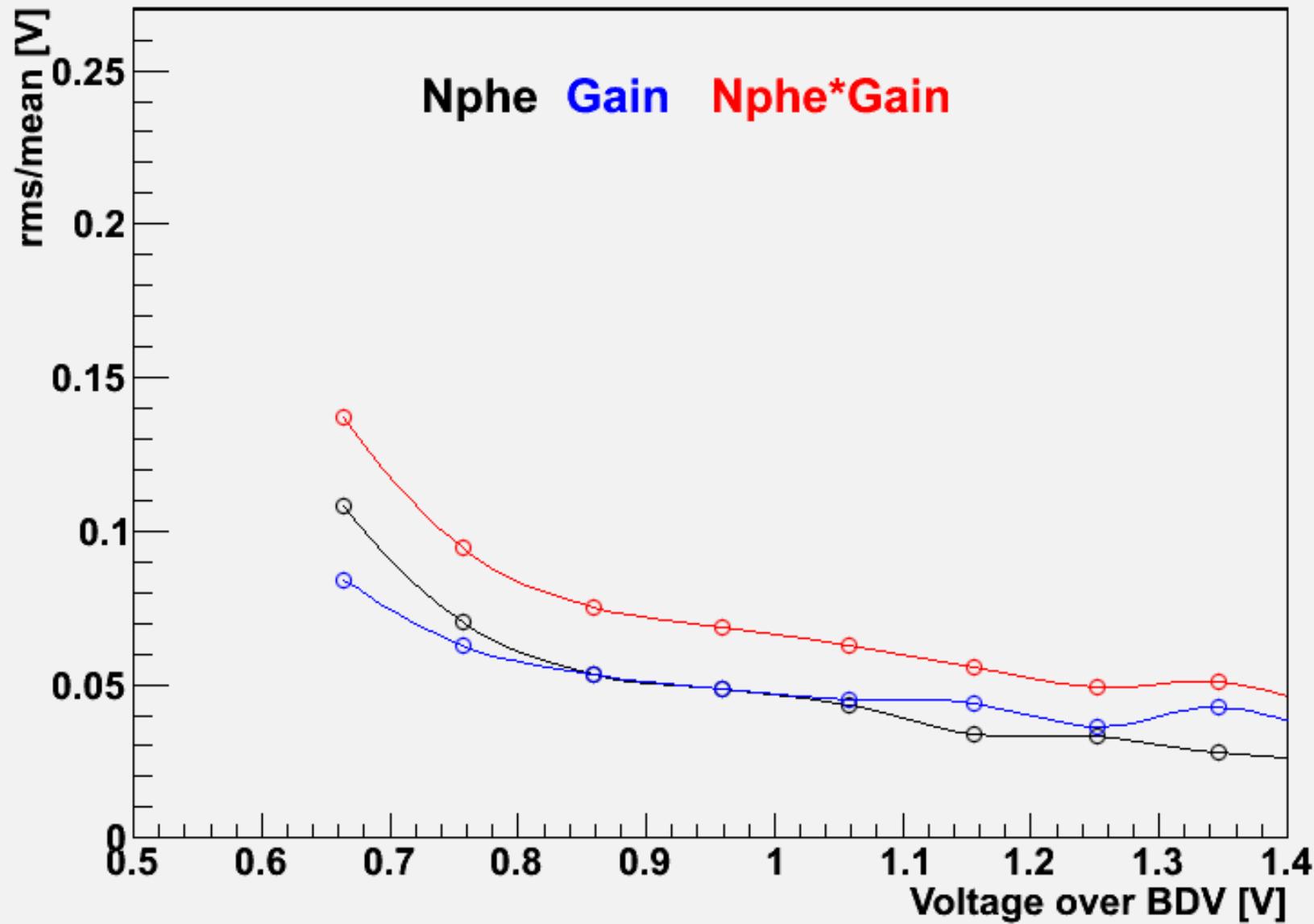
**2198\_T20**



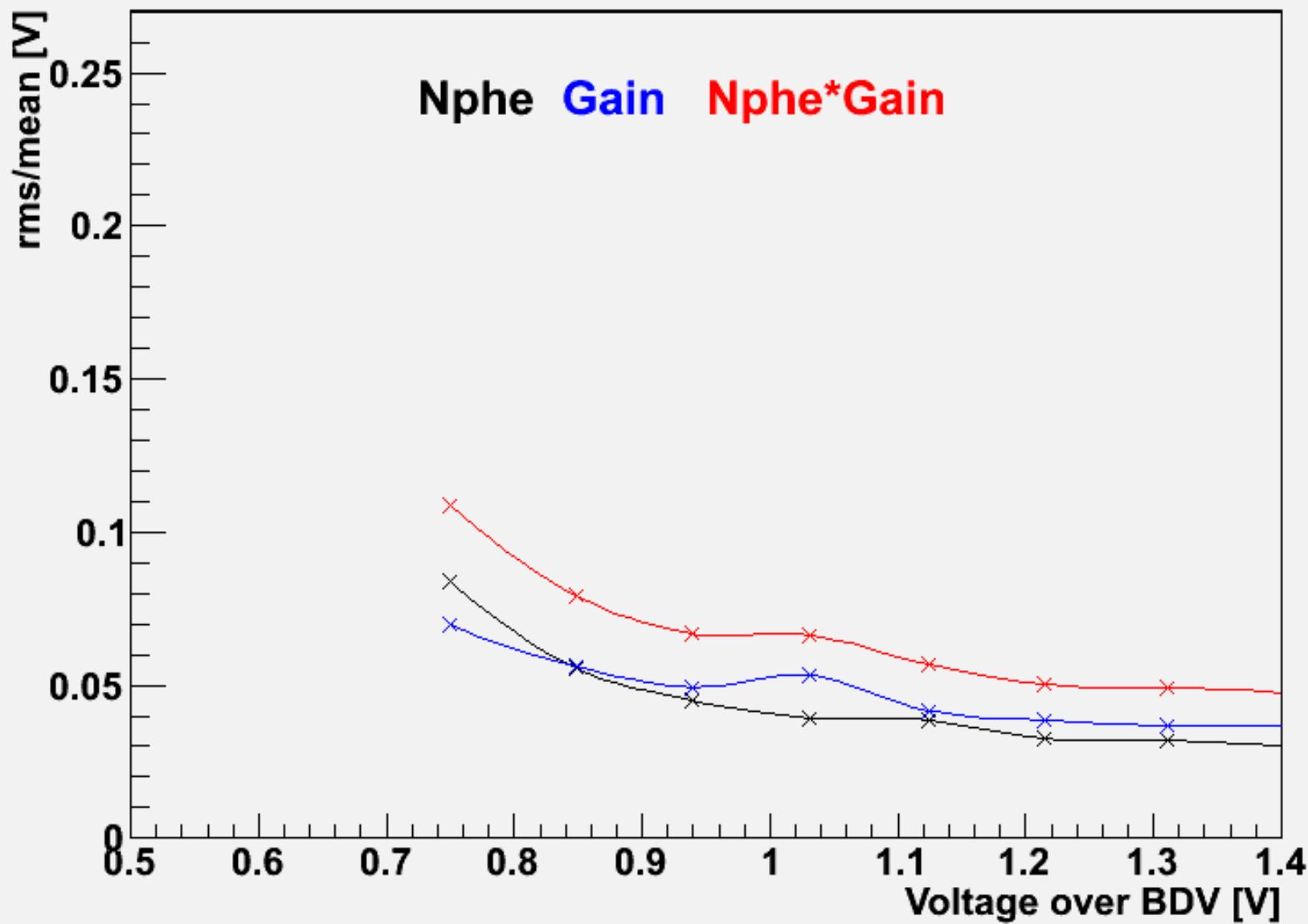
**2247\_T05**



**2247\_T07**



**2247\_T20**

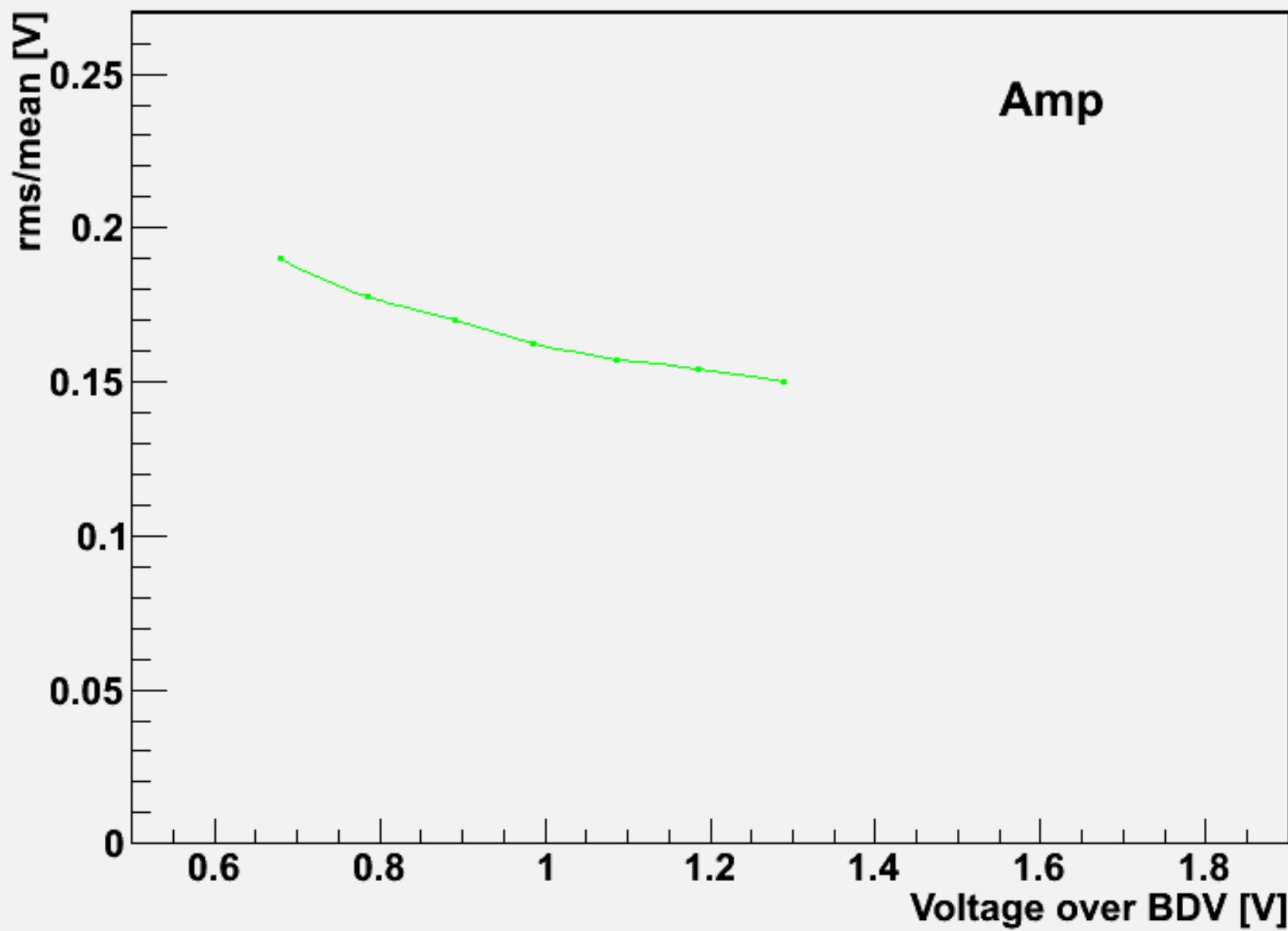


In order to get plots for each mppc amplitude we made the following.

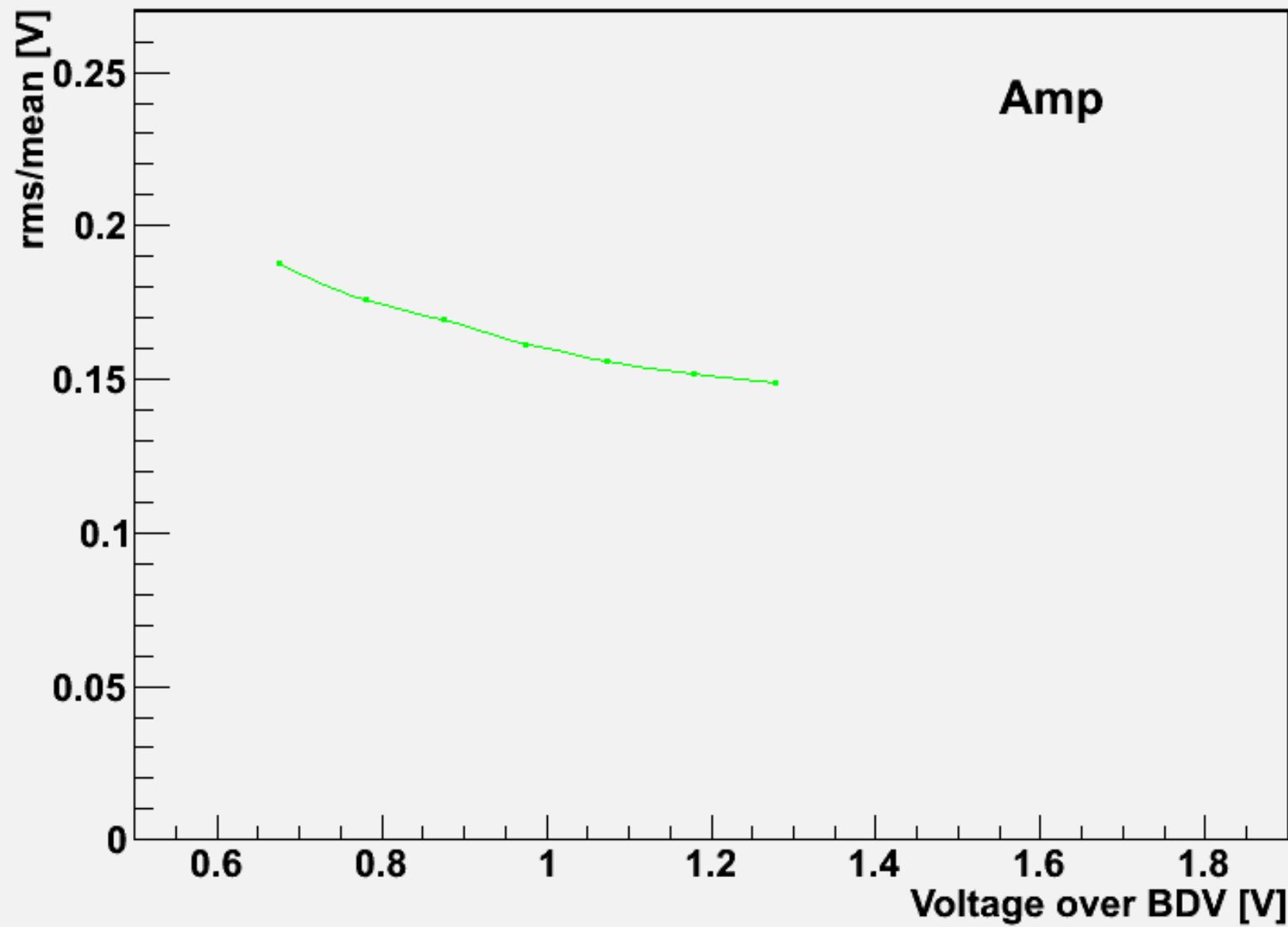
For each temperature, voltage.

1. We take the light histogram with pedestal subtracted from each cell (hcell\_ps\_i).
2. we made a new histogram with range [ -5000 , 4096\*16 -5000] (h\_sum\_amp\_v).
3. we filled h\_sum\_amp\_v taking values from random numbers distributed according the histograms hcell\_ps\_i:  
$$\begin{aligned} \text{sum\_amp} = & \text{hcell\_ps\_0->GetRandom()} + \text{hcell\_ps\_1->GetRandom()} \\ & + \dots + \text{hcell\_ps\_15->GetRandom()} \end{aligned}$$
  
 $\text{h\_sum\_amp\_volt->Fill( sum\_amp )}$   
we take 120000 events.
4. Finally we made the plots rms/mean vs volt for h\_sum\_amp\_v in each temperature.

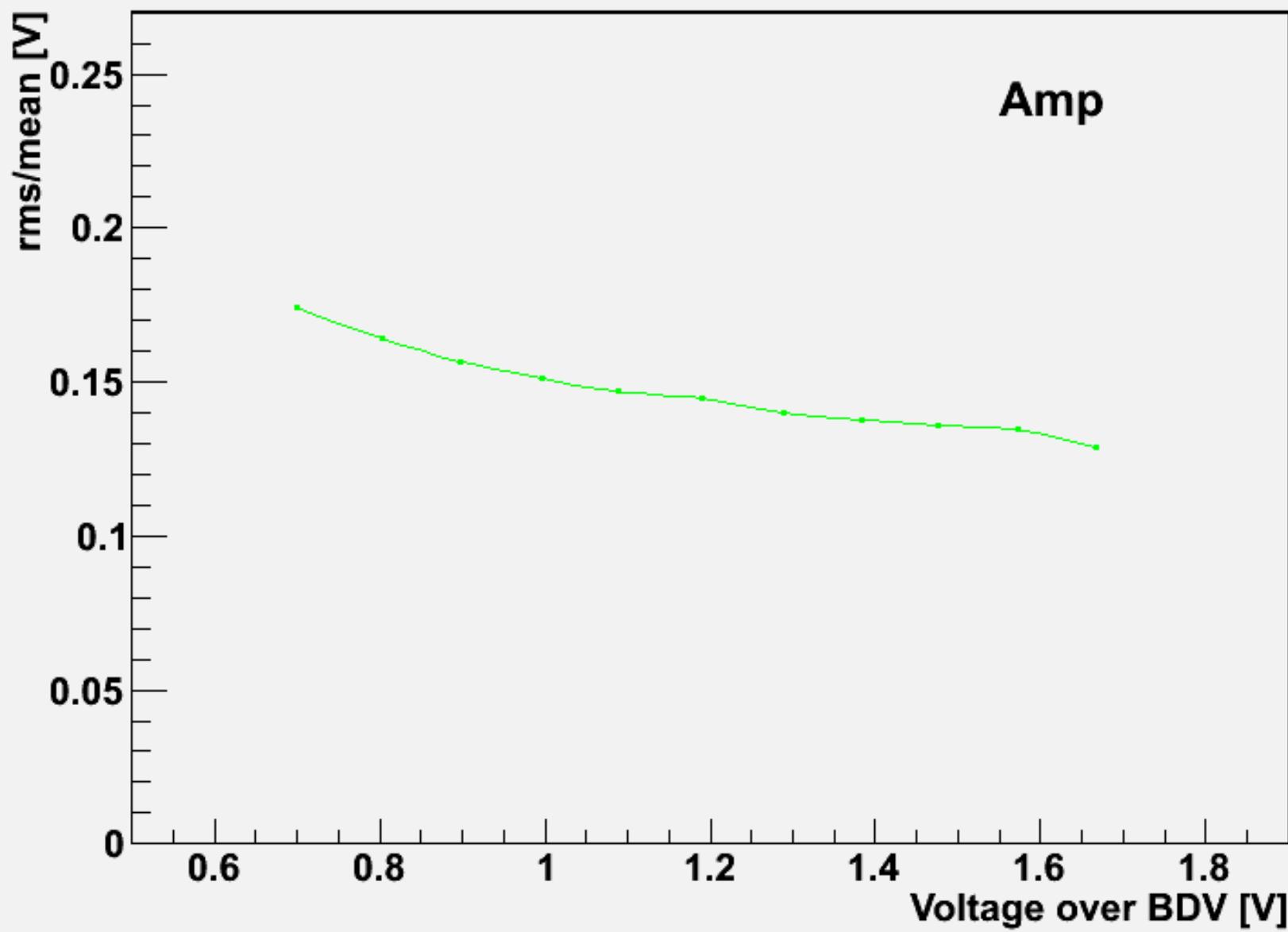
**1821\_T05**



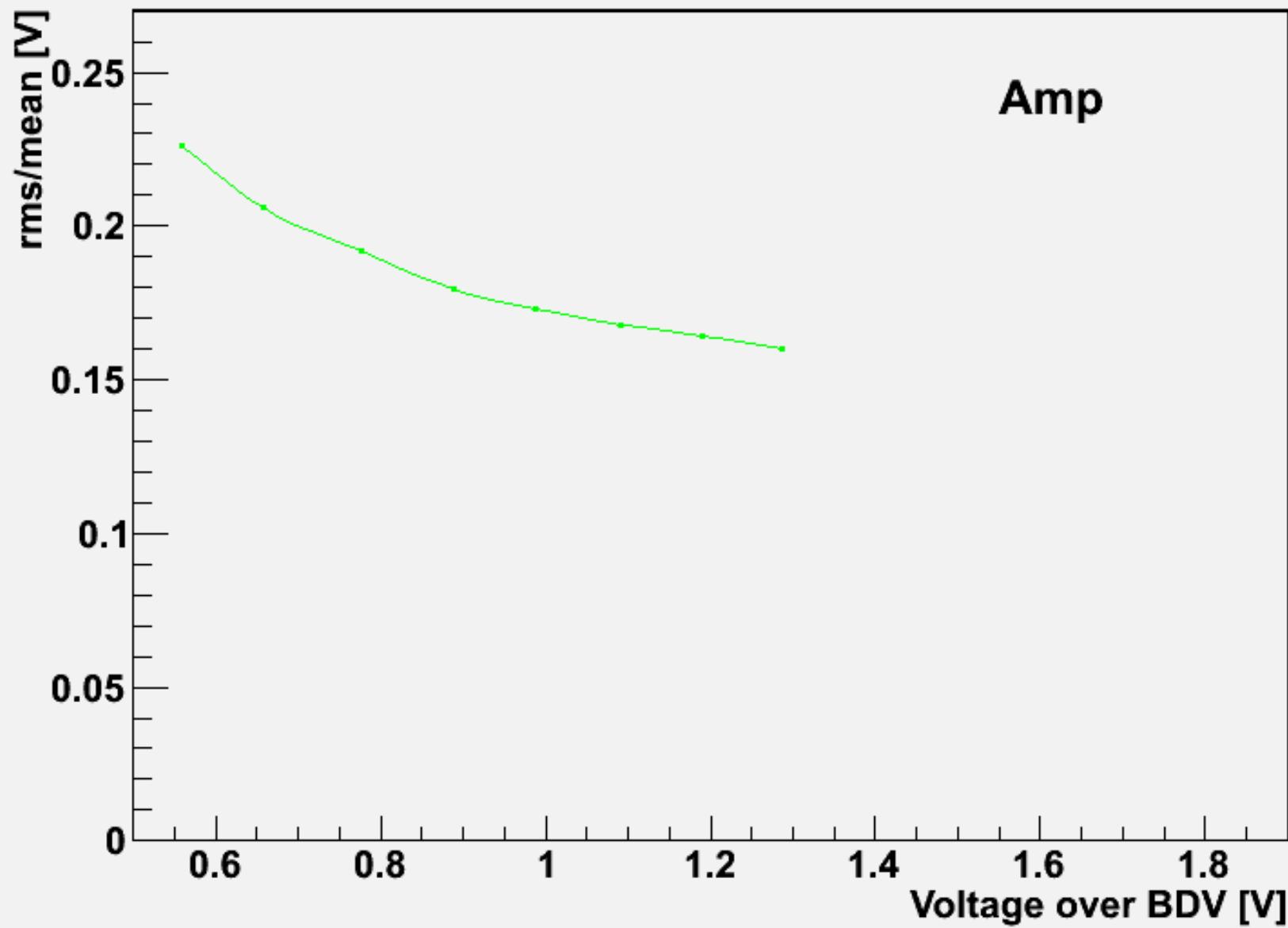
**1821\_T07**



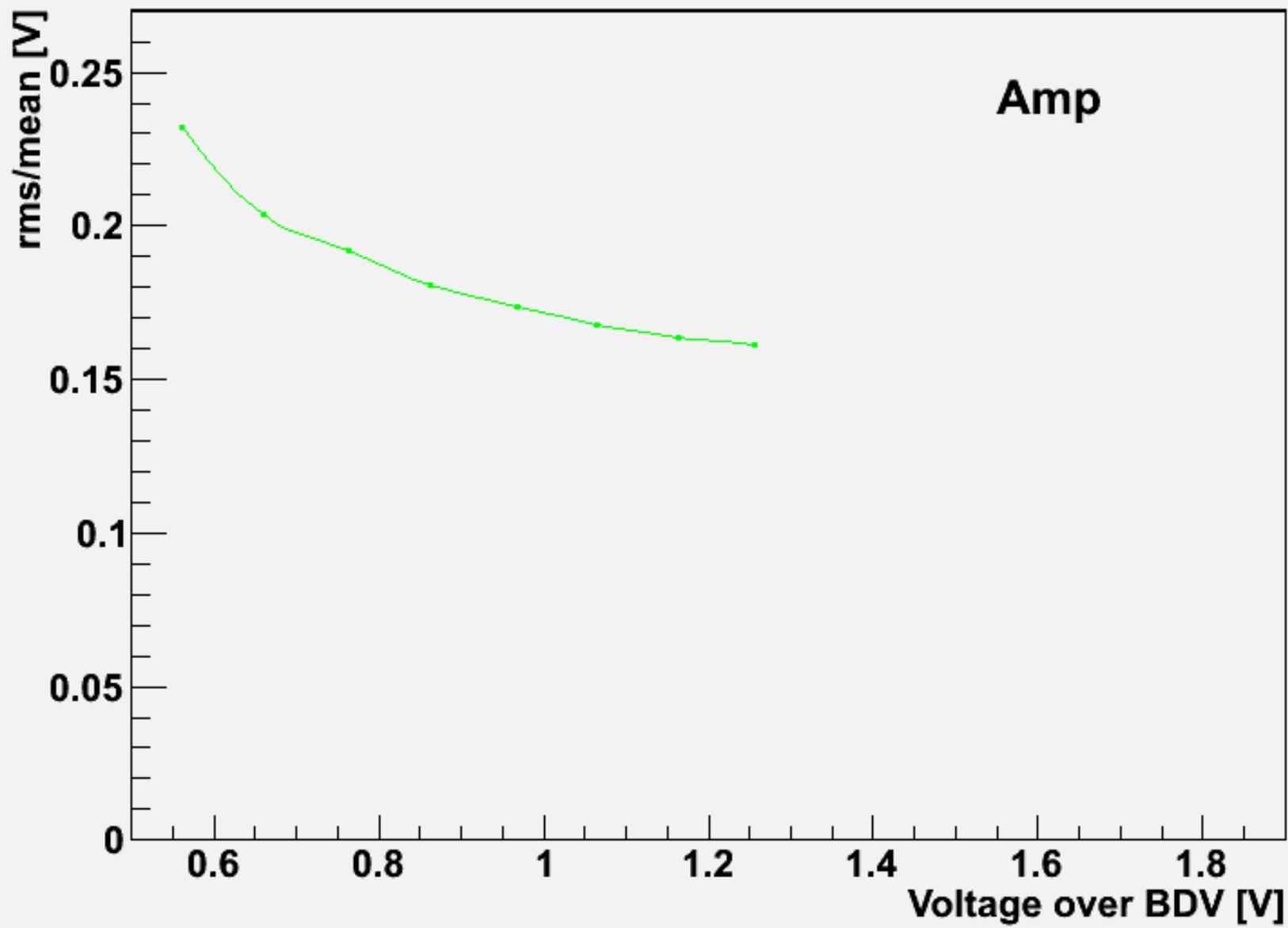
**1821\_T20**



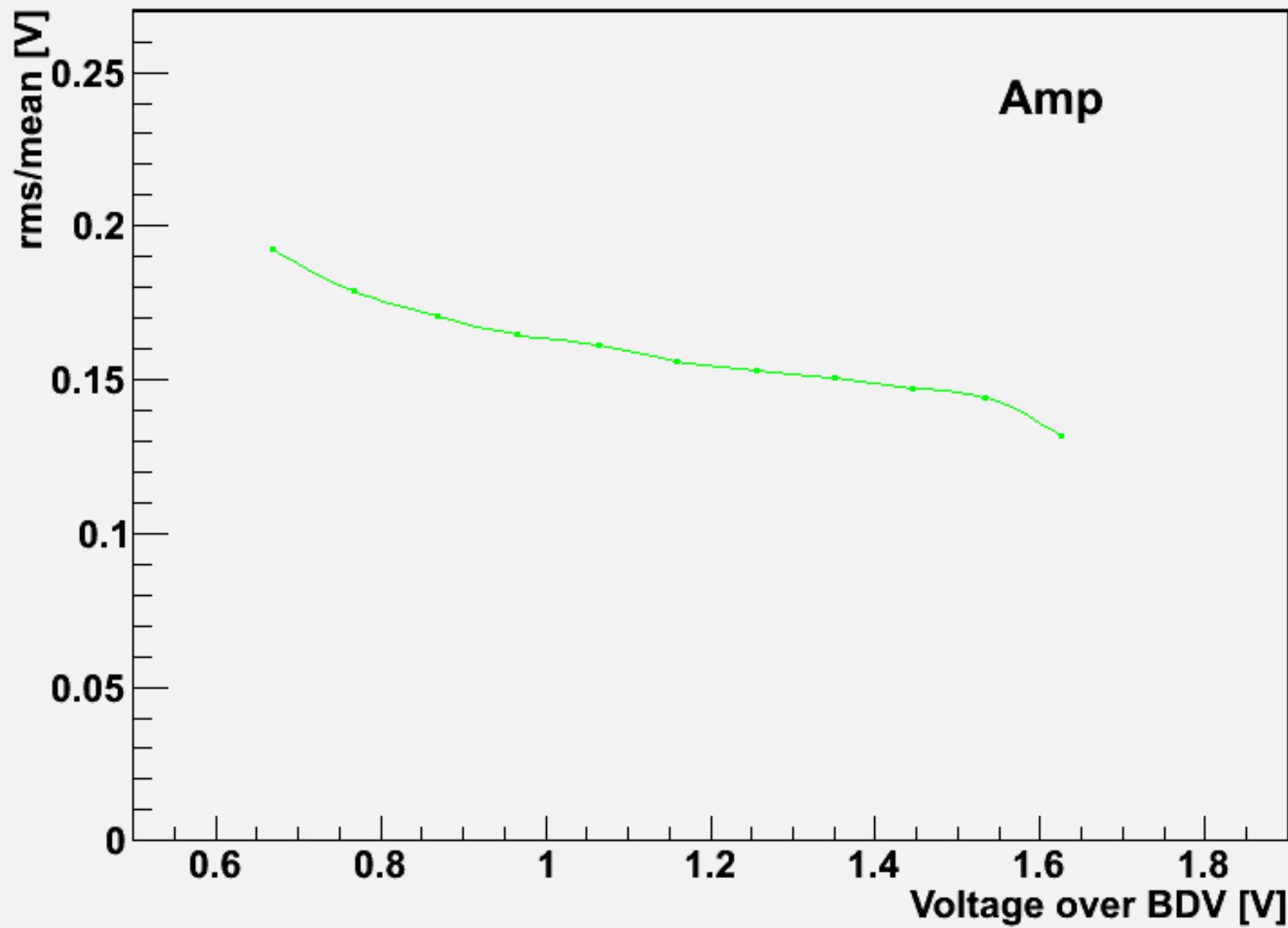
**1896\_T05**



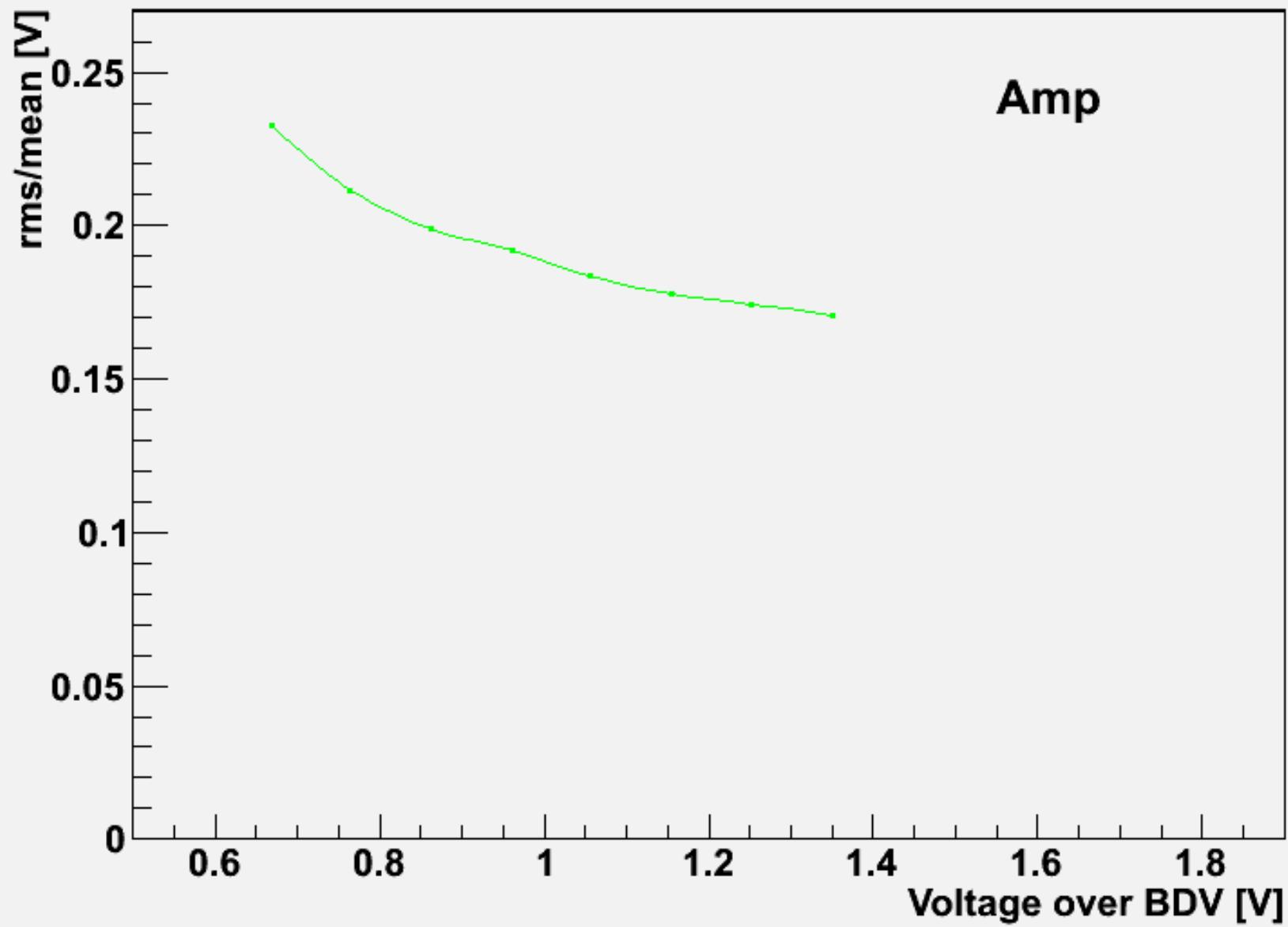
**1896\_T07**



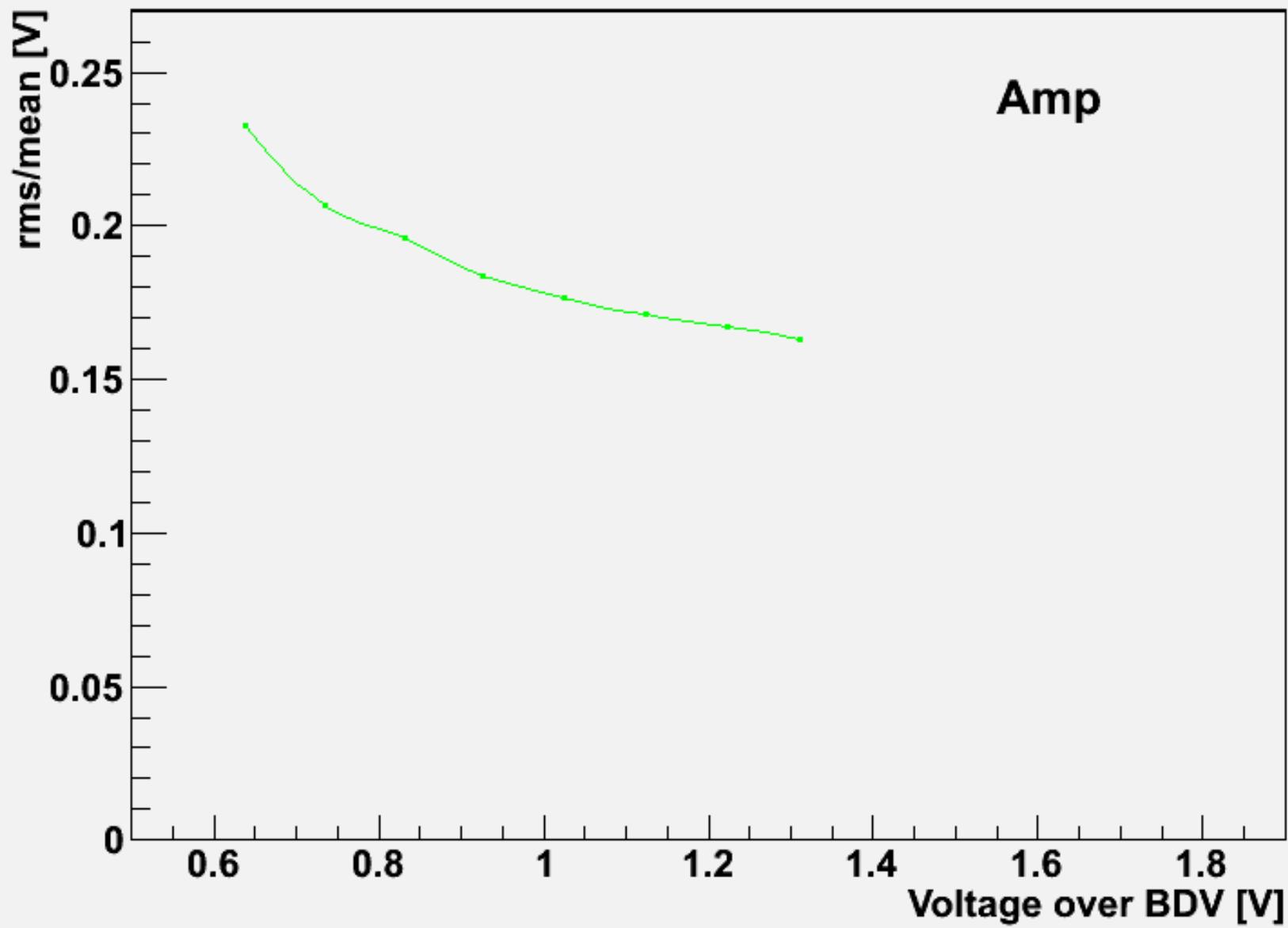
**1896\_T20**



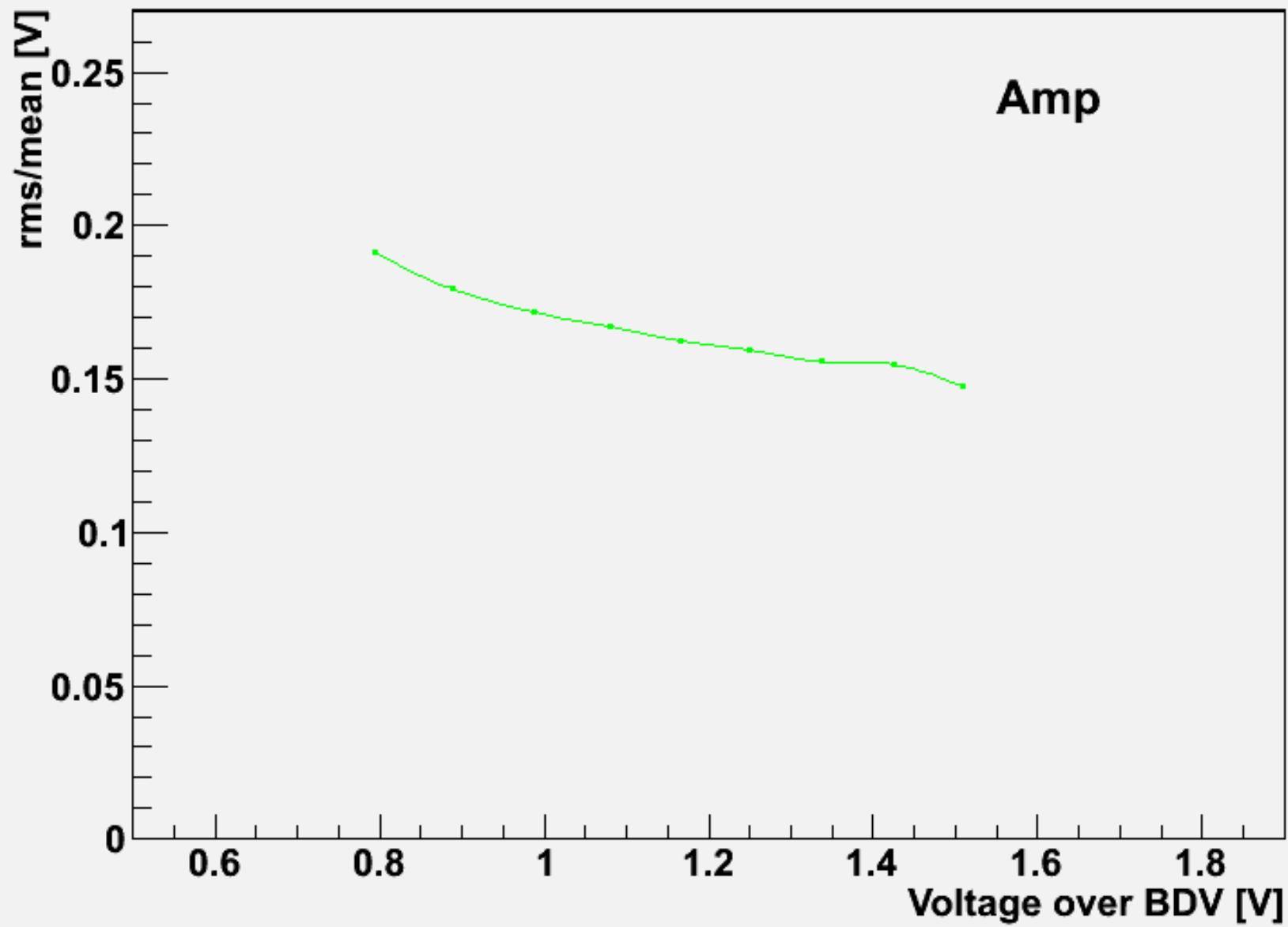
**2009\_T05**



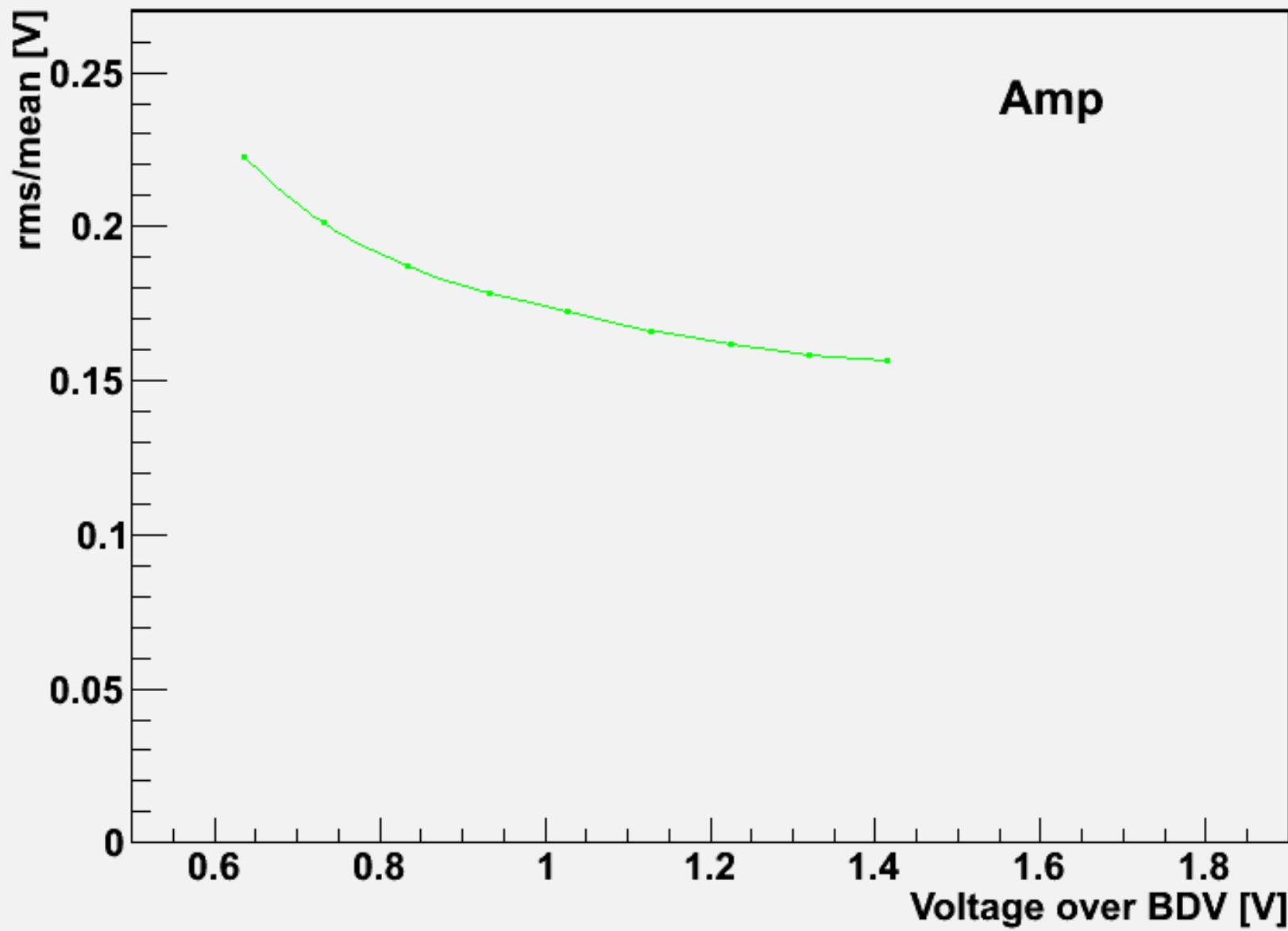
**2009\_T07**



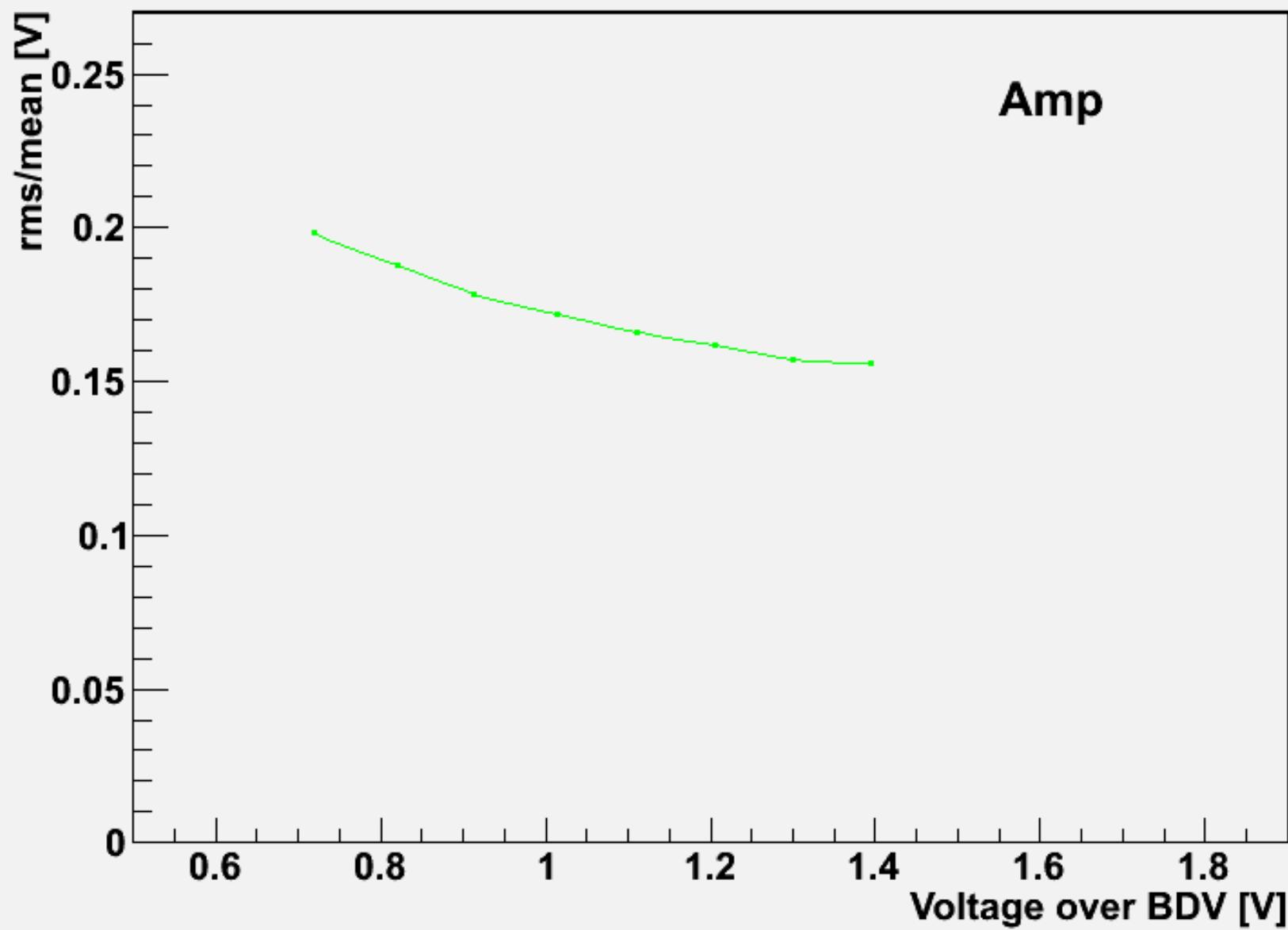
**2009\_T20**



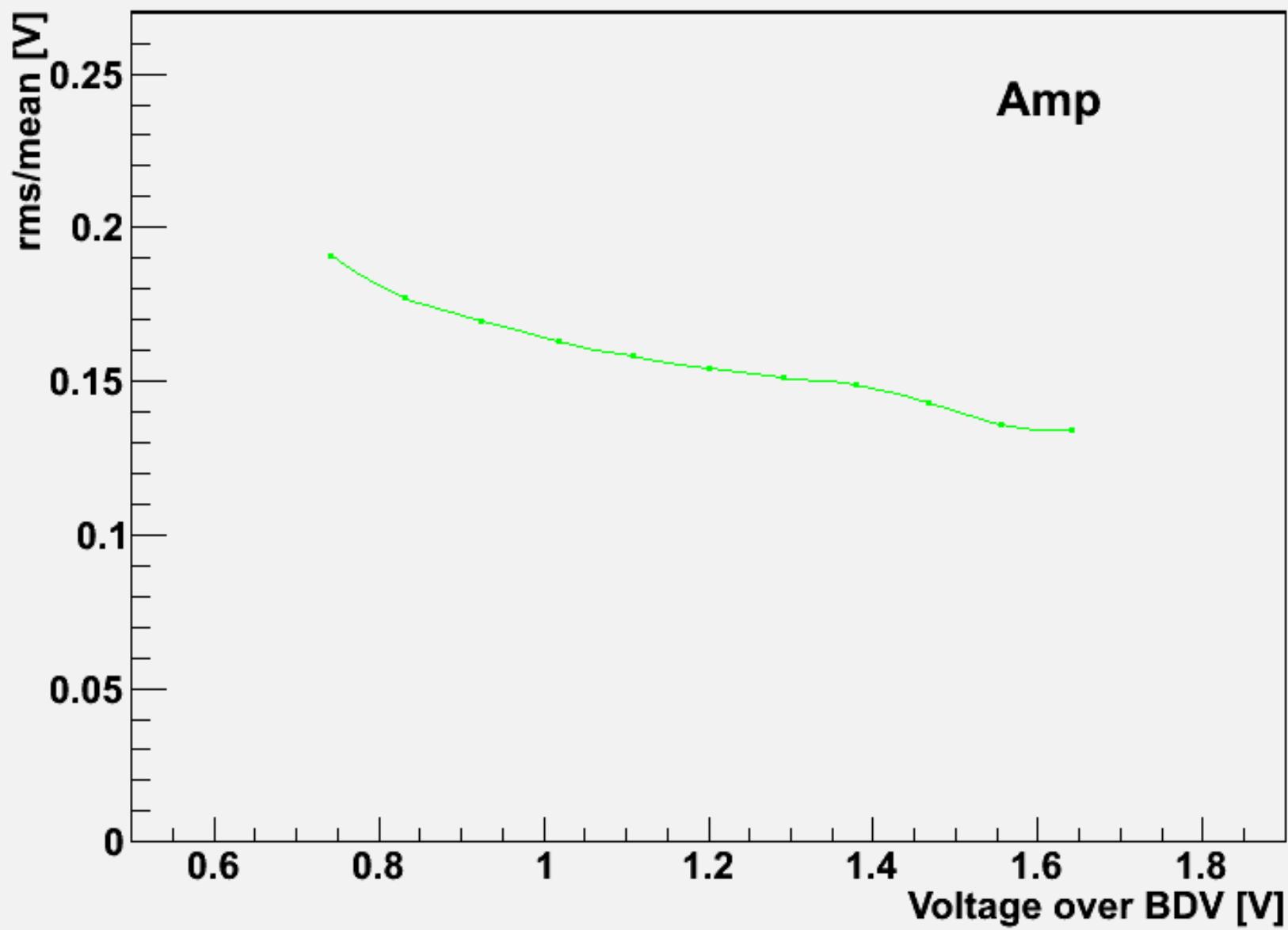
**2044\_T05**



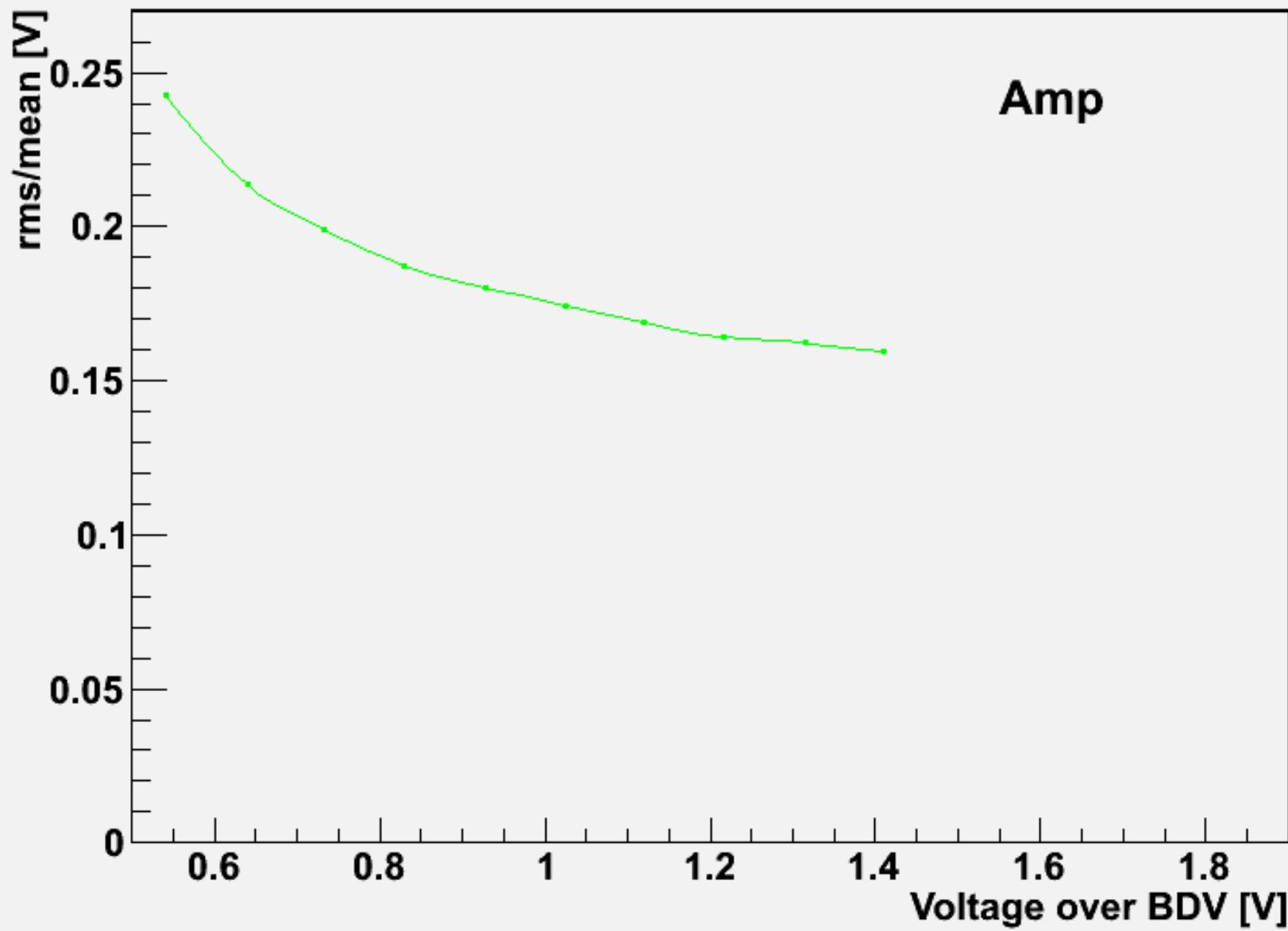
**2044\_T07**



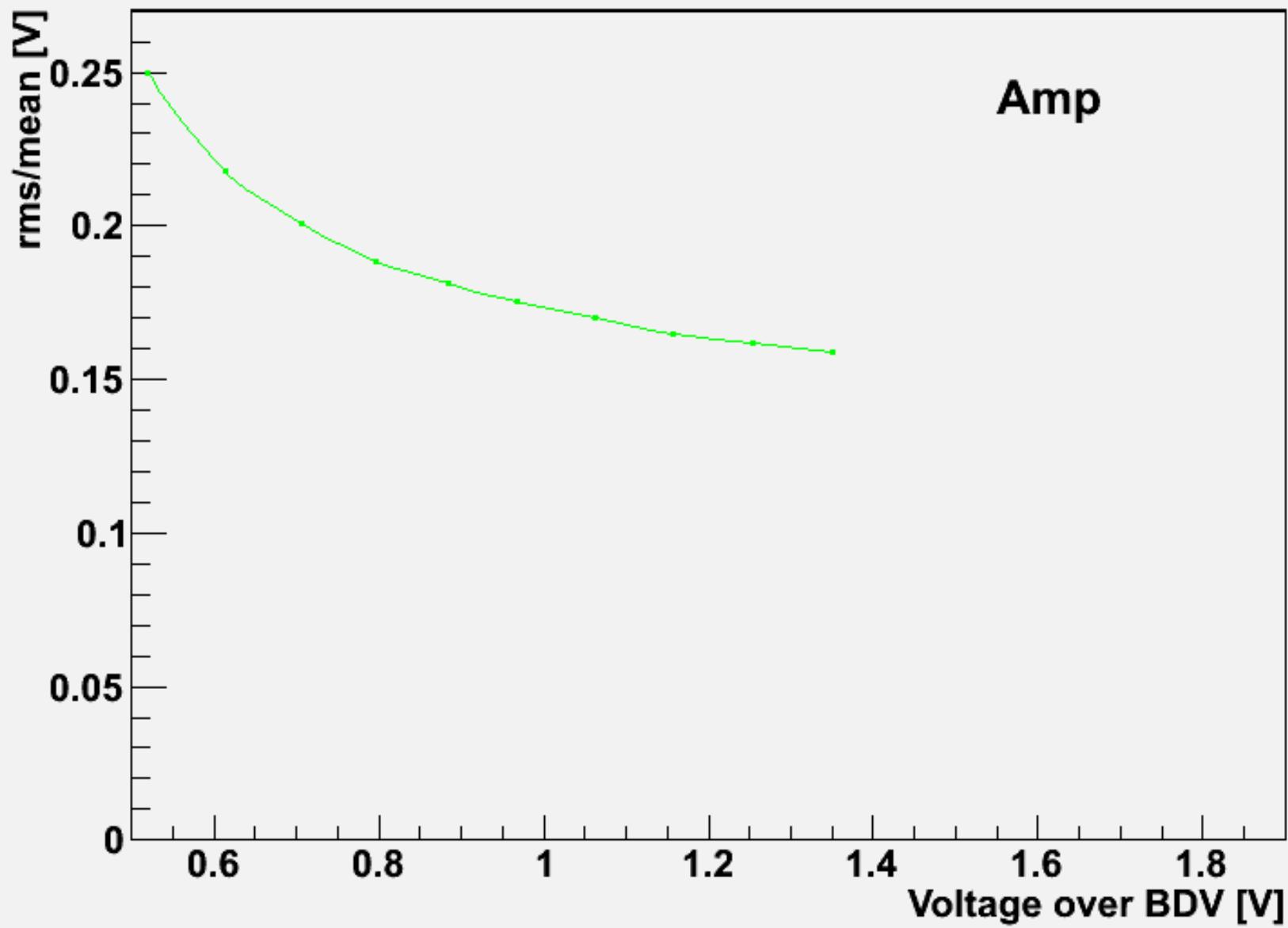
**2044\_T20**



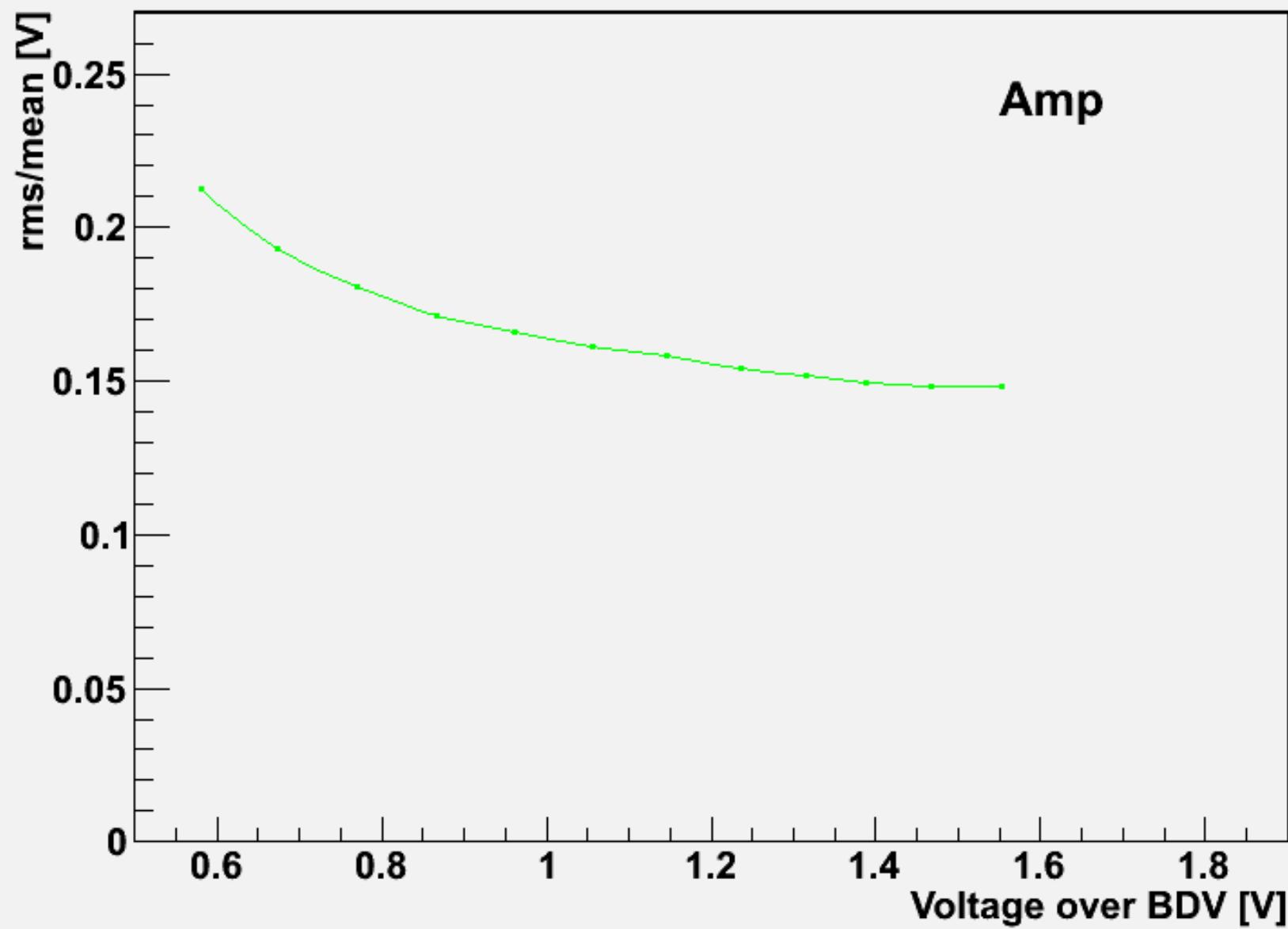
**2083\_T05**



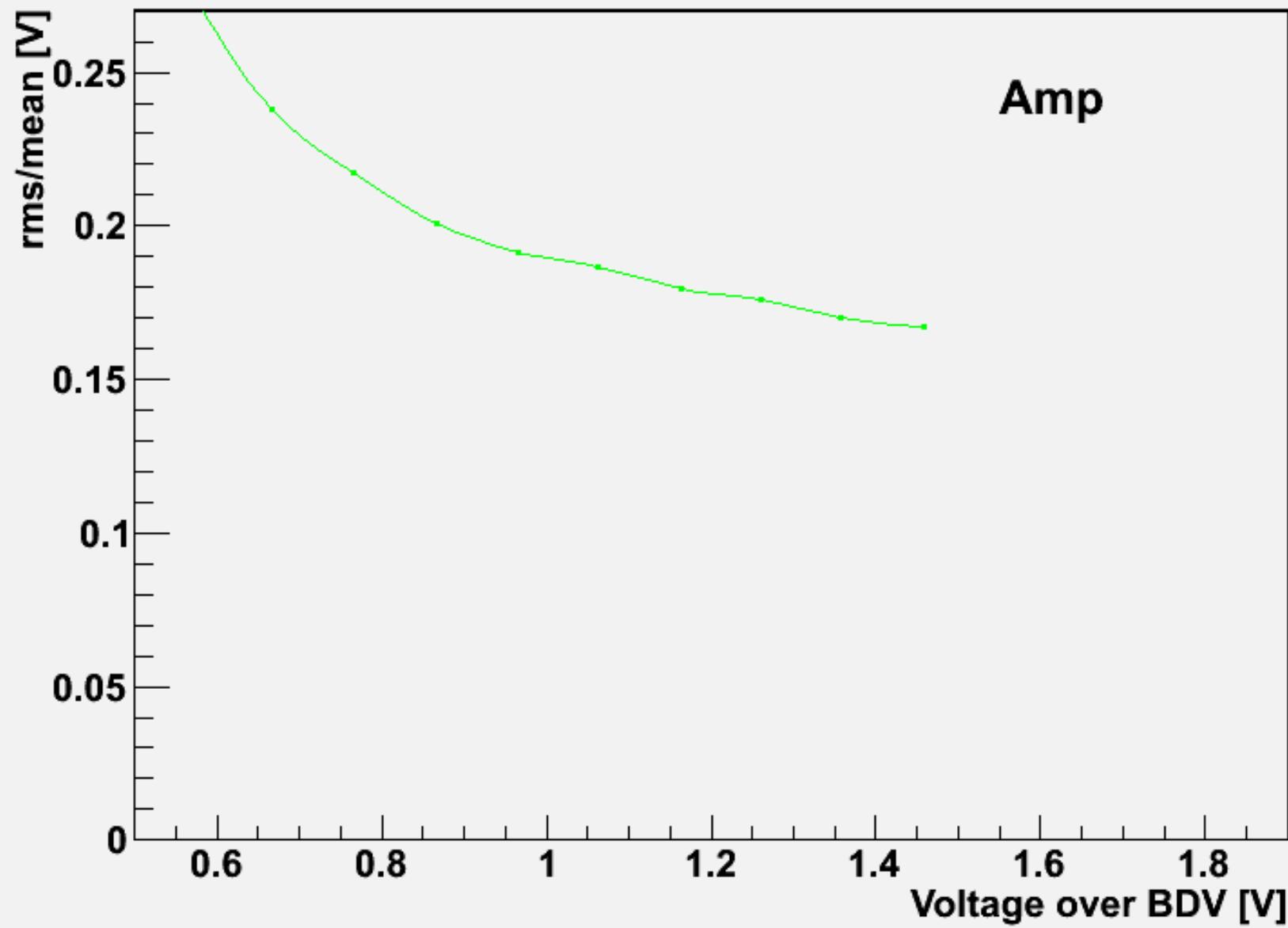
**2083\_T07**



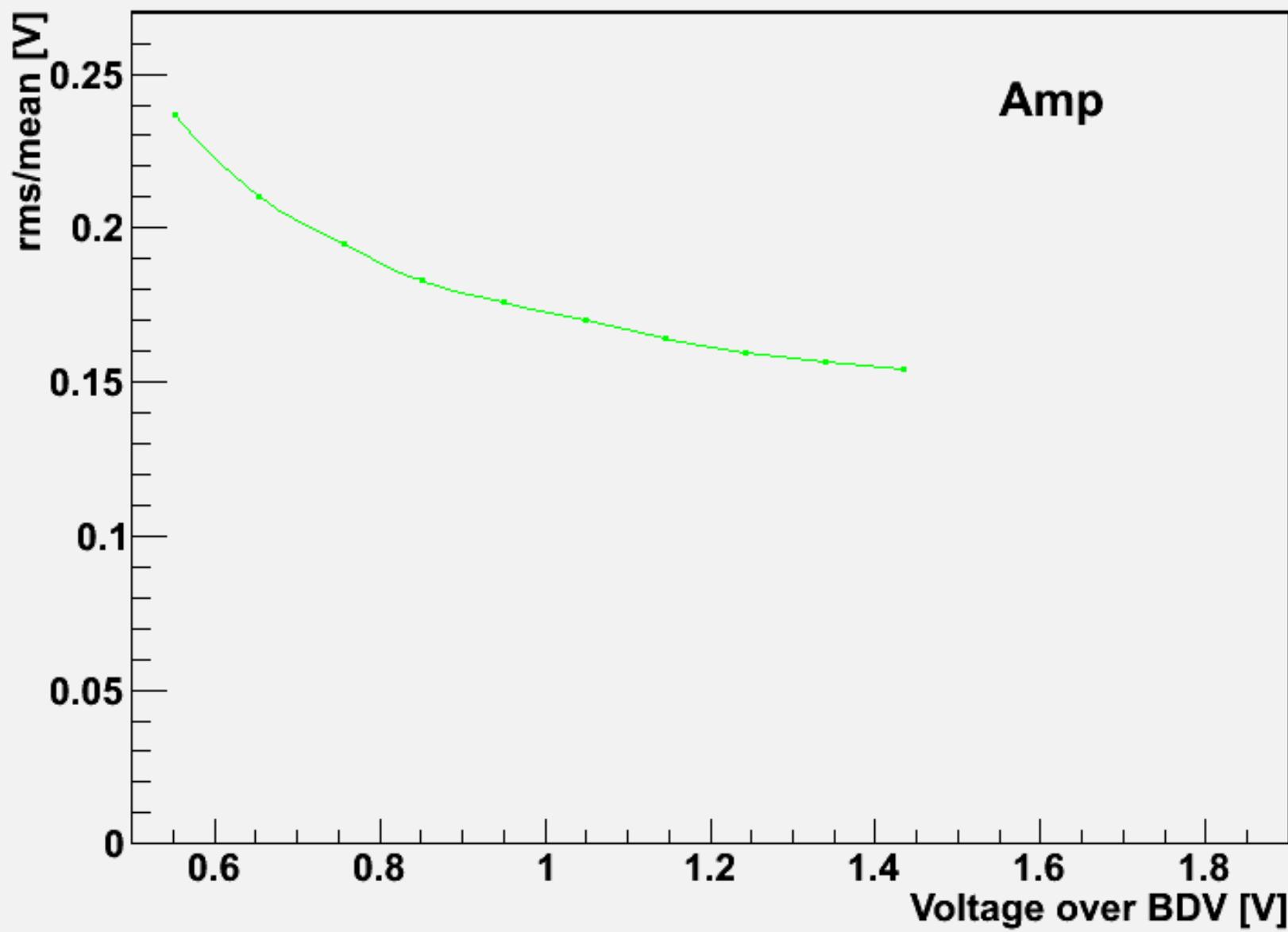
**2083\_T20**



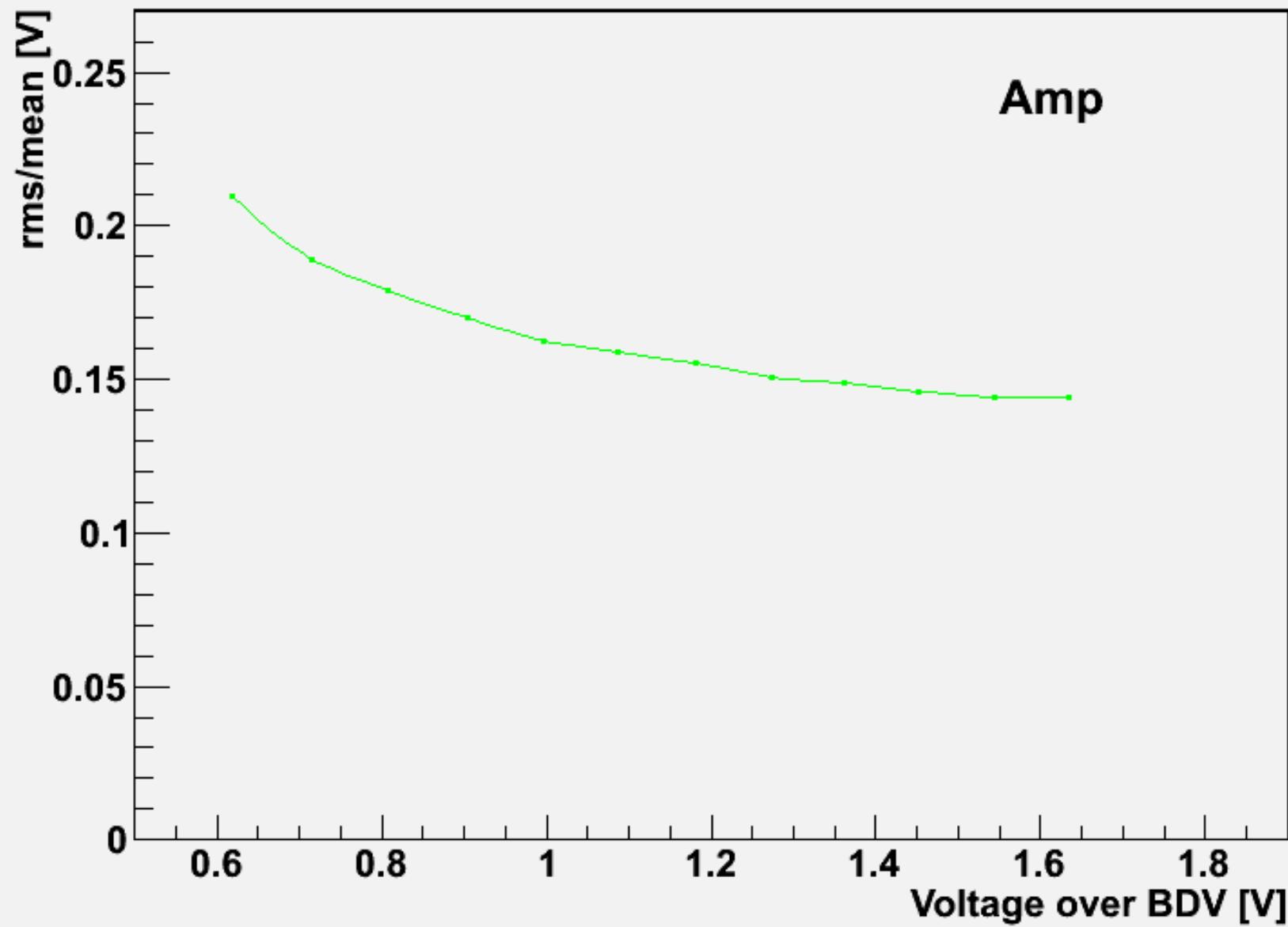
**2098\_T05**



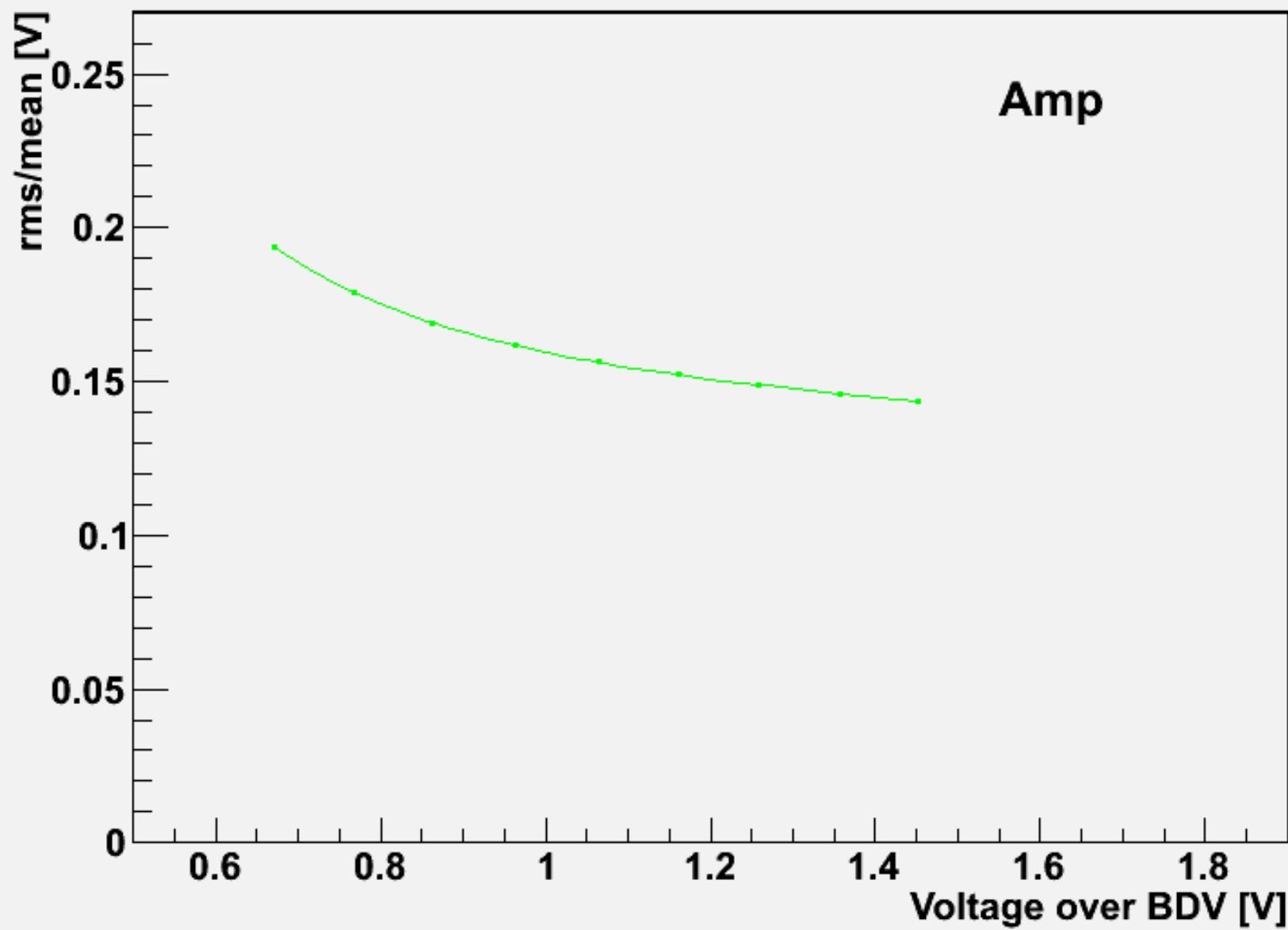
**2198\_T07**



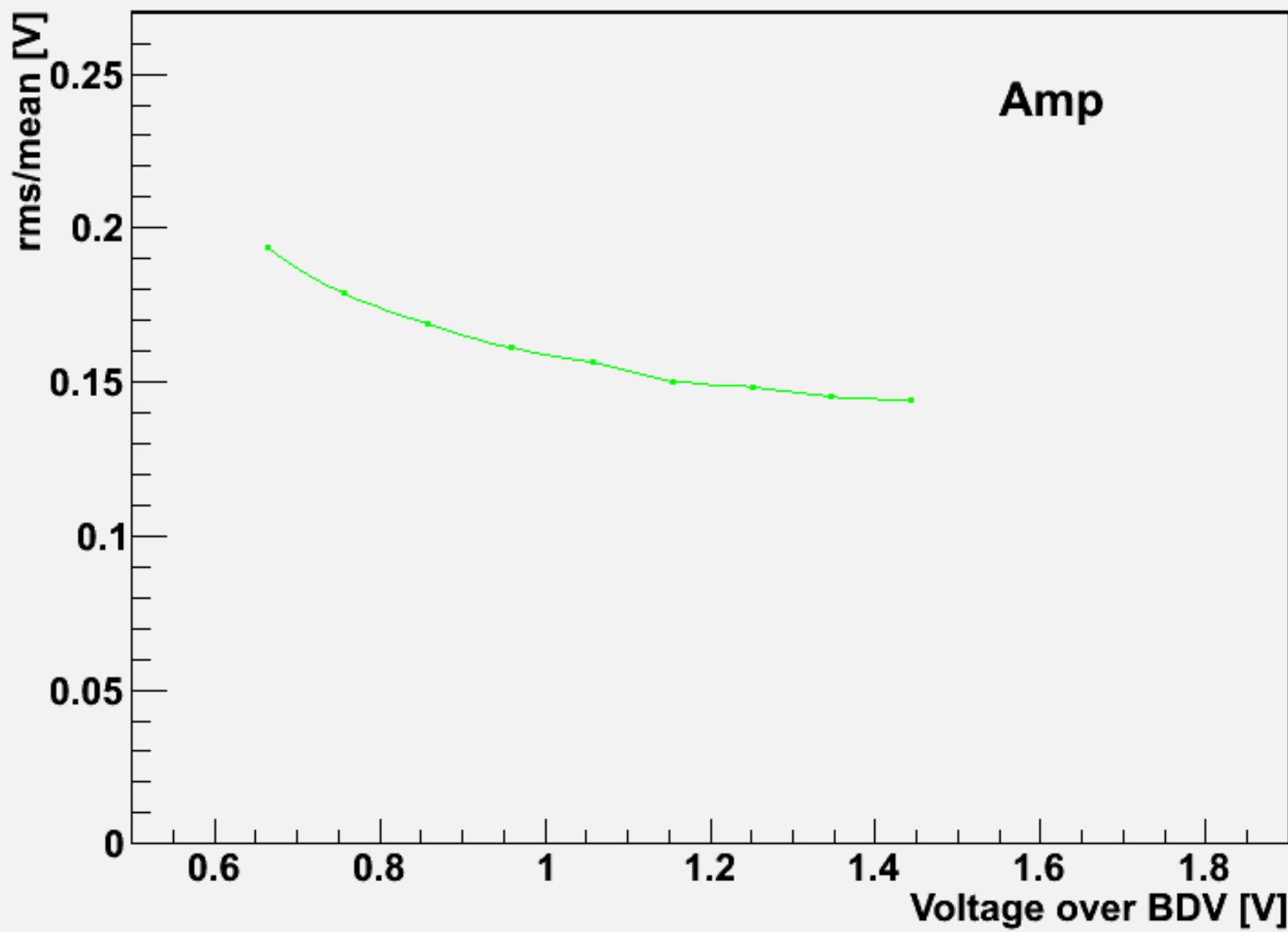
**2198\_T20**



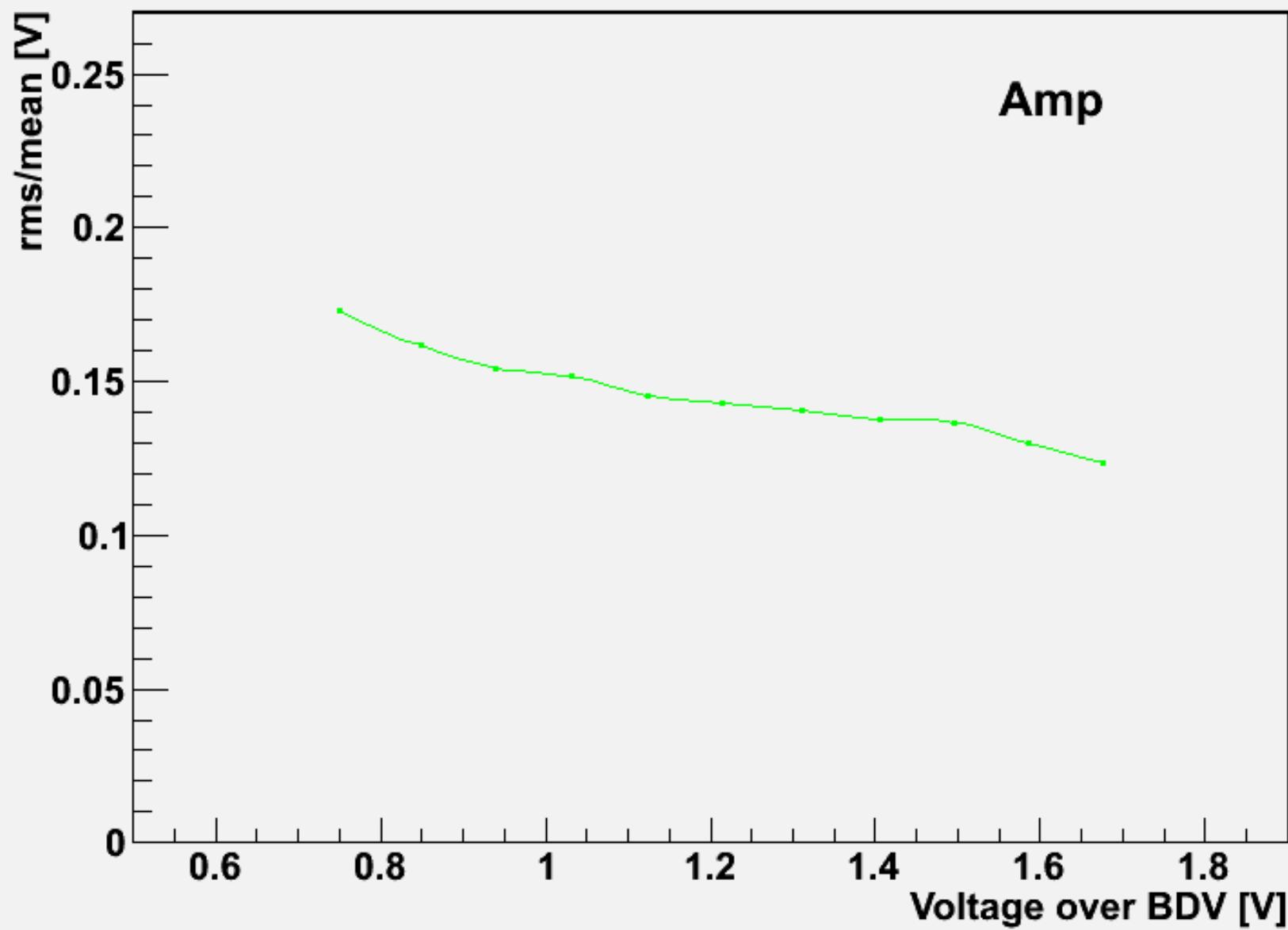
**2247\_T05**



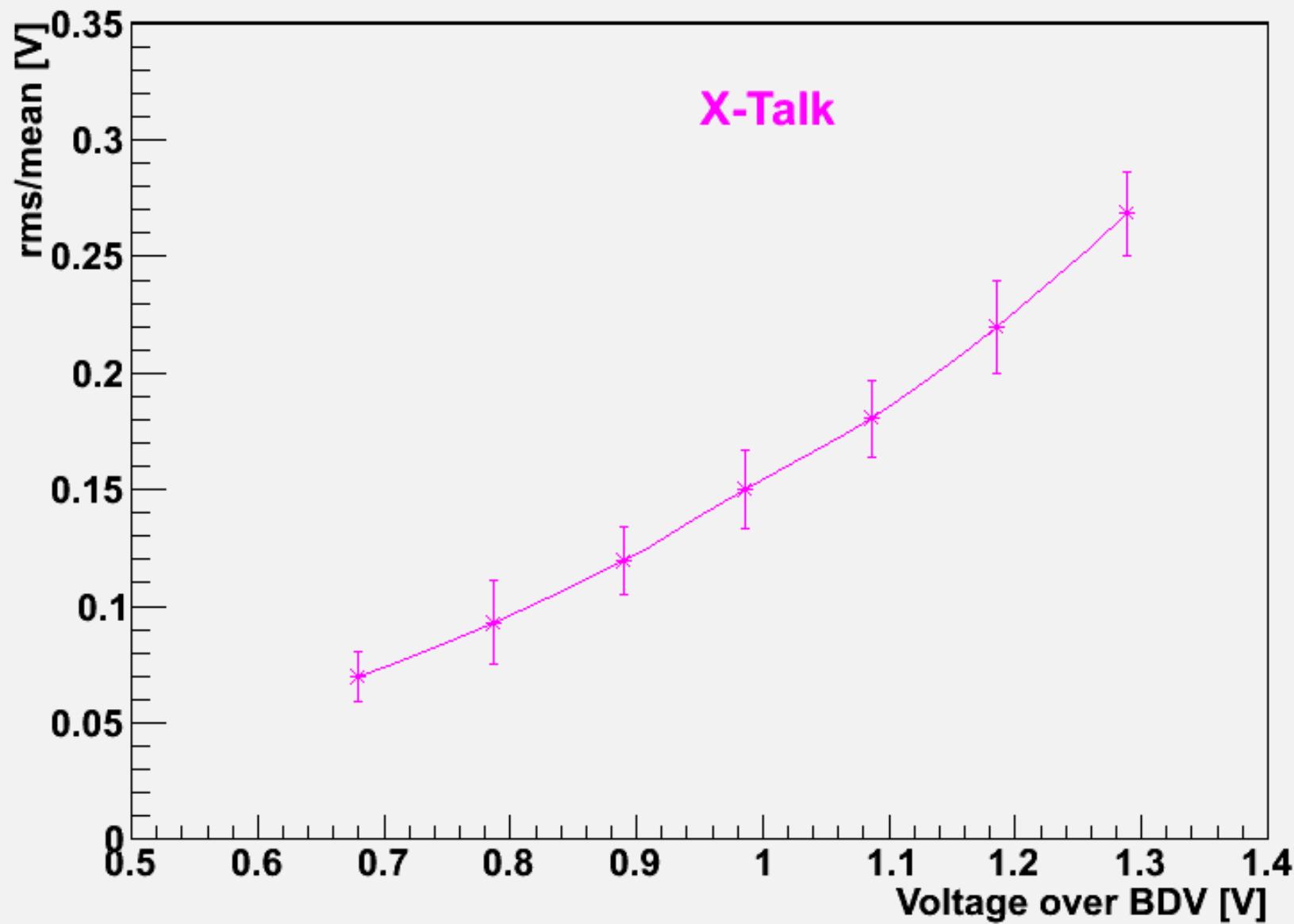
**2247\_T07**



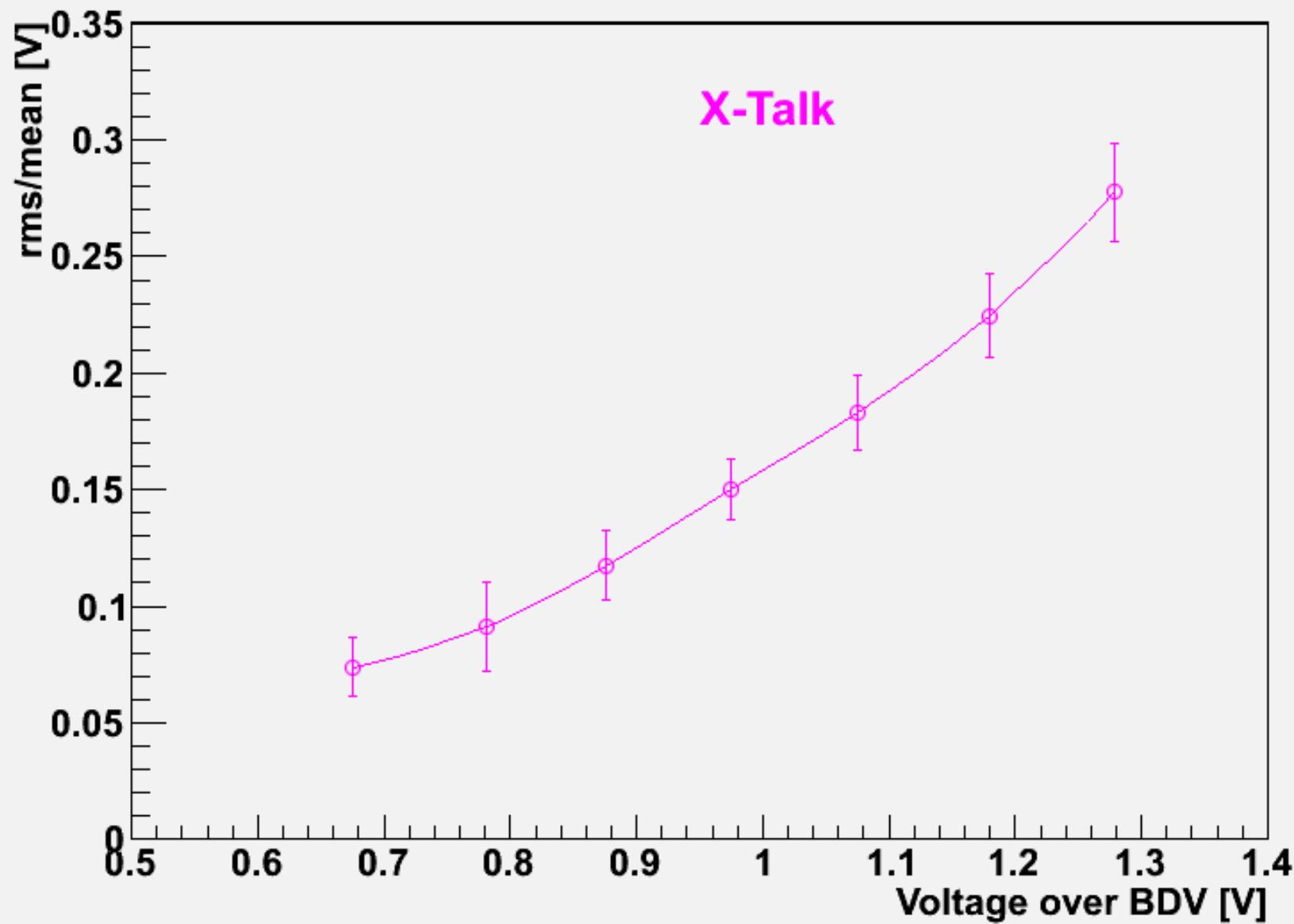
**2247\_T20**



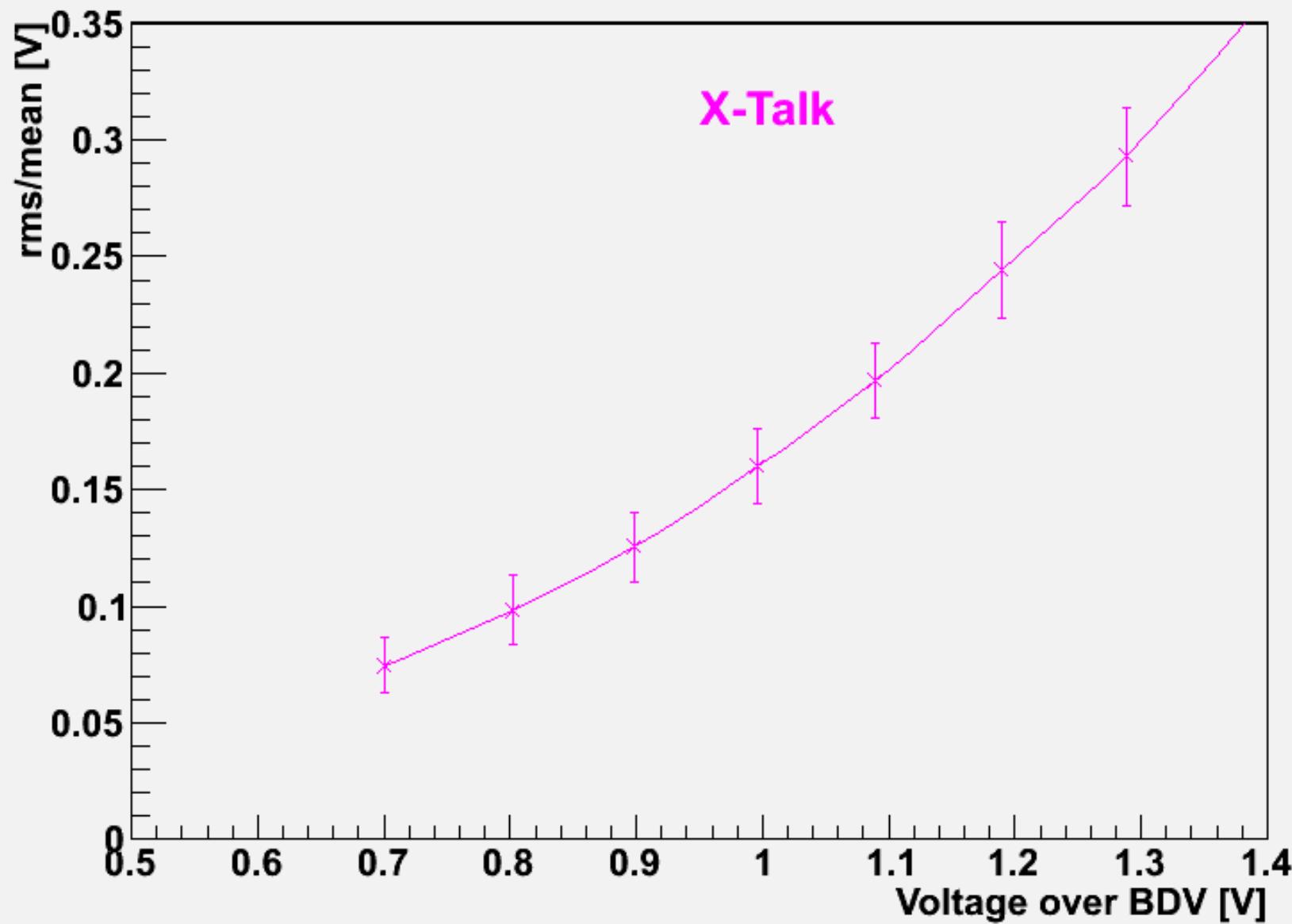
**1821\_T05**



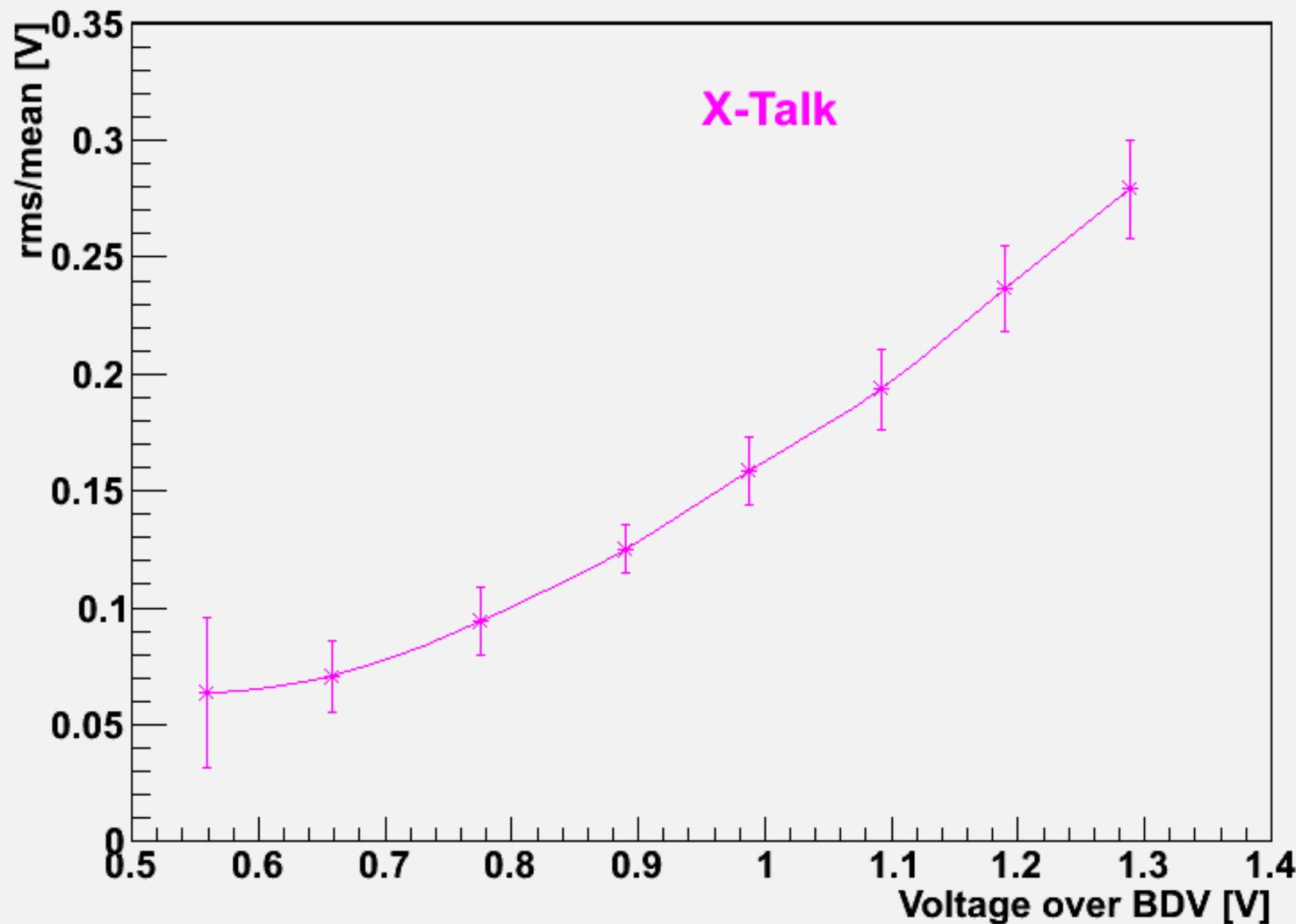
**1821\_T07**



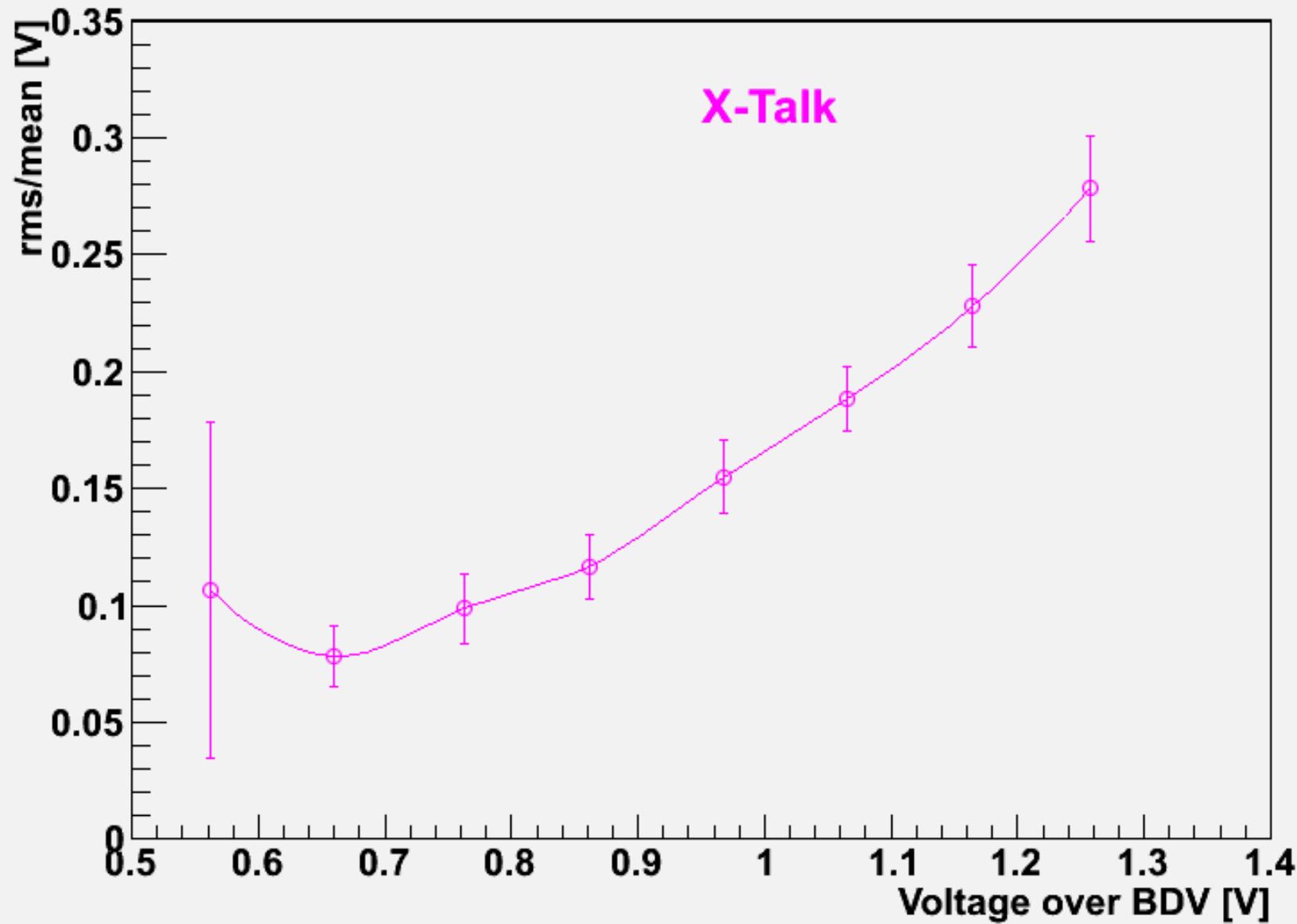
**1821\_T20**



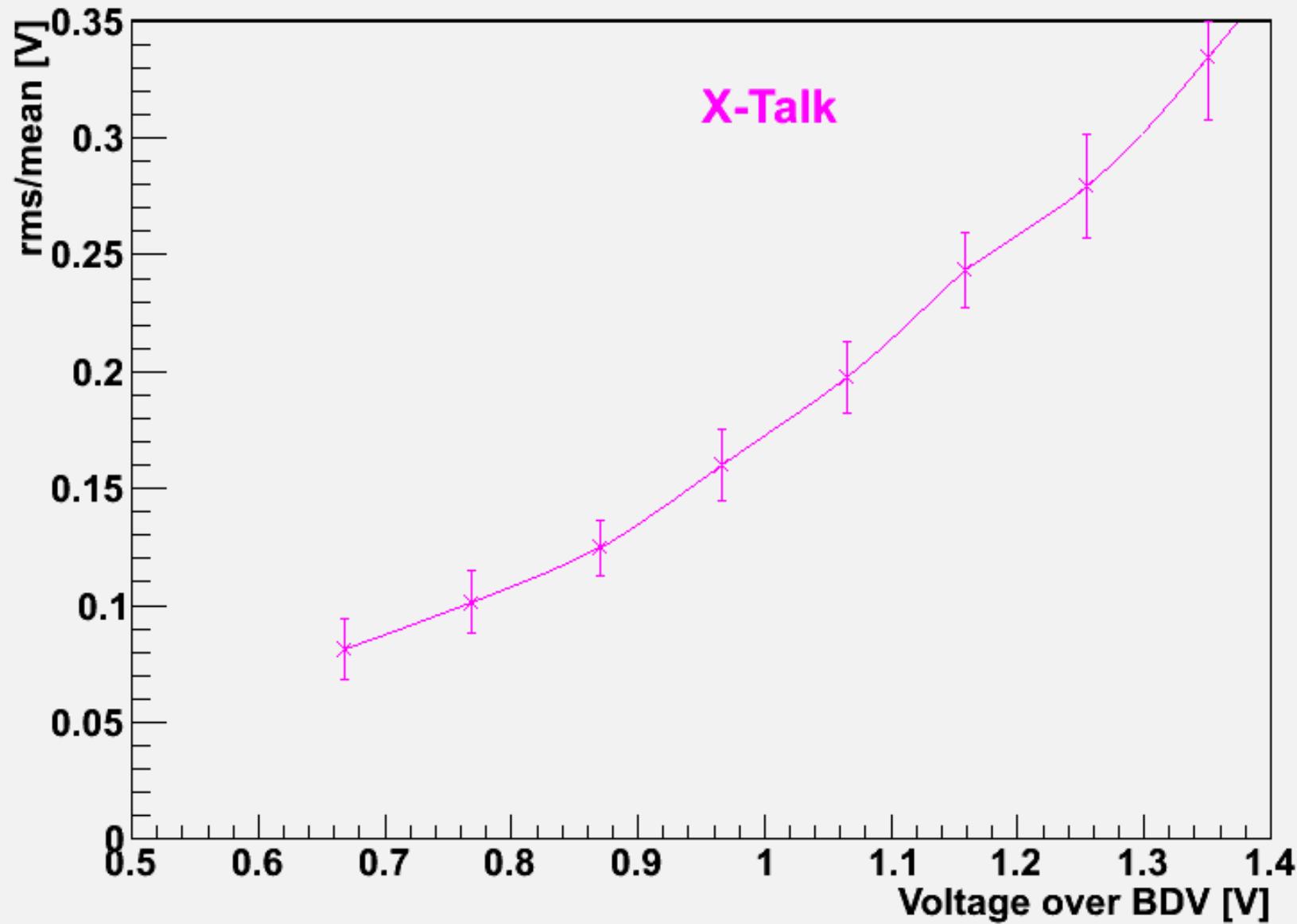
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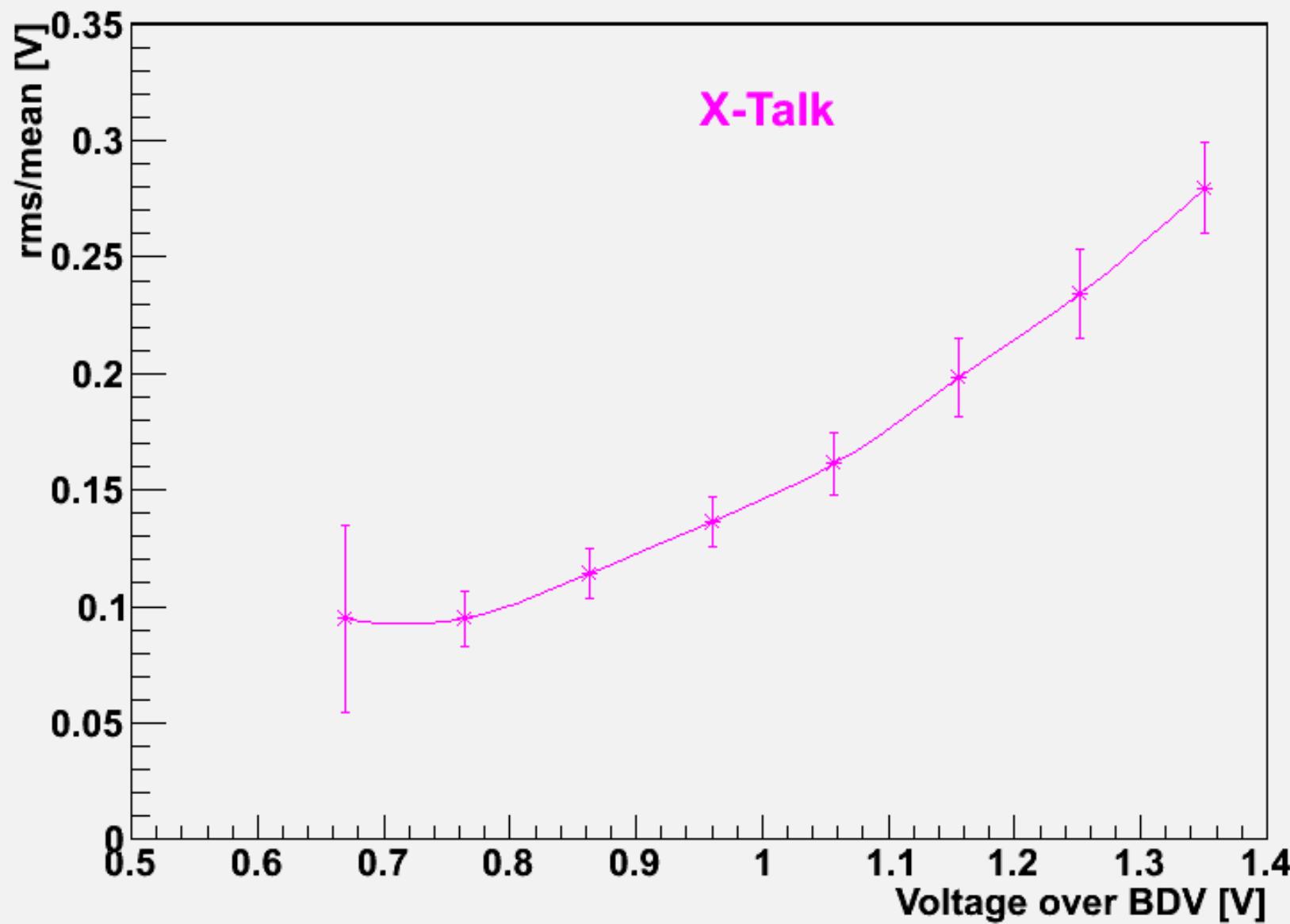
**1896\_T07**



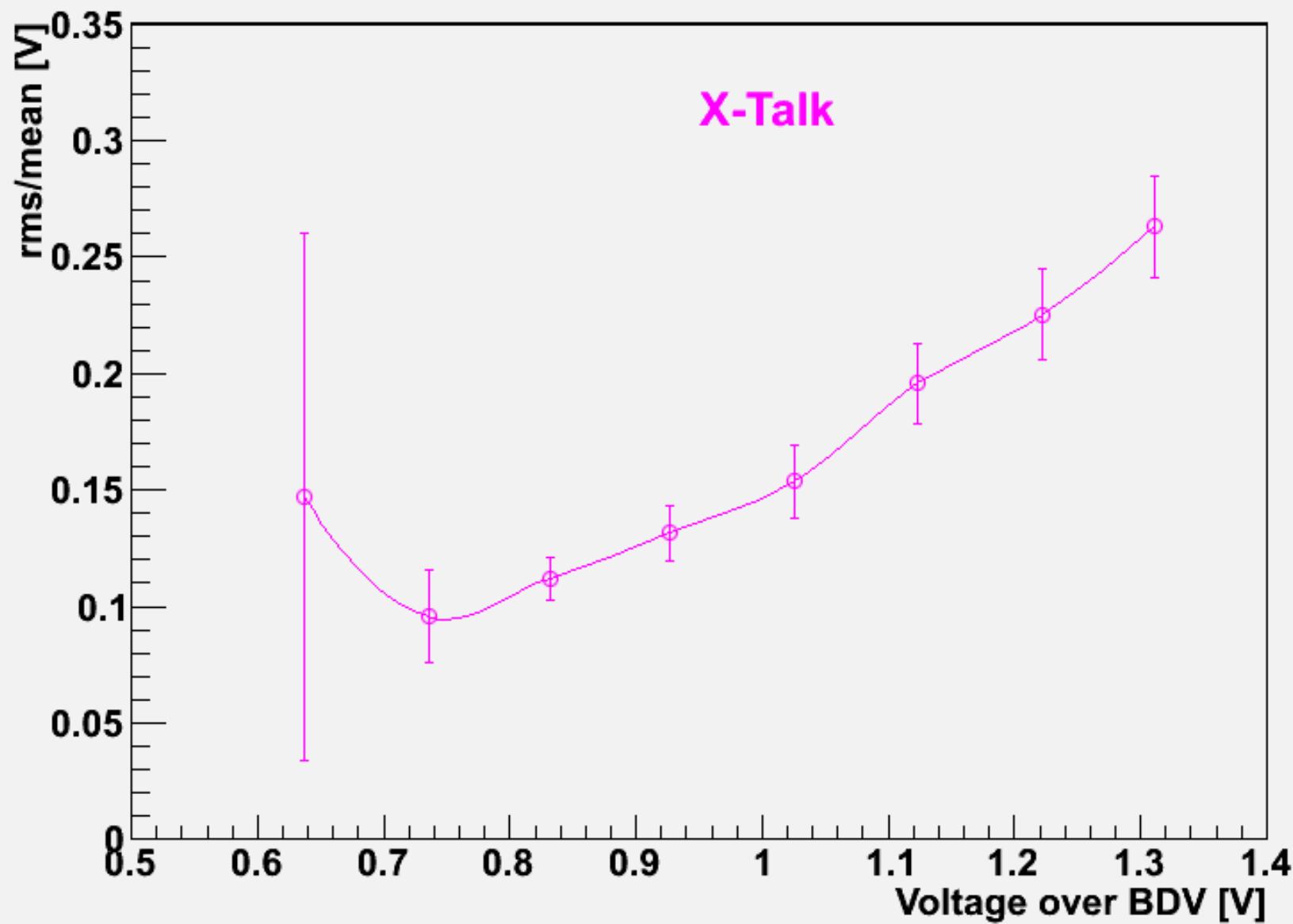
**1896\_T20**



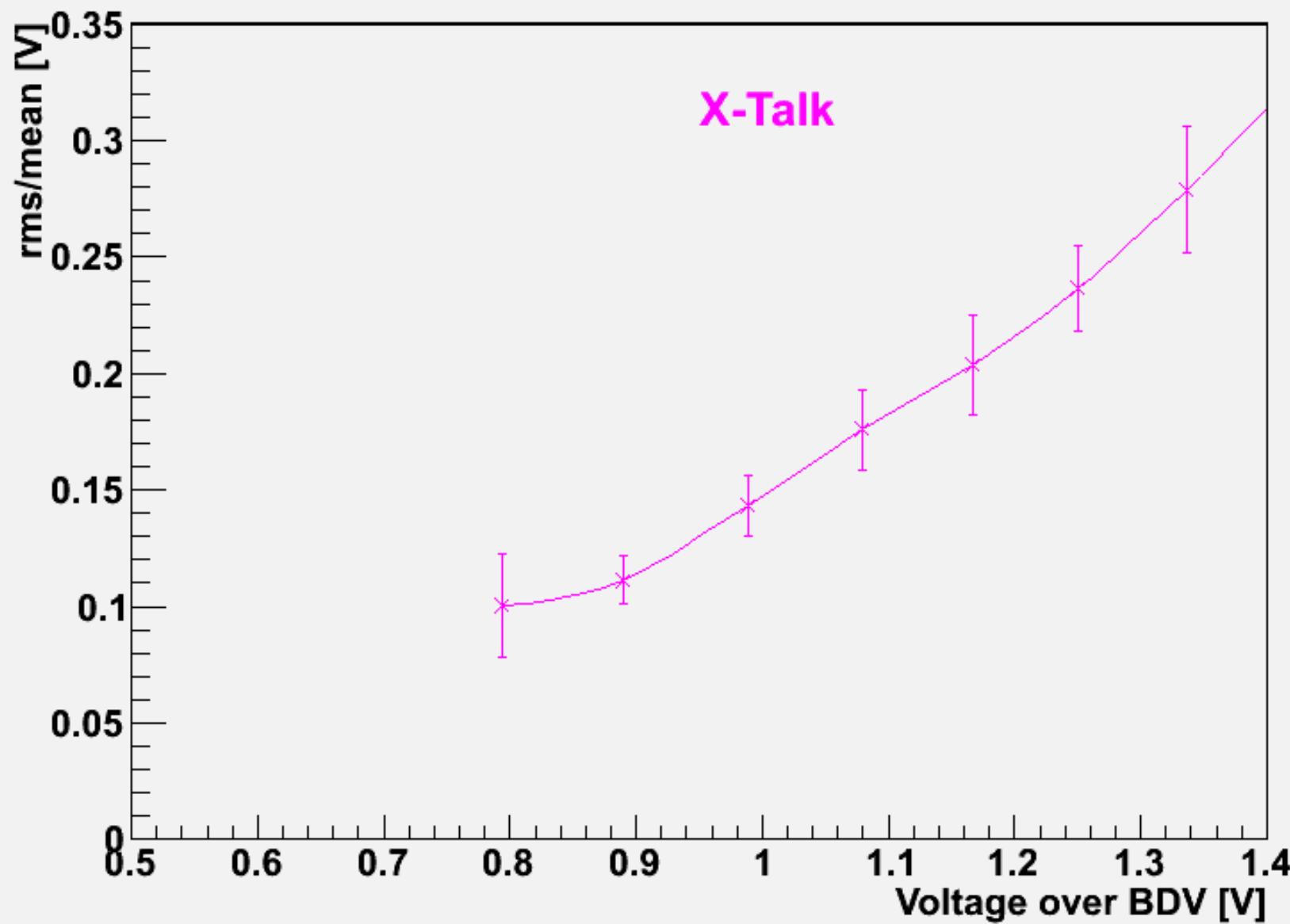
**2009\_T05**



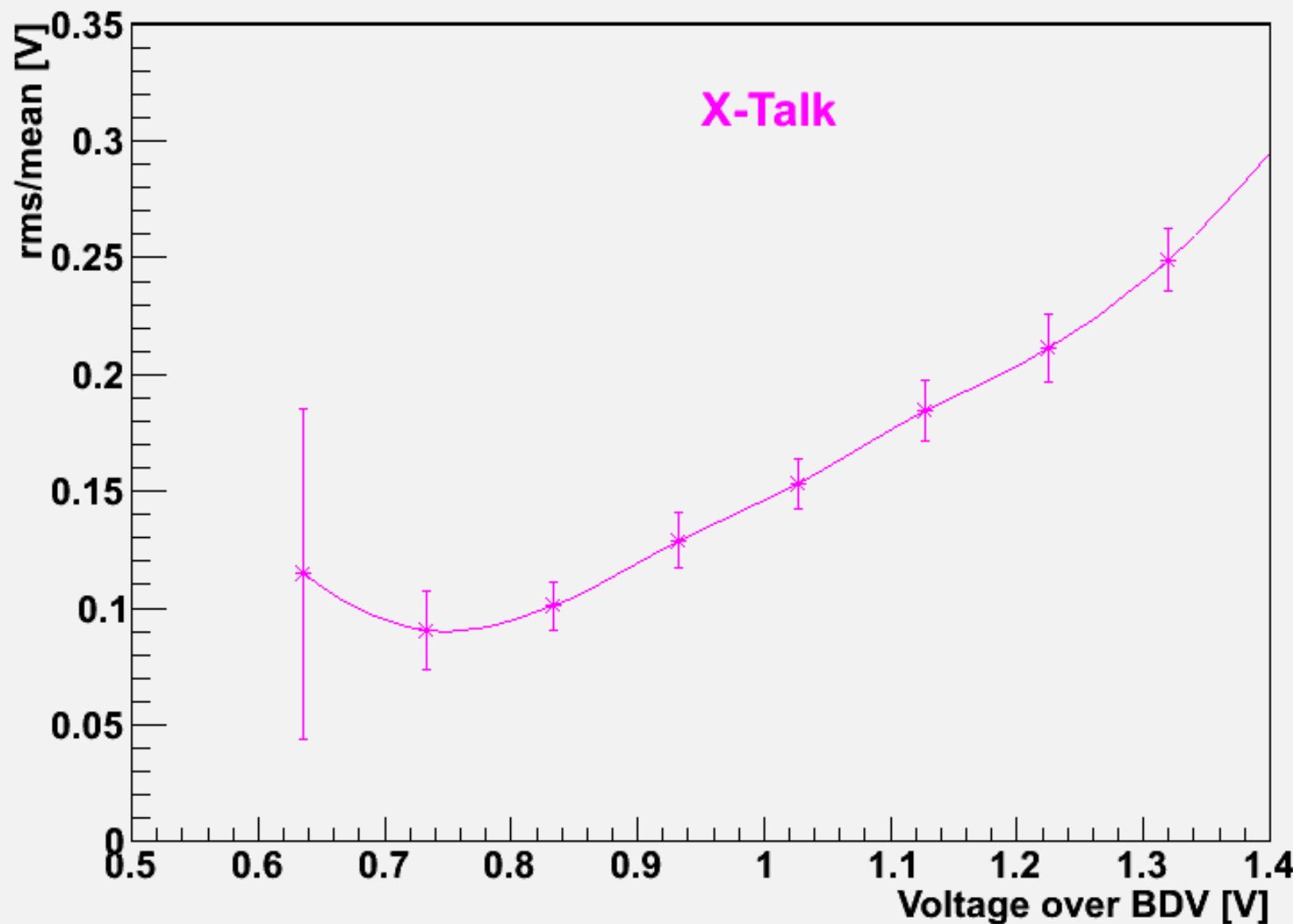
**2009\_T07**



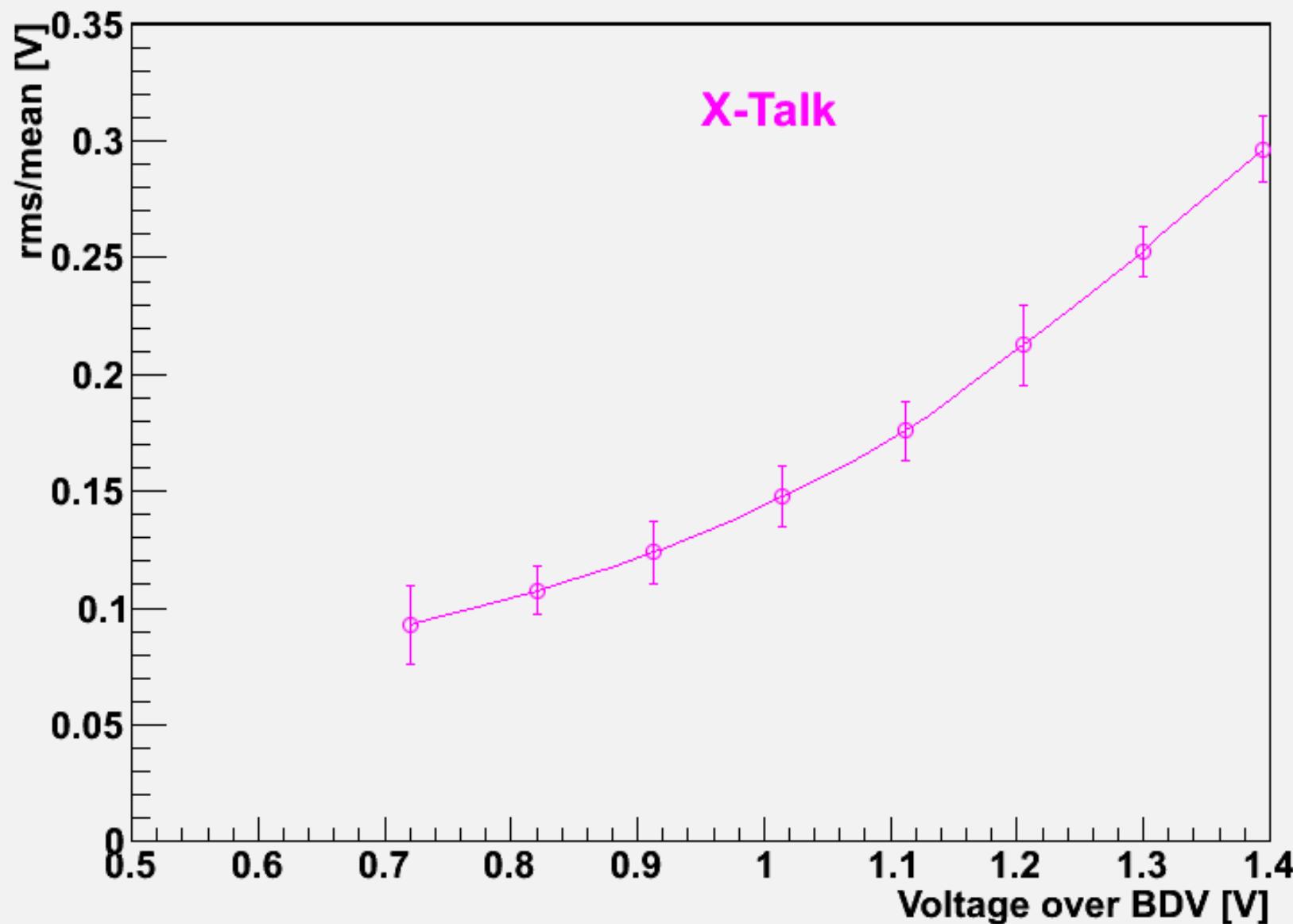
**2009\_T20**



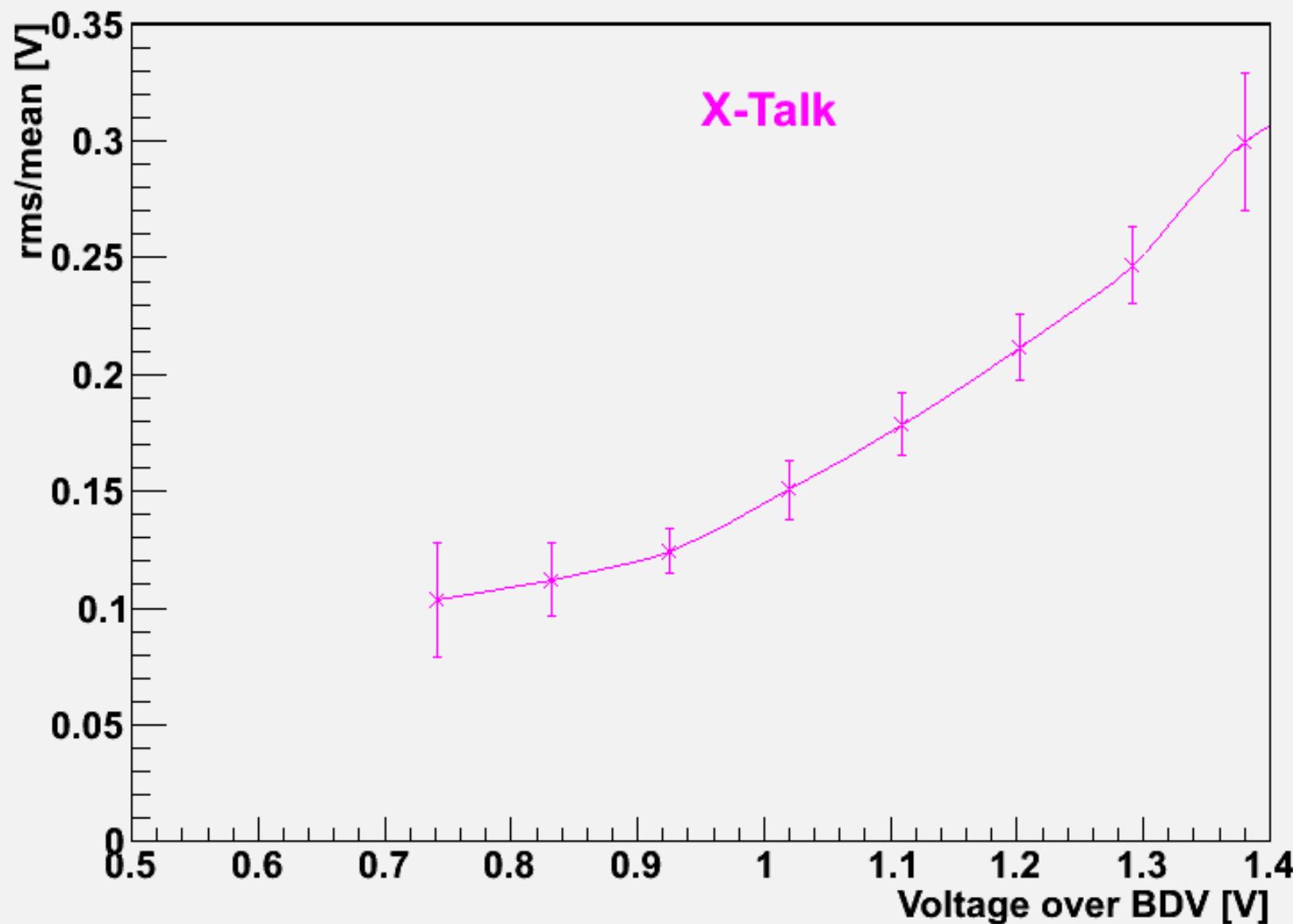
**2044\_T05**



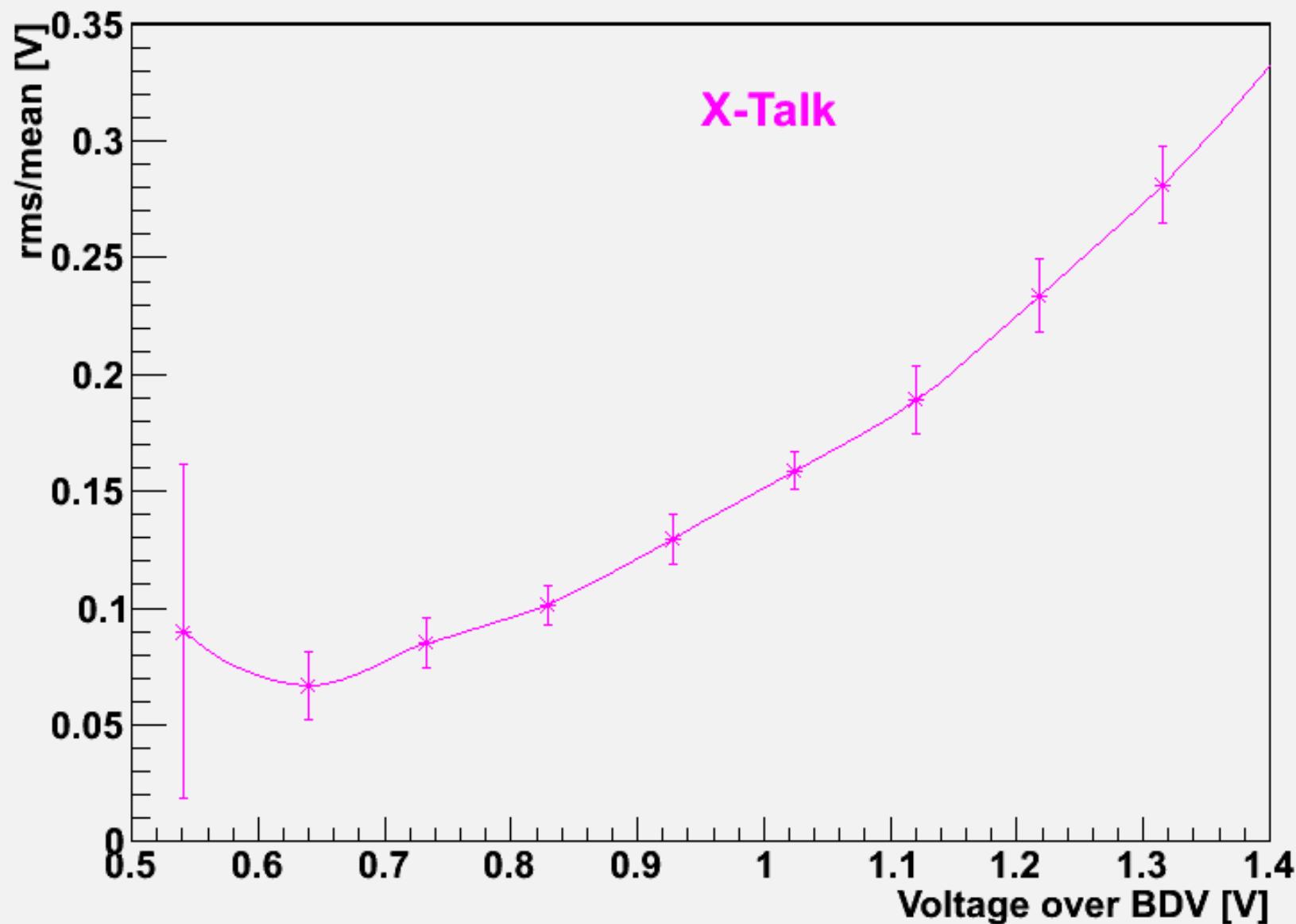
**2044\_T07**



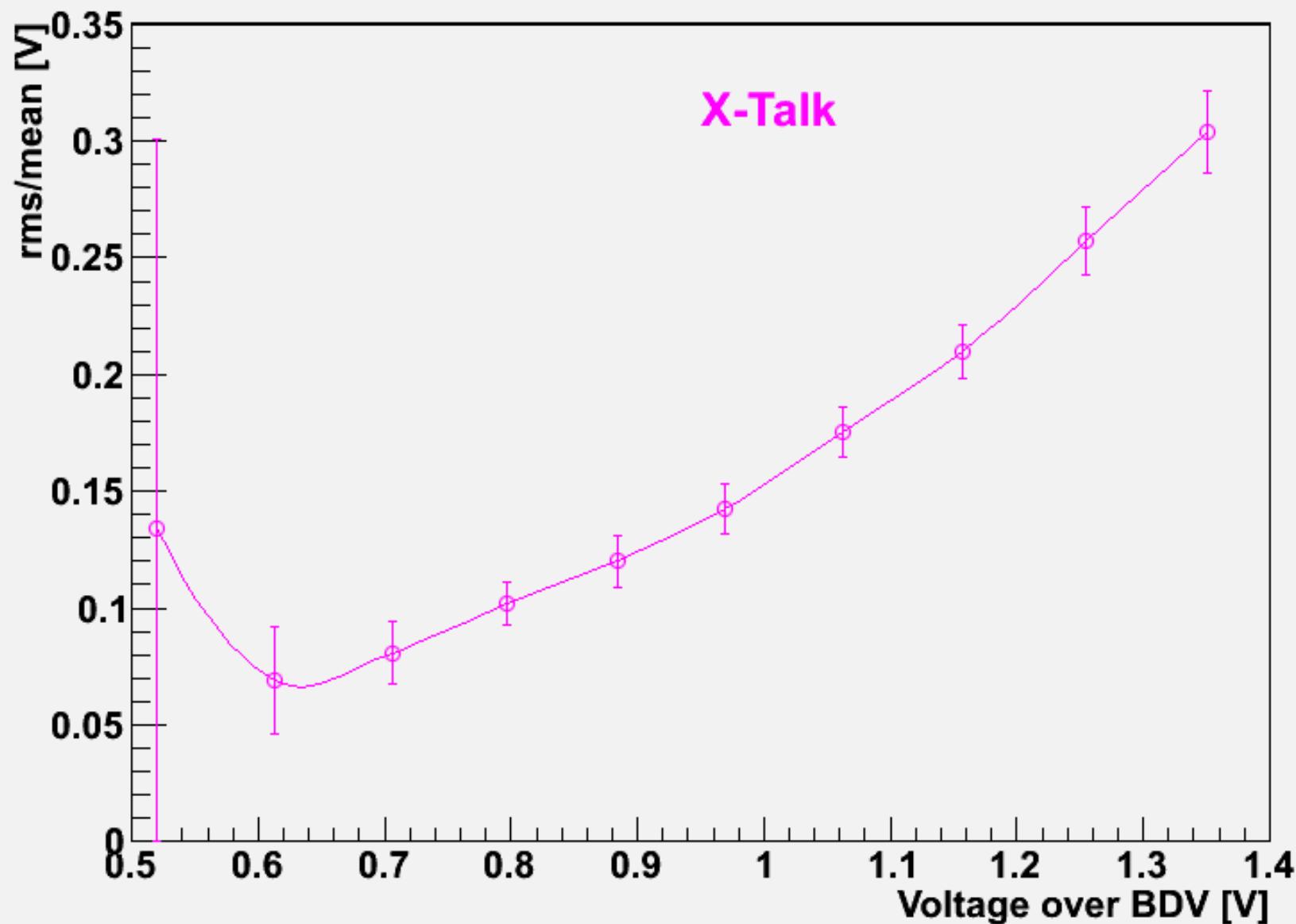
**2044\_T20**



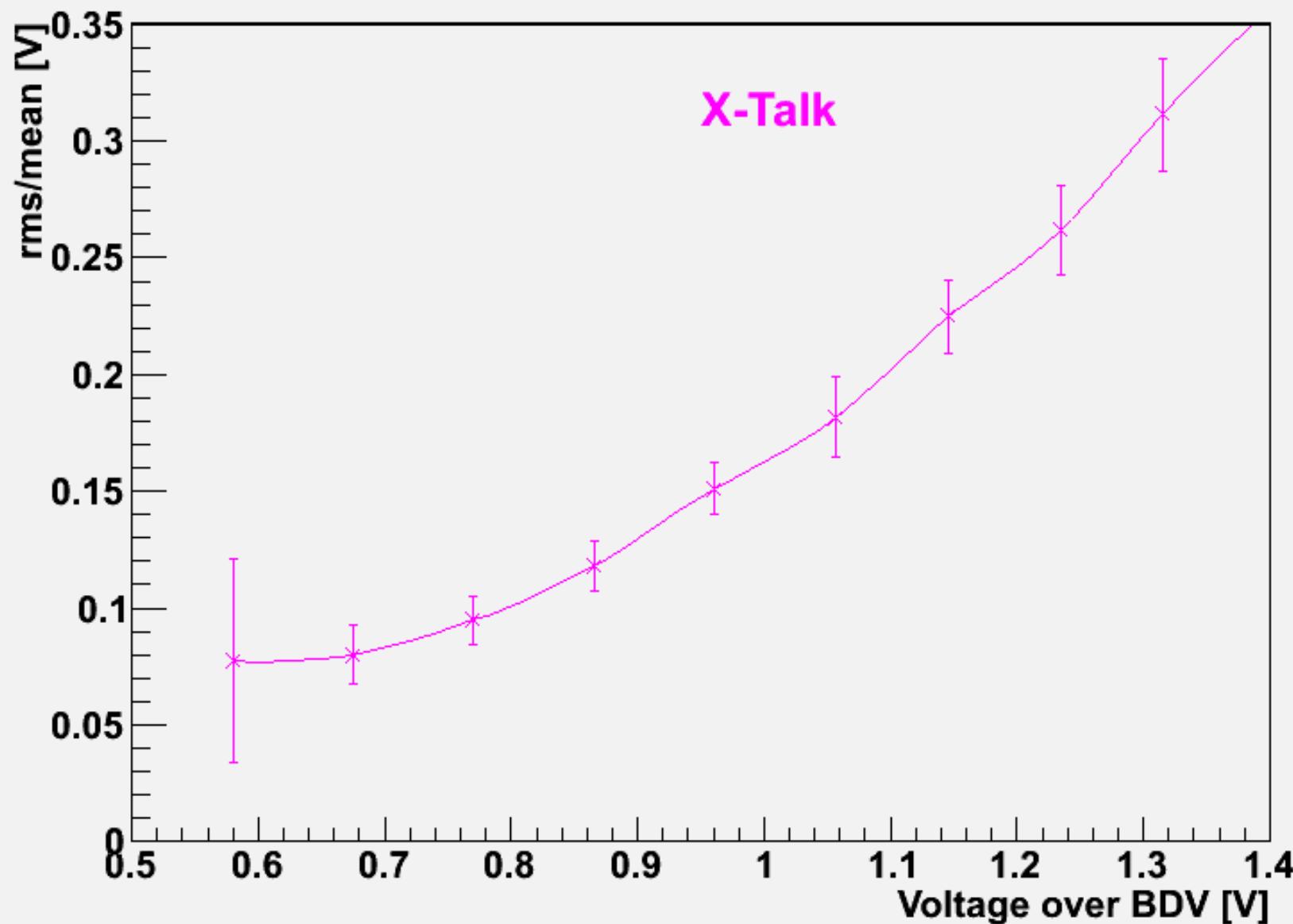
**2083\_T05**



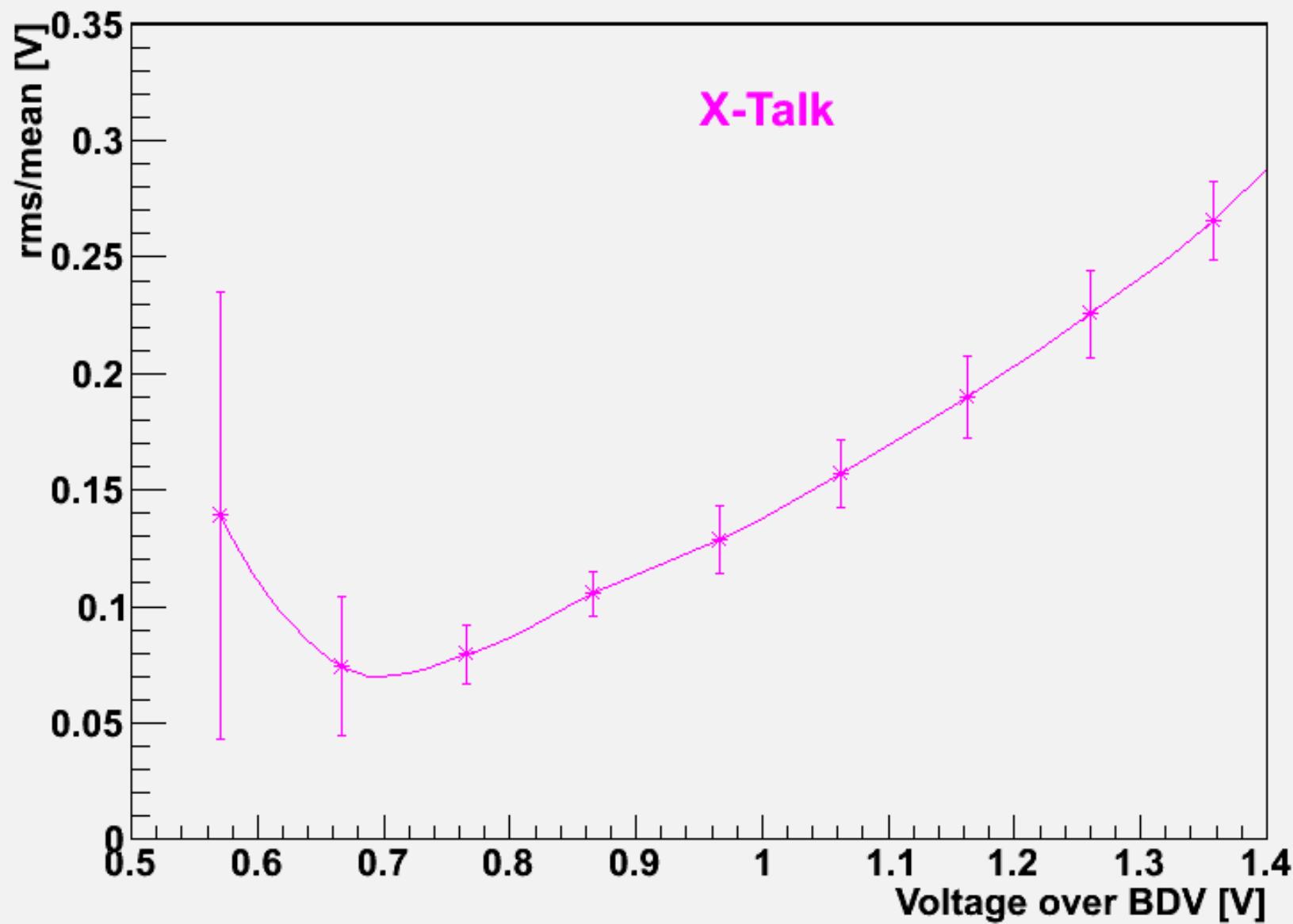
**2083\_T07**



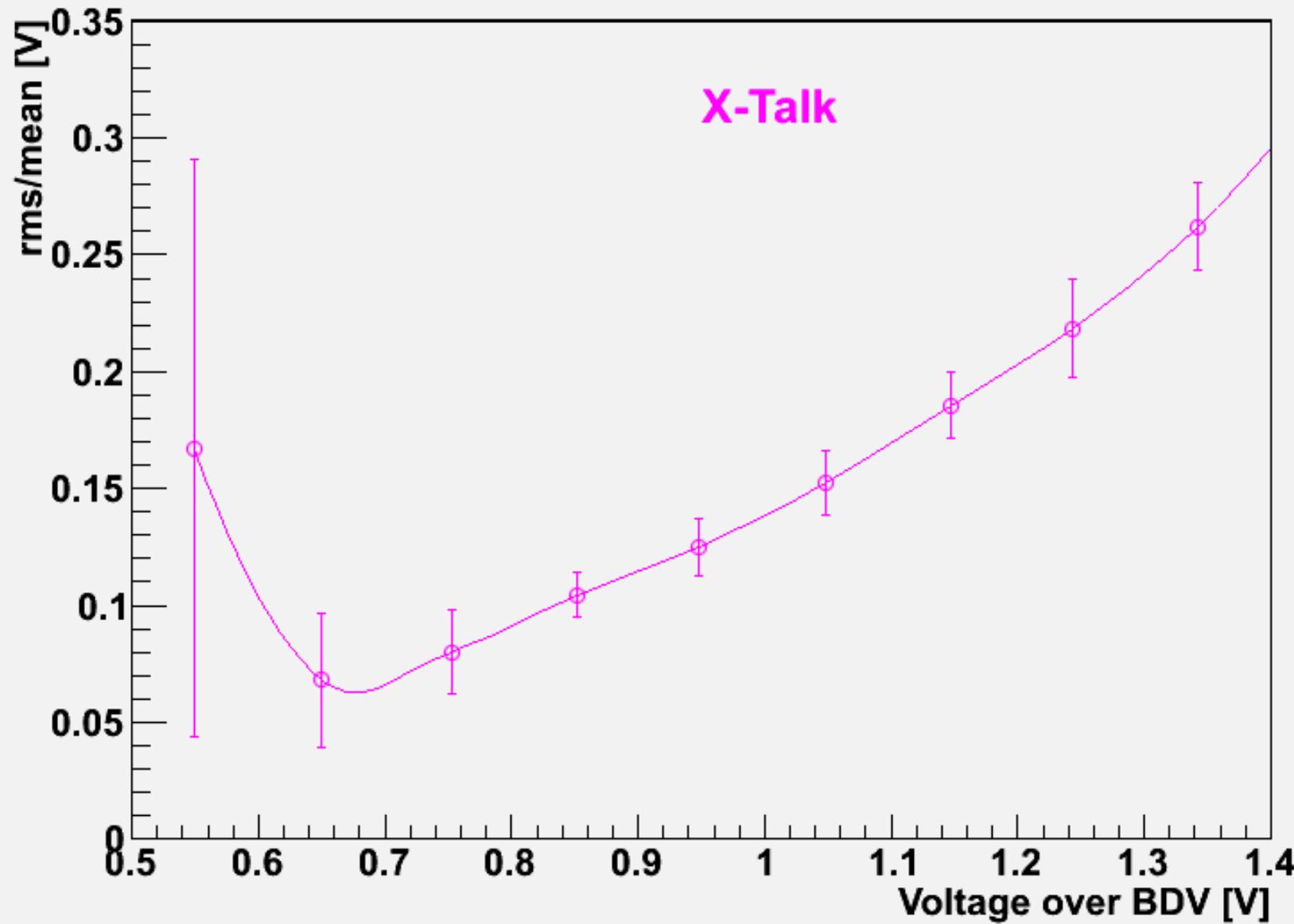
**2083\_T20**



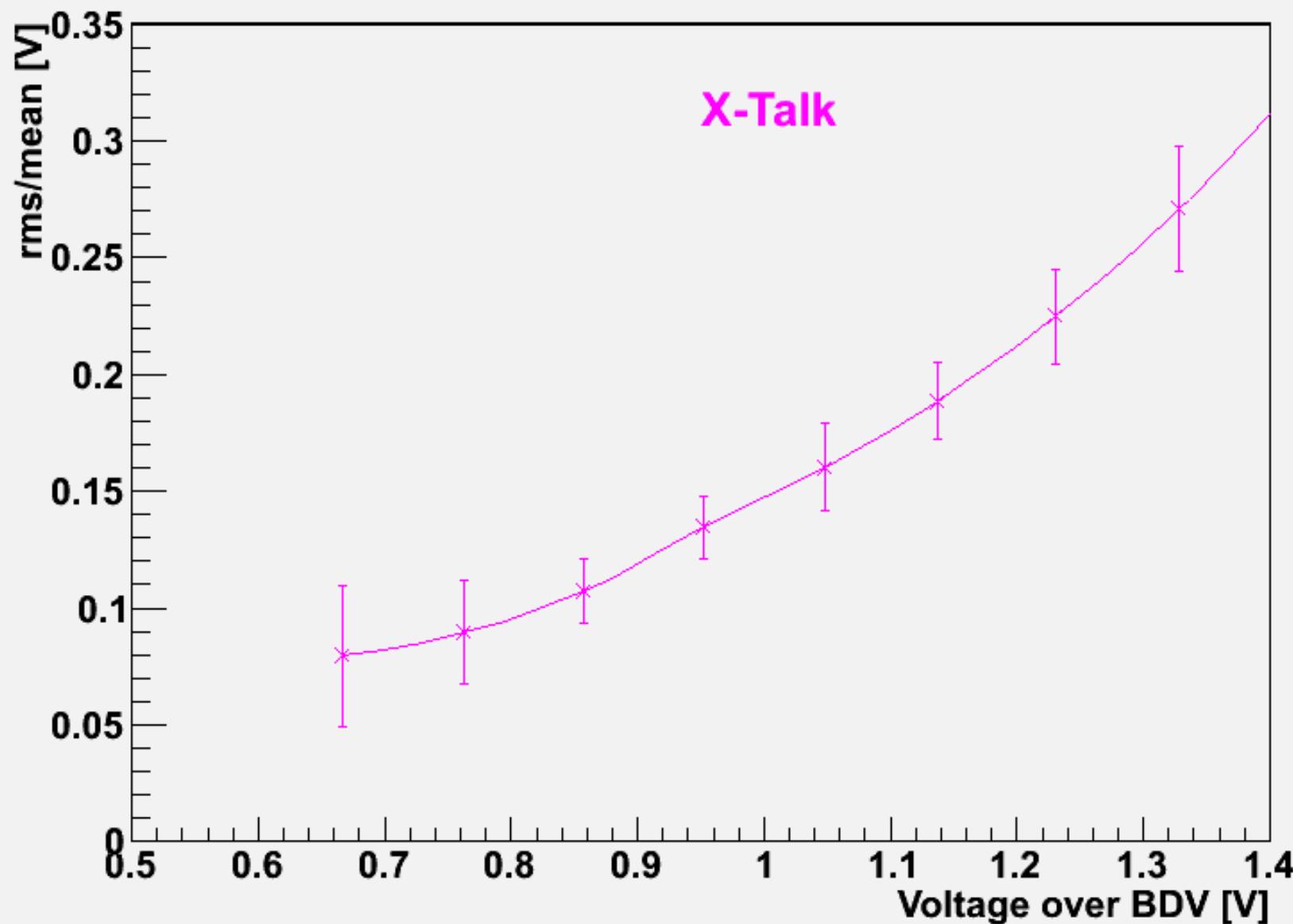
**2098\_T05**



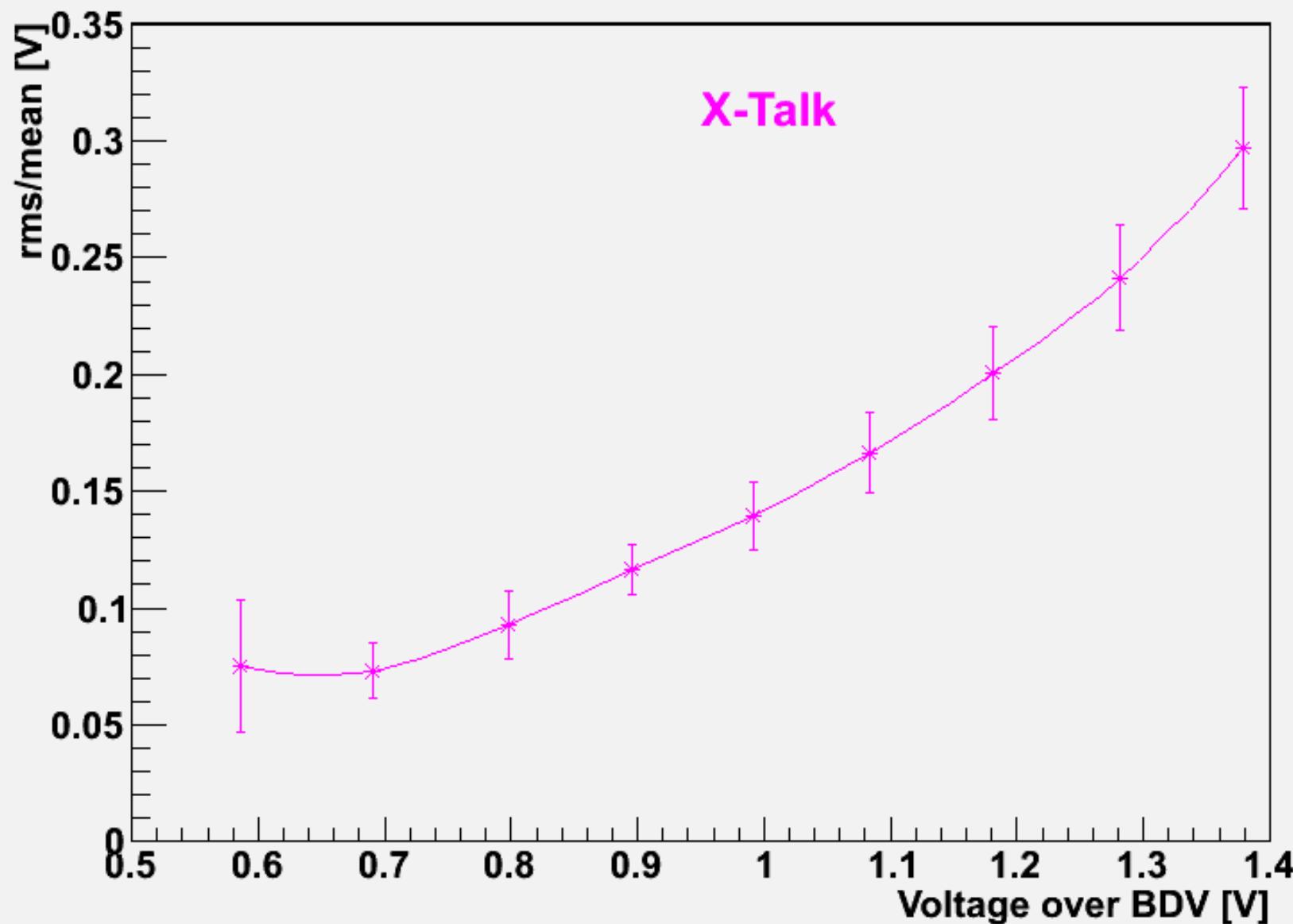
**2098\_T07**



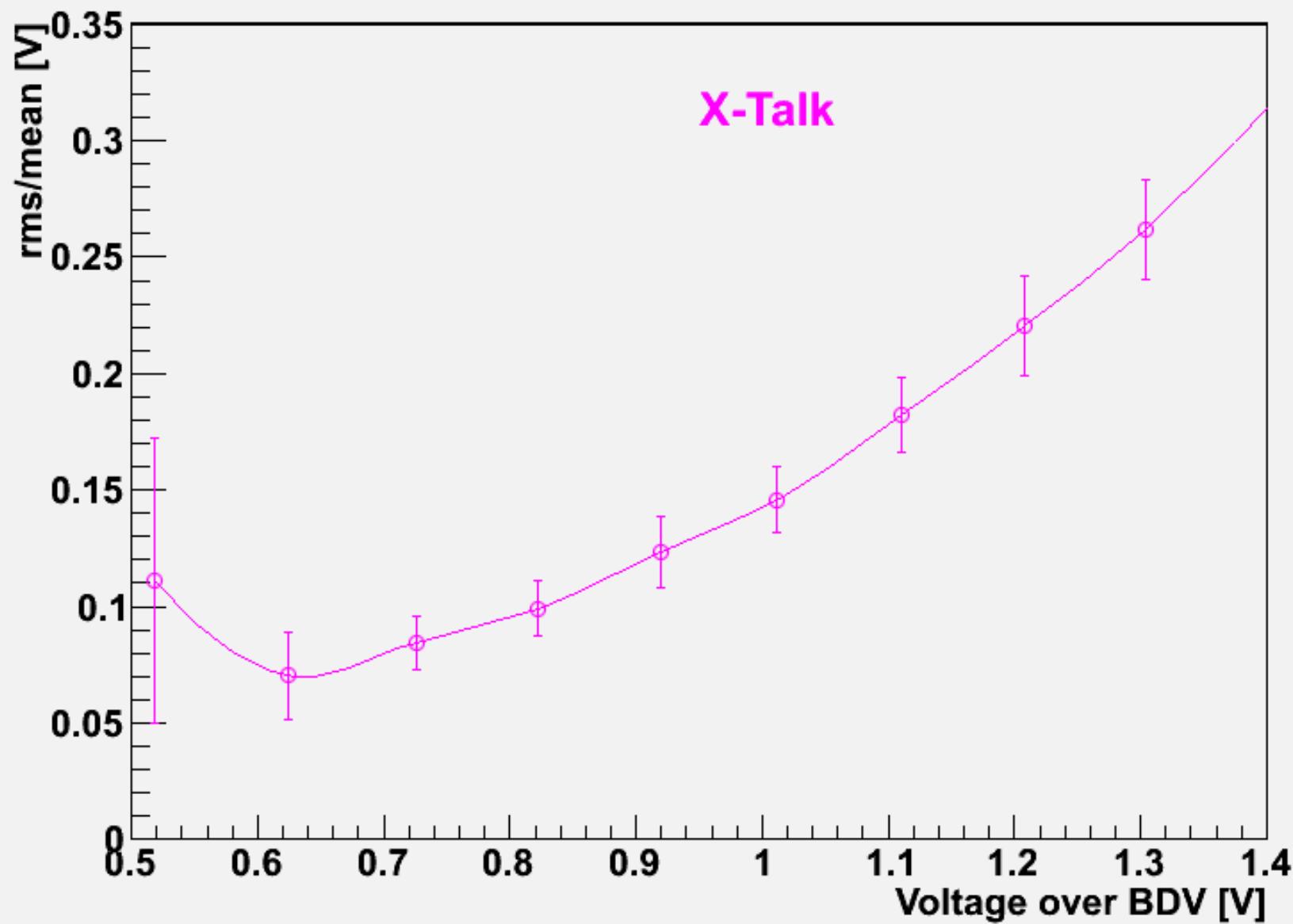
**2098\_T20**



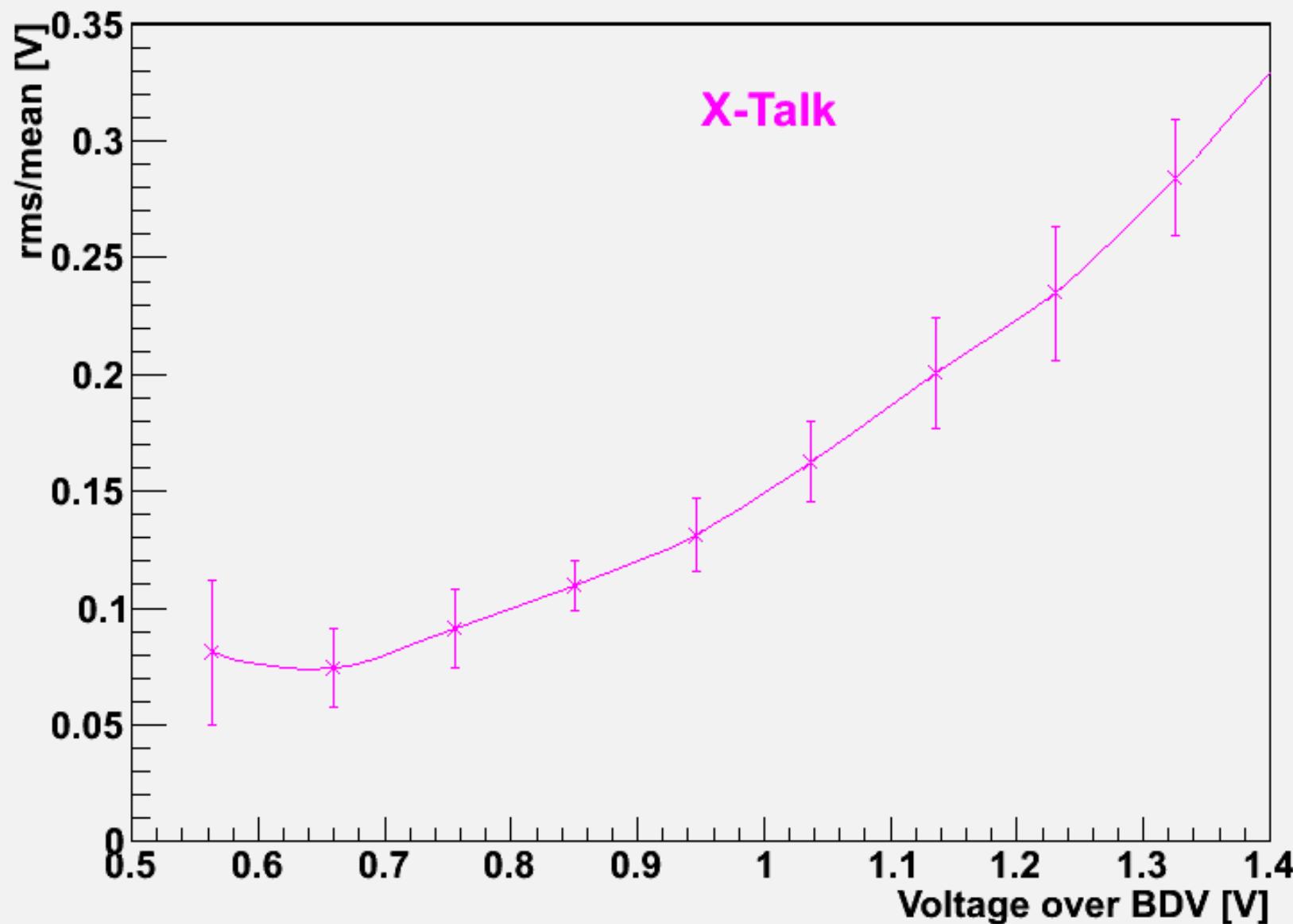
**2120\_T05**



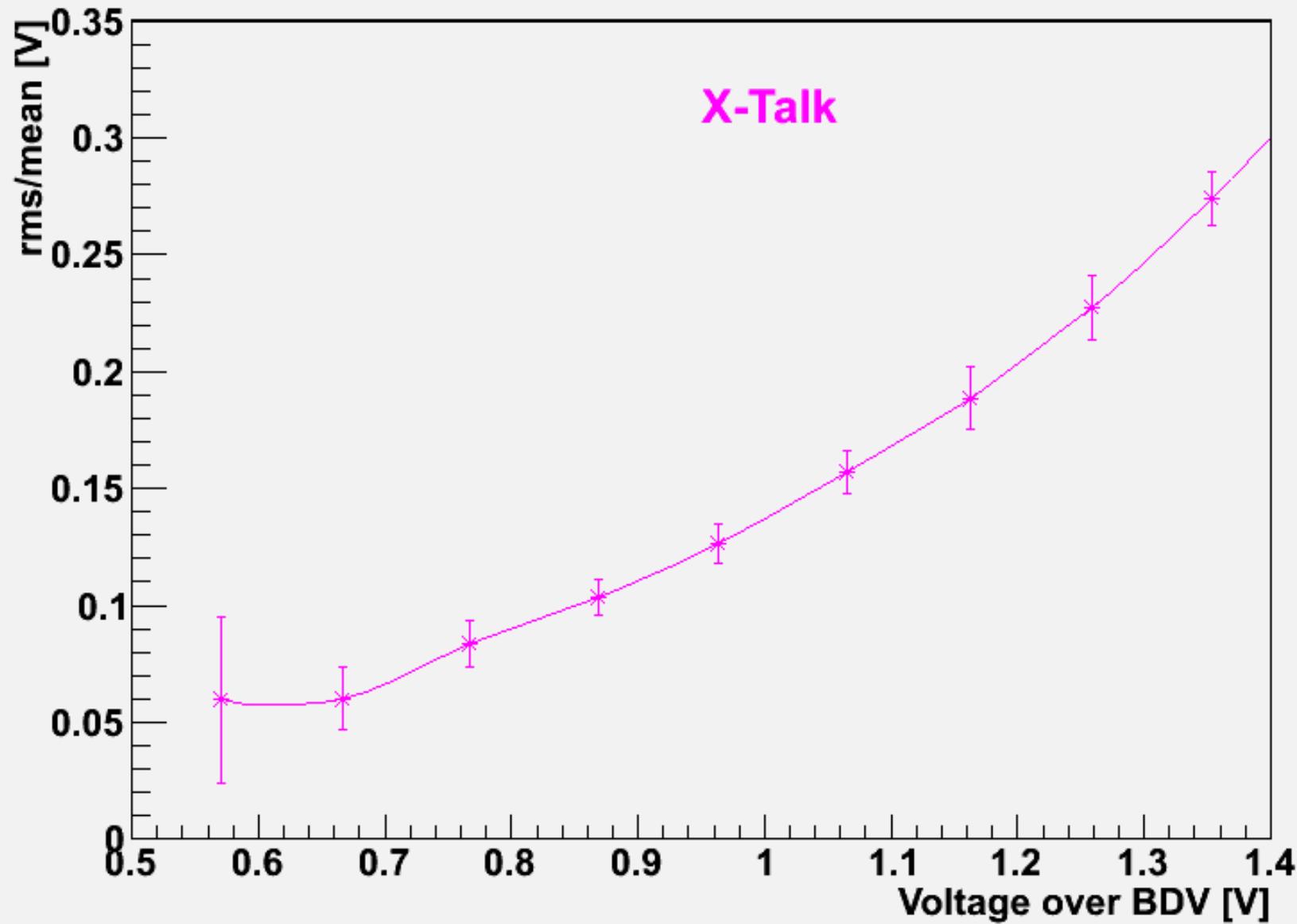
**2120\_T07**



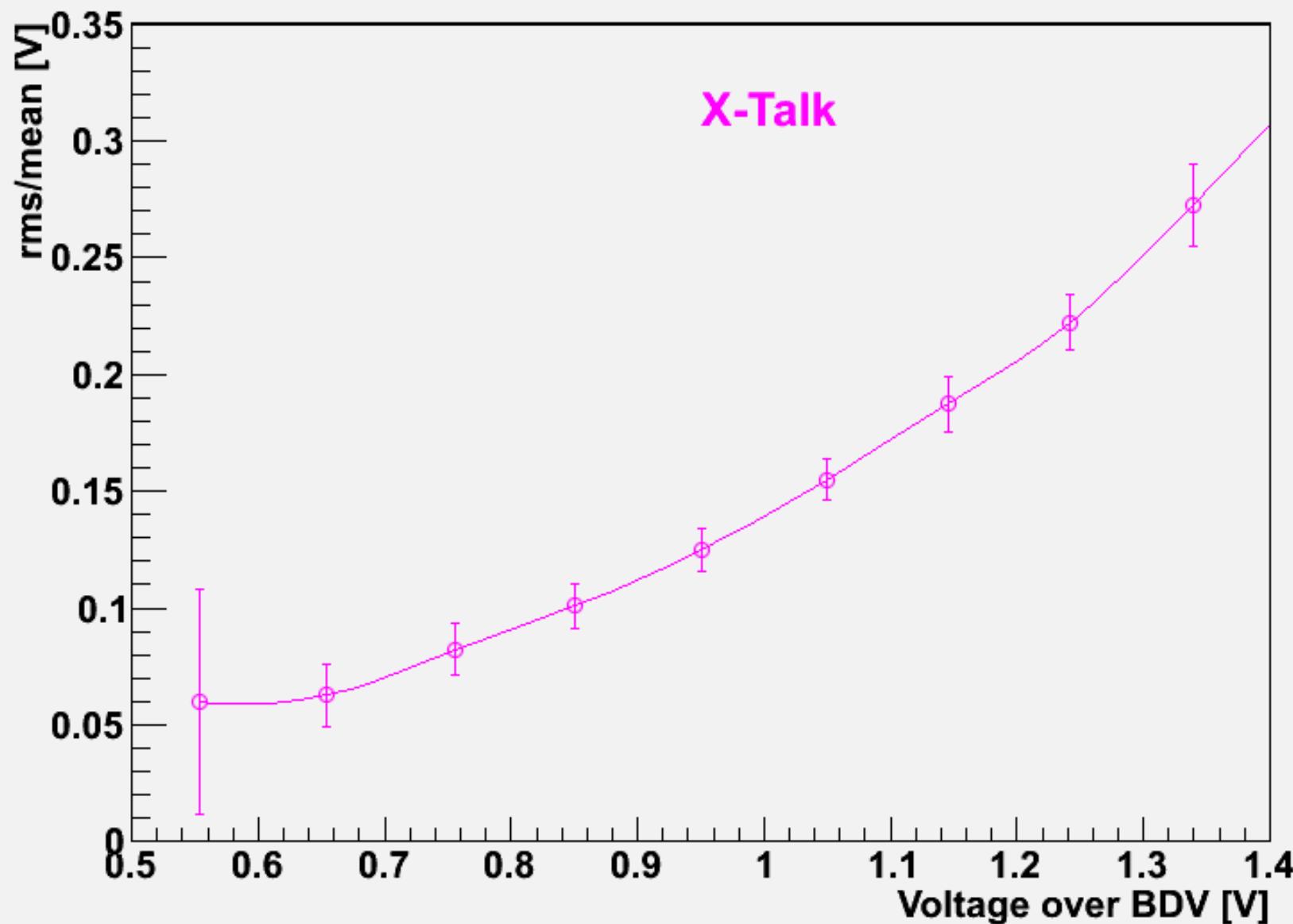
**2120\_T20**



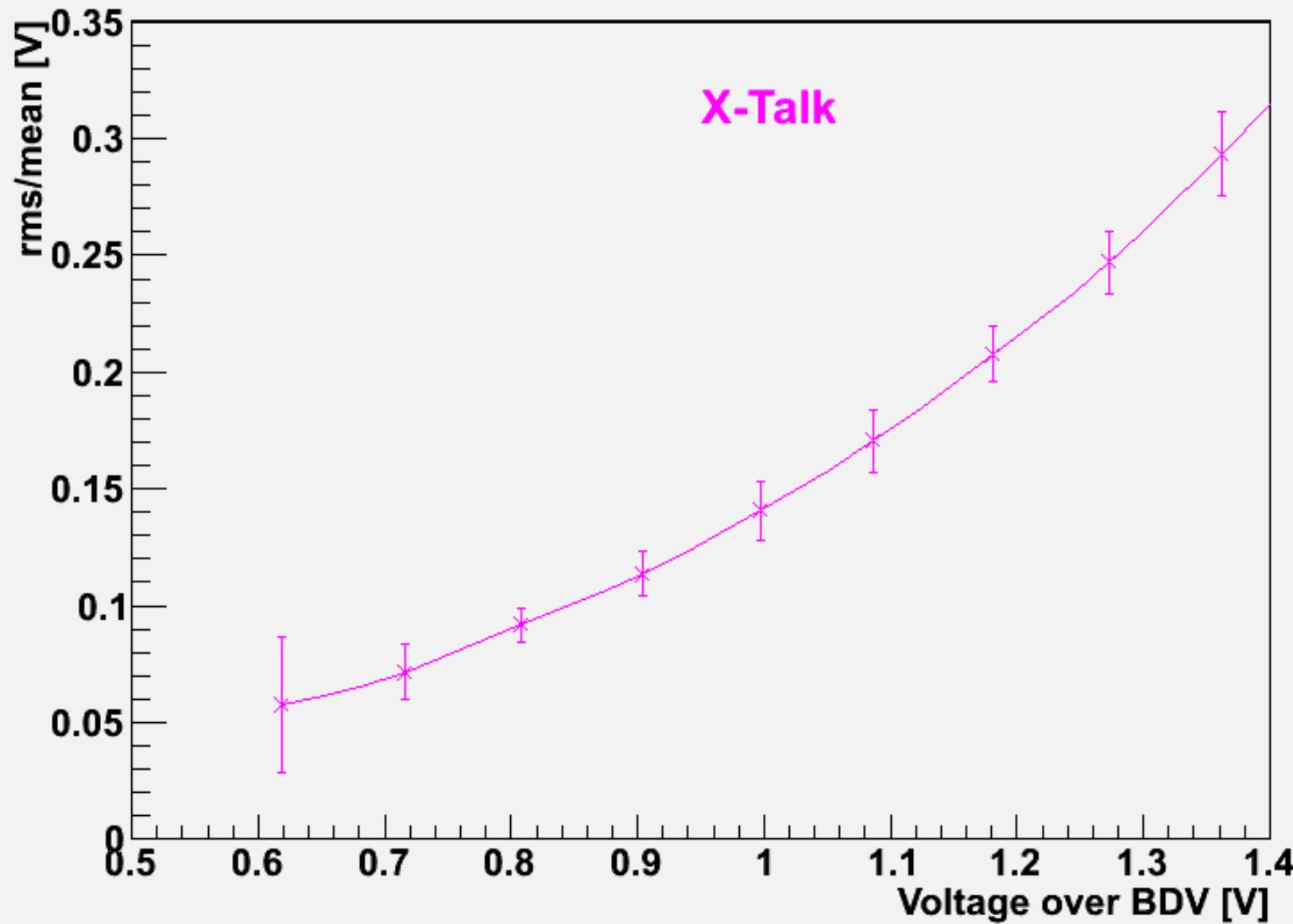
**2198\_T05**



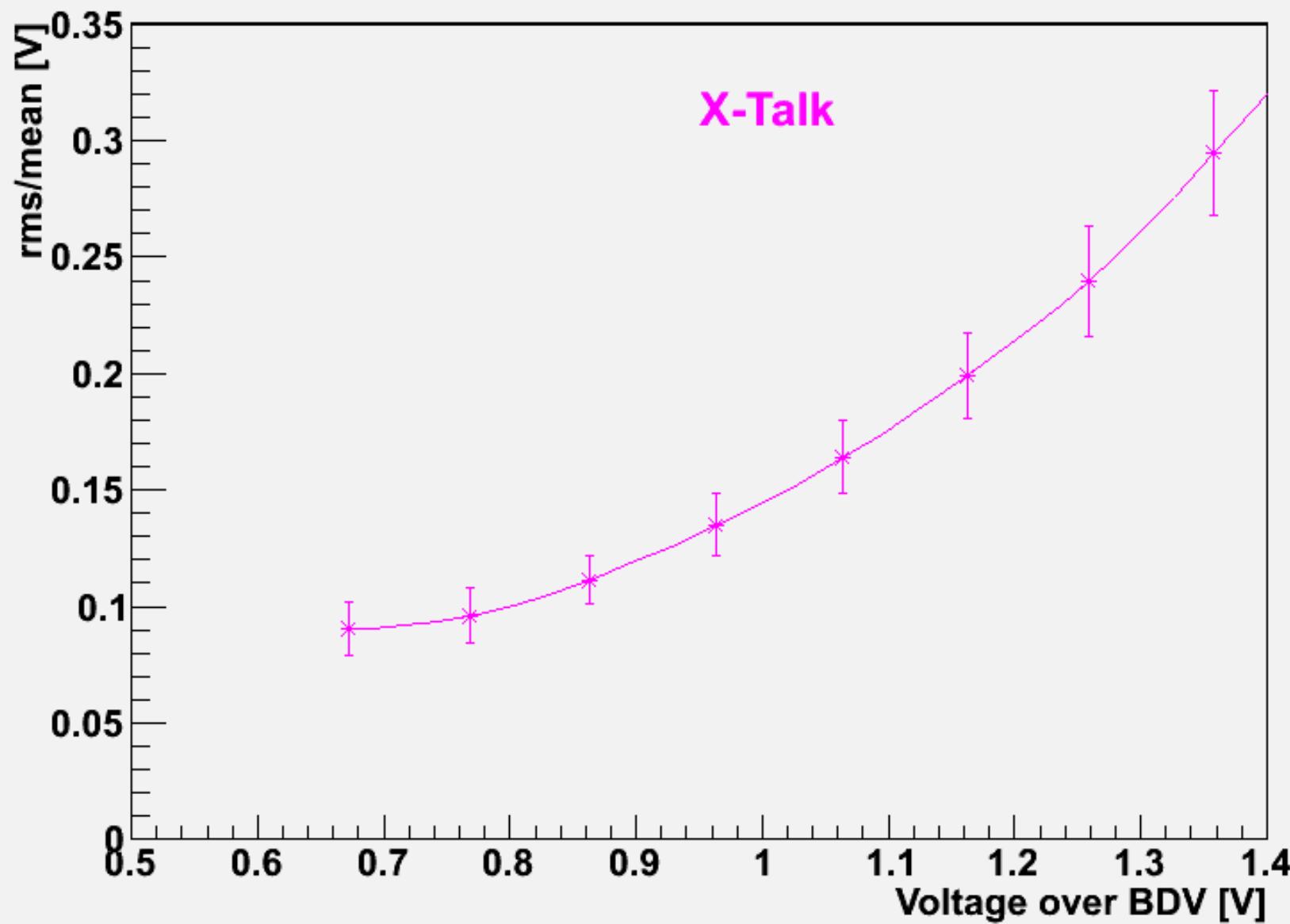
**2198\_T07**



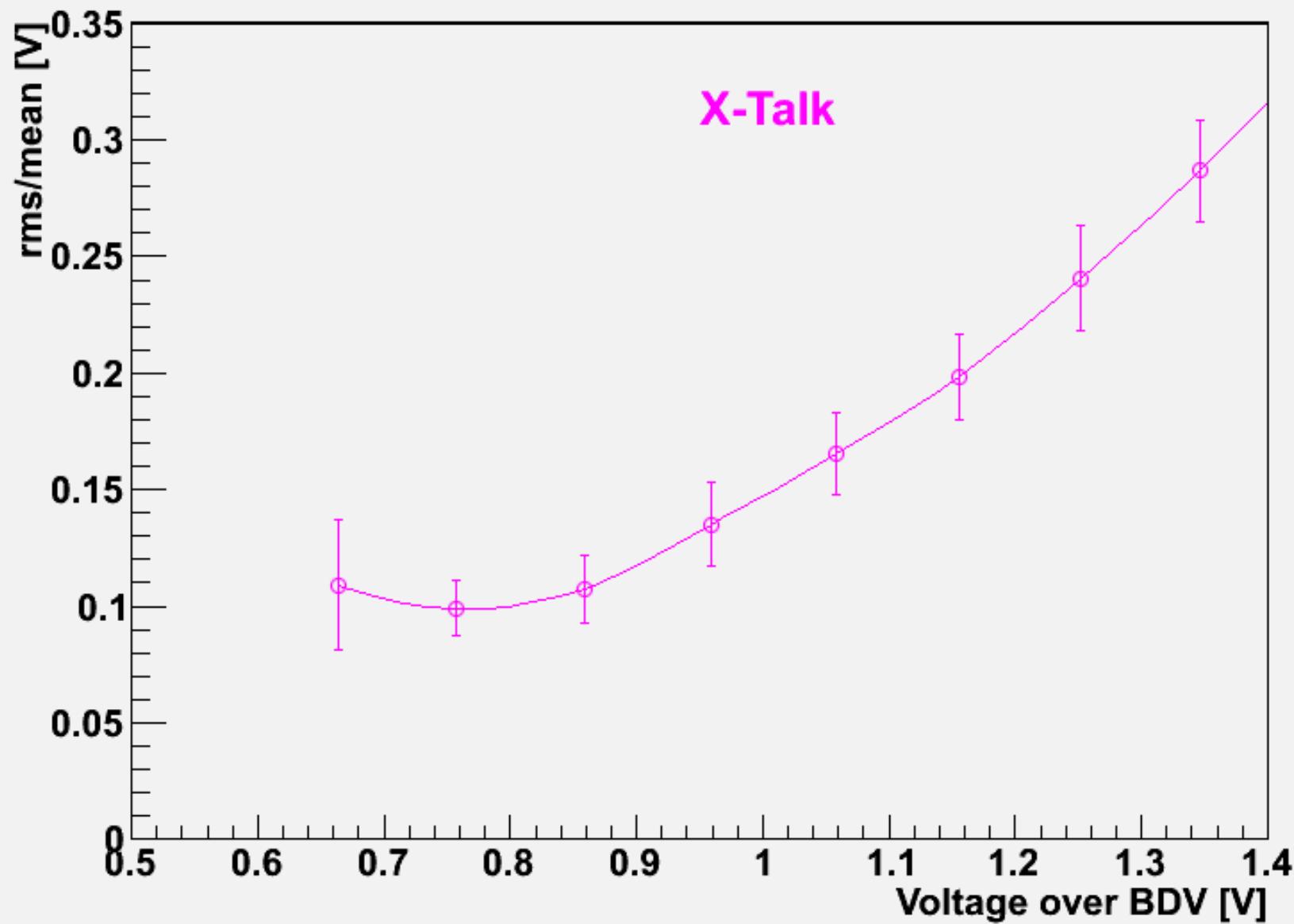
**2198\_T20**



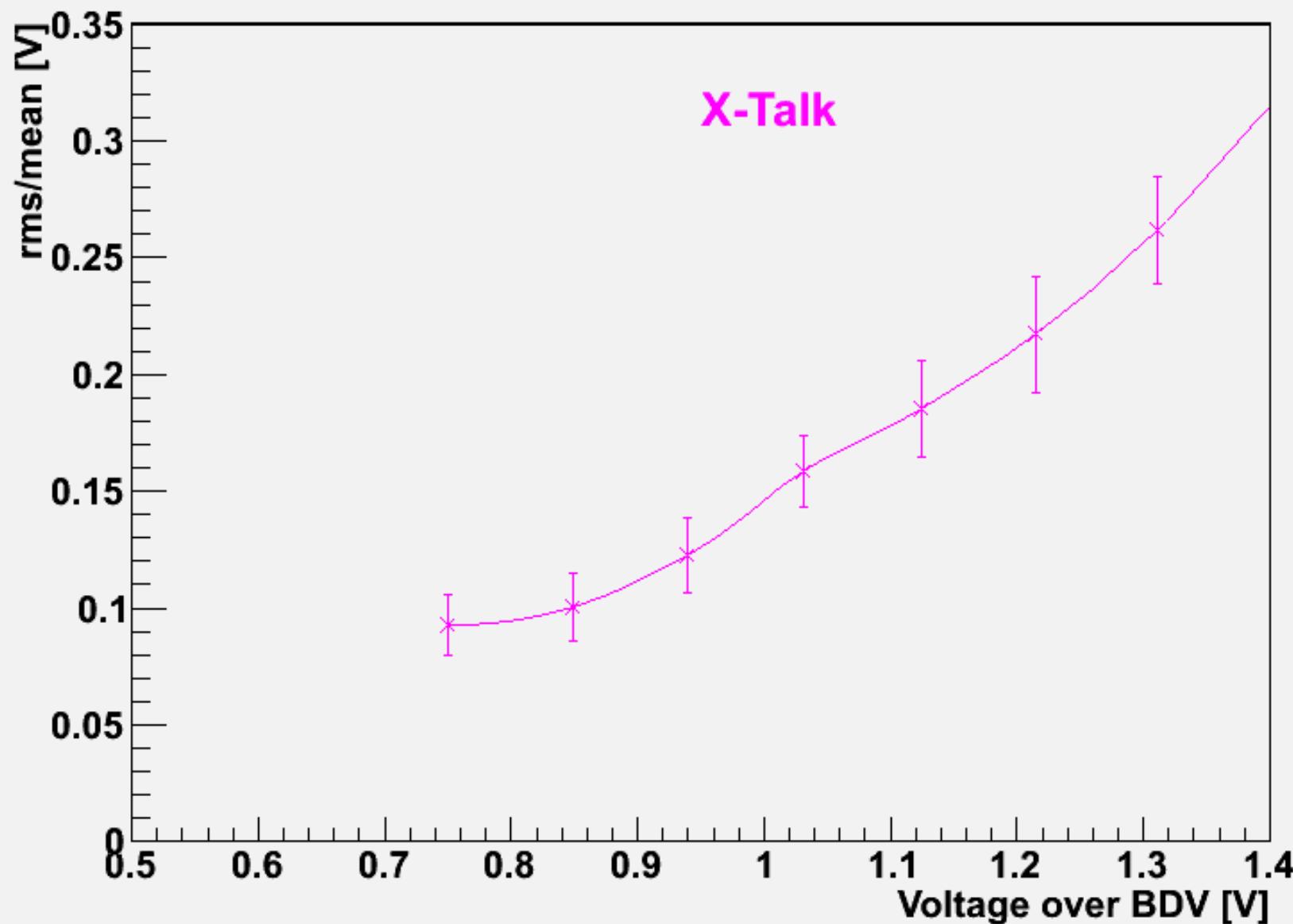
**2247\_T05**



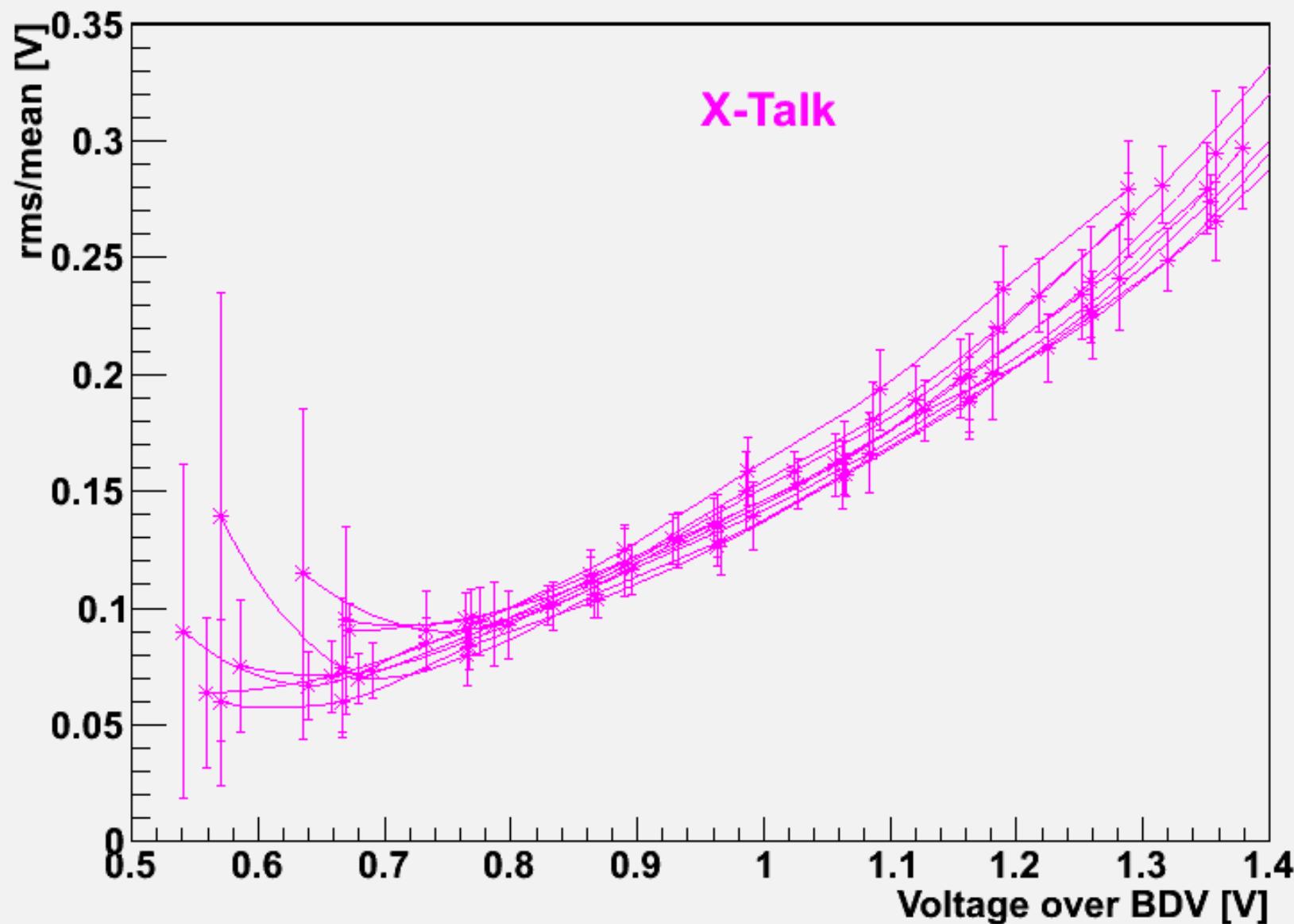
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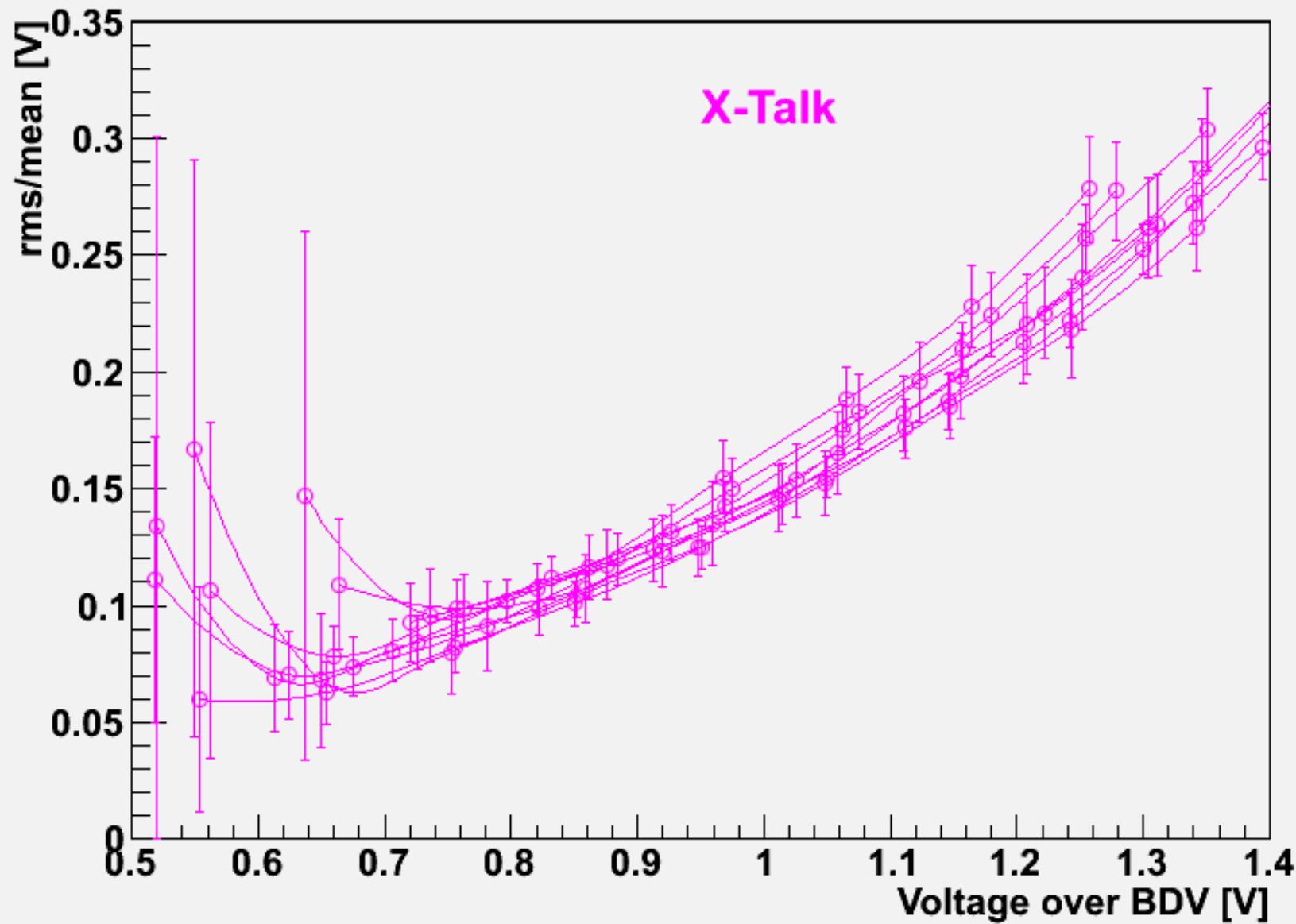
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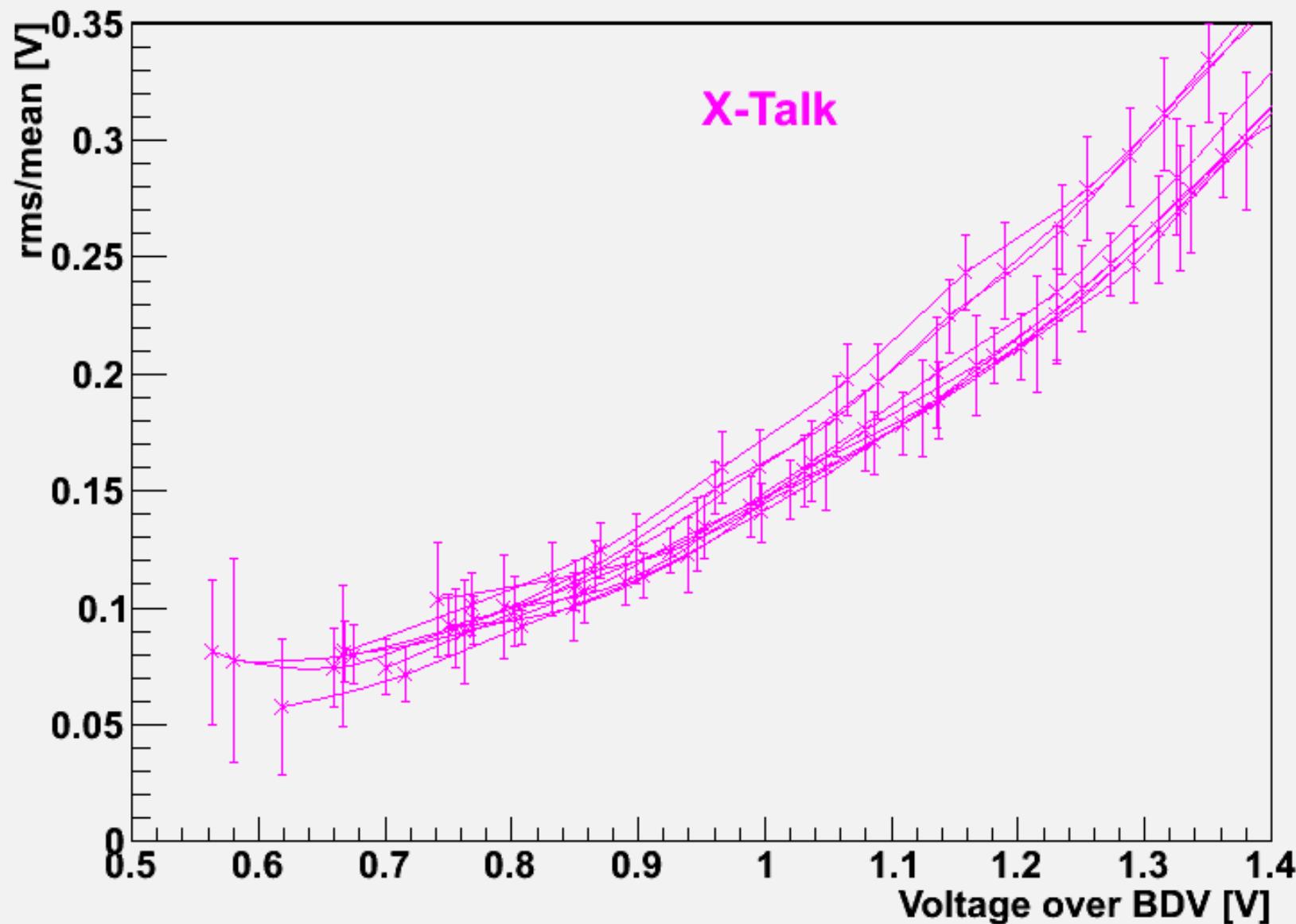
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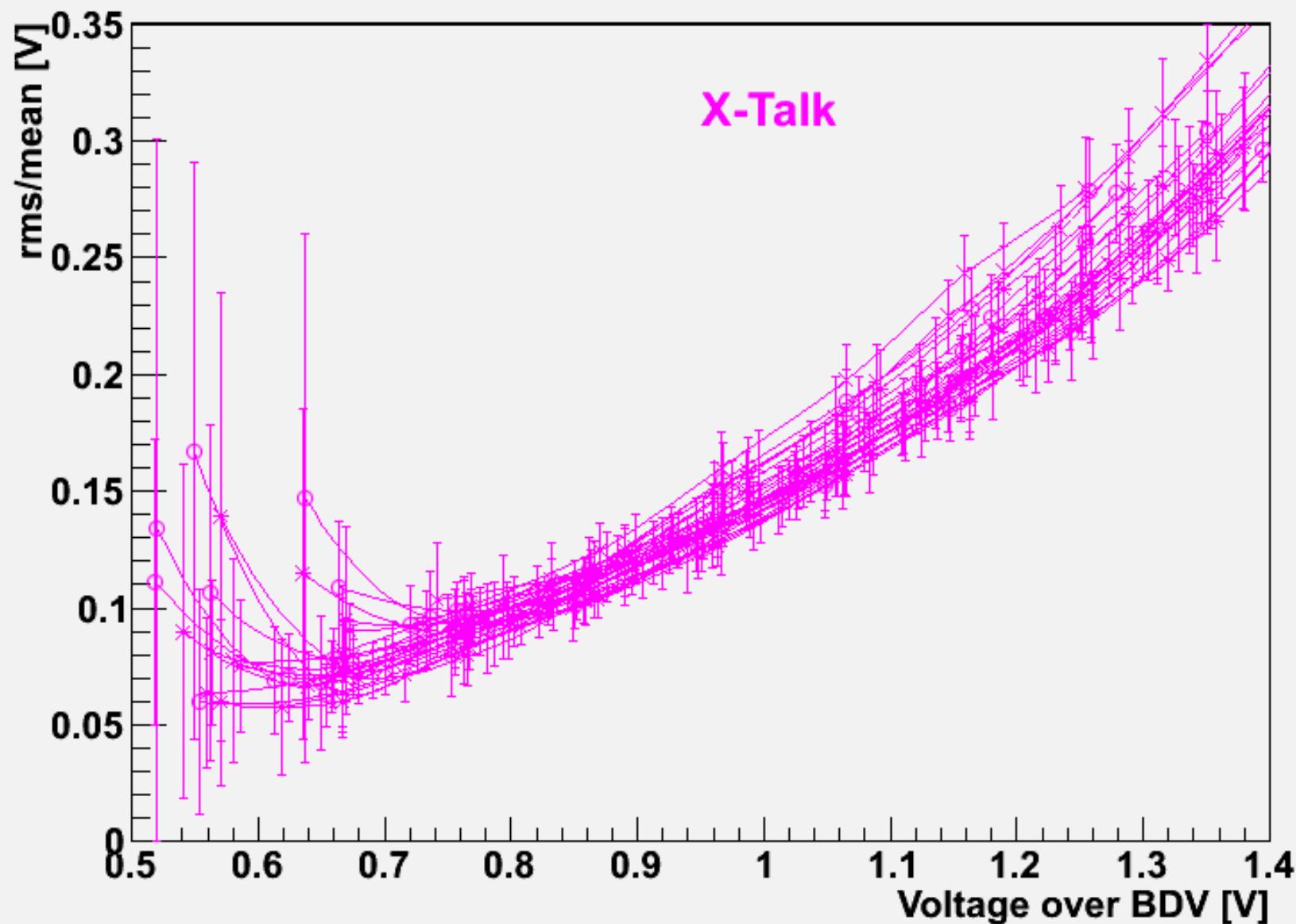
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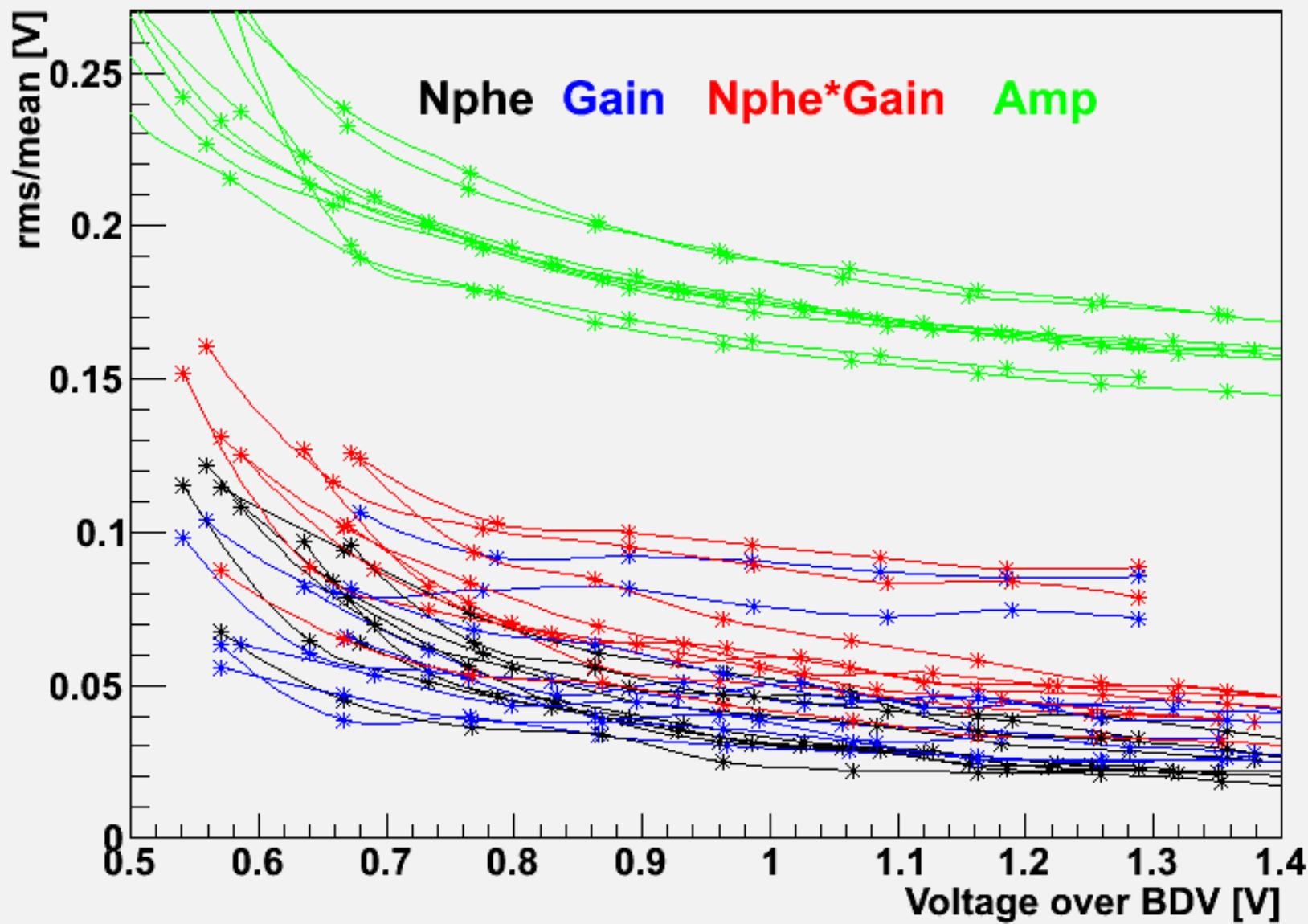
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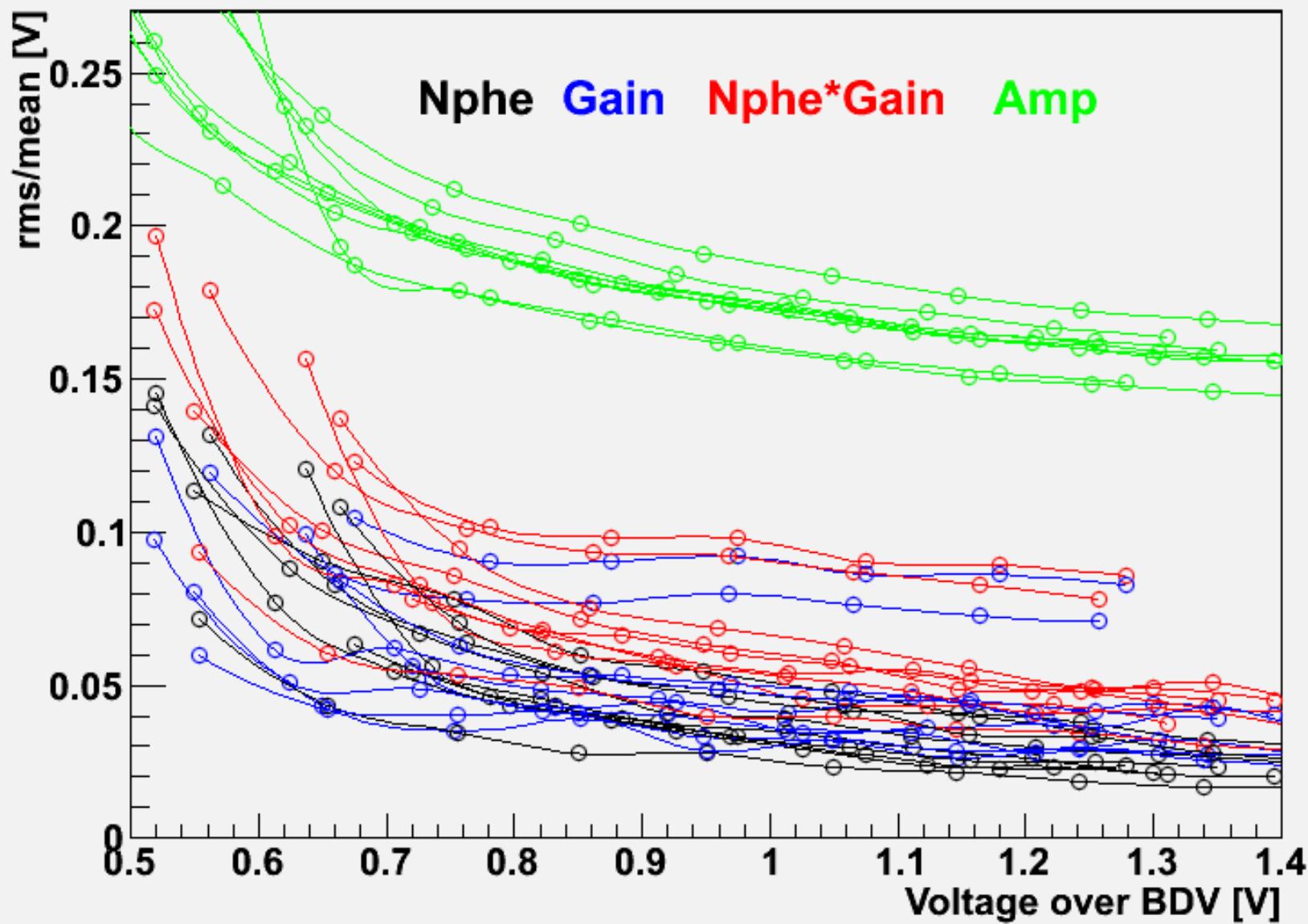
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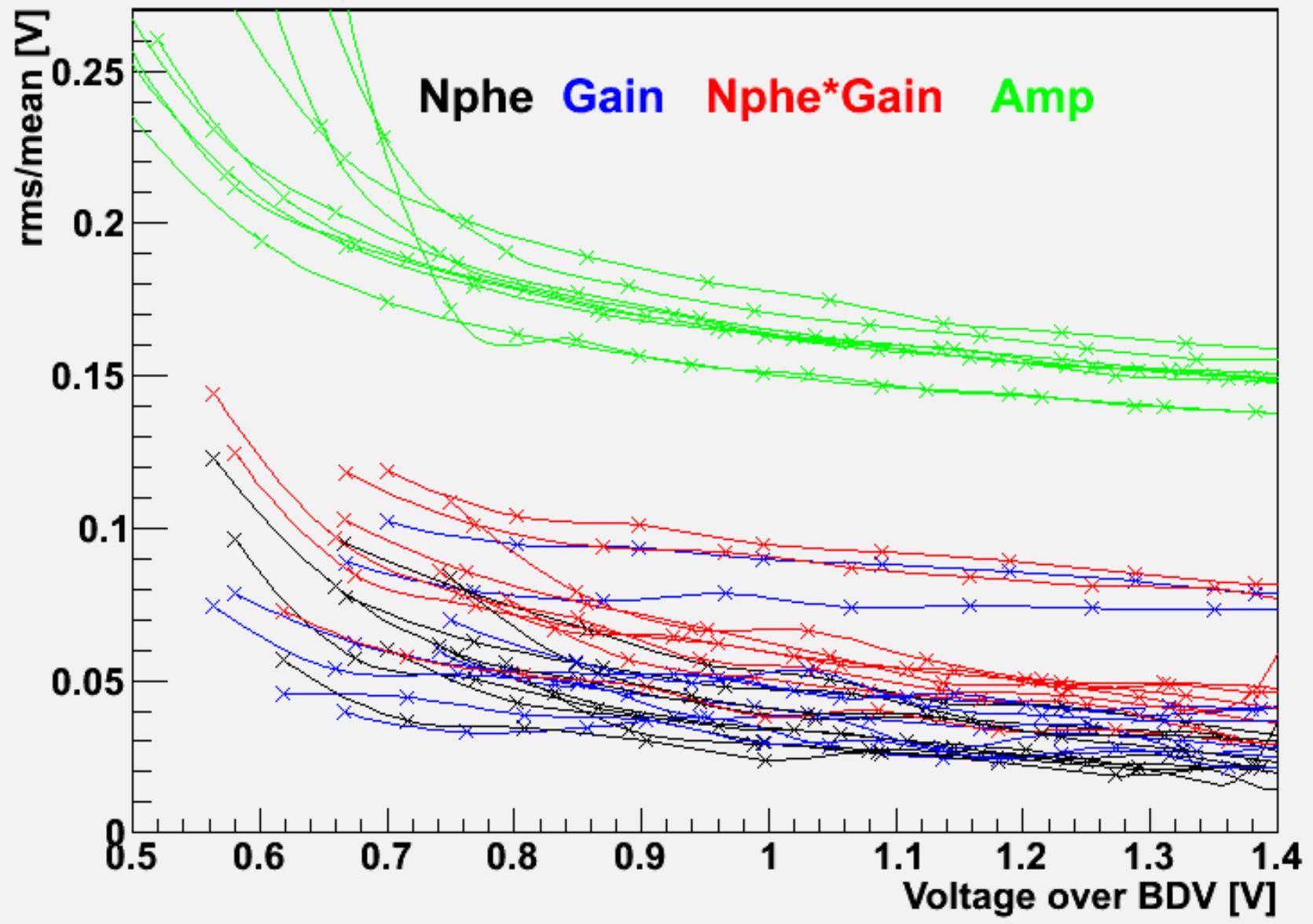


**2044\_T05**



**2044\_T07**





**2044\_T05**

