

# **Co-op Summer 2012**

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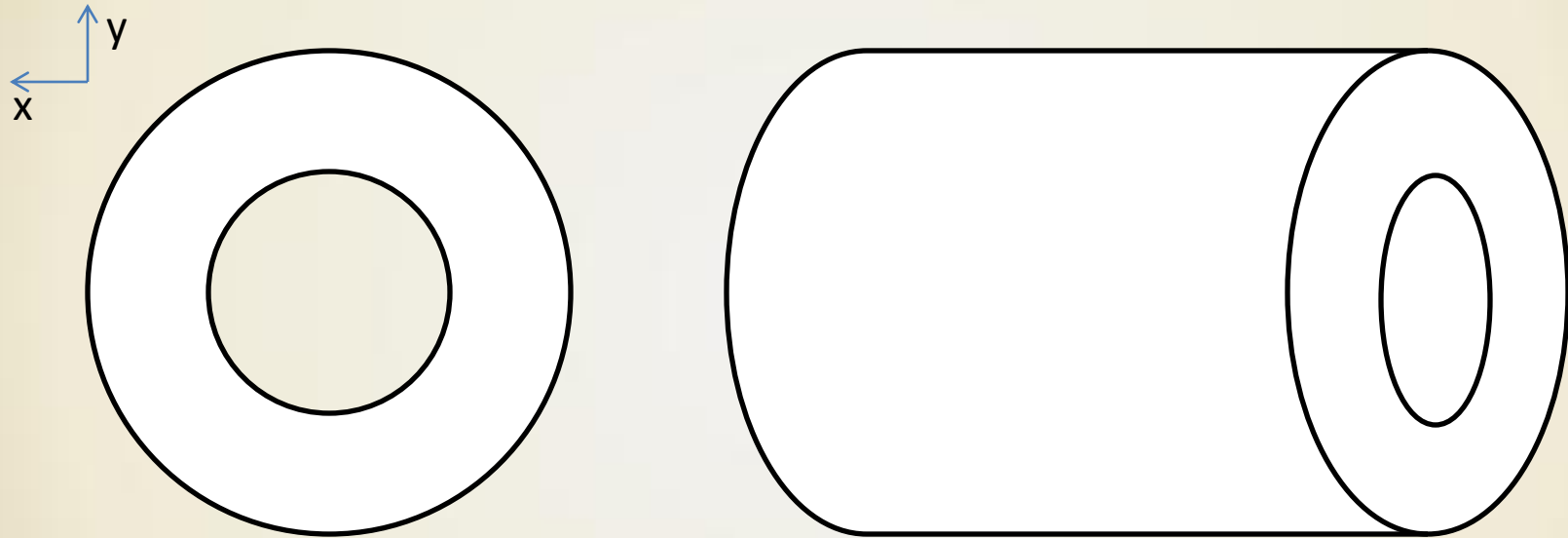
# Content

**1. Magnetic Field Surface**

**2. BCAL Readout Cooling System**



# Magnetic Field Data



- **R (0~1400 cm)**
- **Z (-1100~1500cm)**
- **Br (0~39880 Gauss)**

**Data Range**

478.314 cm

R (cm)	Z (cm)	B (G)	X (mm)	Y (mm)	Z (mm)
20	-330	51	0	200	-3300
40	-330	51	0	400	-3300
60	-330	49	0	600	-3300
...	...	...	0	...	...
280	-10	51	0	2800	-100
280	0	51	0	2800	0
280	10	51	0	2800	100
...	...	...	0	...	...
240	180	50	0	2400	1800
230	190	51	0	2300	1900
220	290	50	0	2200	2900
...	...	...	0	...	...
100	690	49	0	1000	6900
70	700	49	0	700	7000
20	710	49	0	200	7100

## Procedure

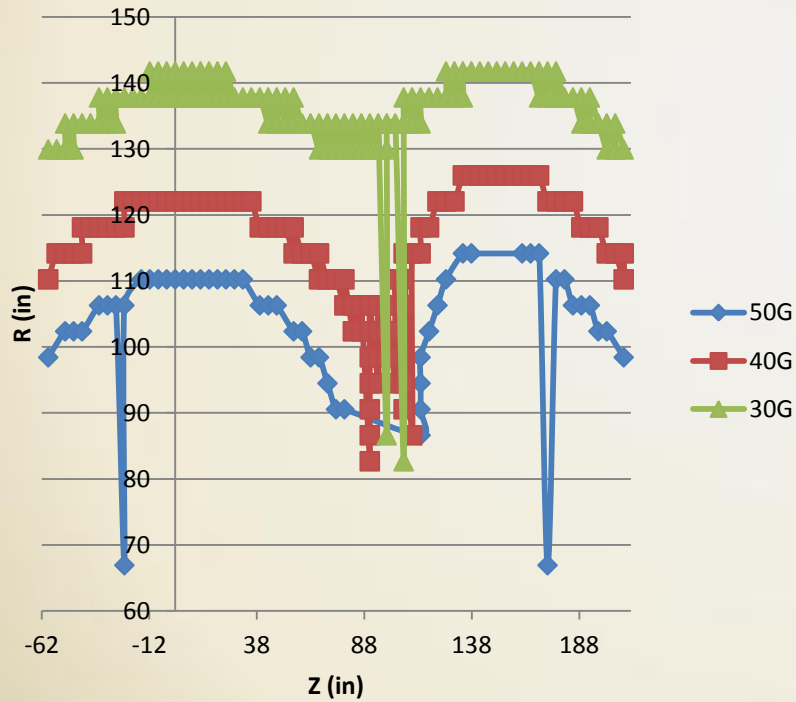


- Filter the data ( $50 \pm 1G$ )
- Fix the data  
(3 axes and units)
- Plot the curve
- Separate the curve
- Fit the curve
- Copy the data in NX
- Revolve the curve

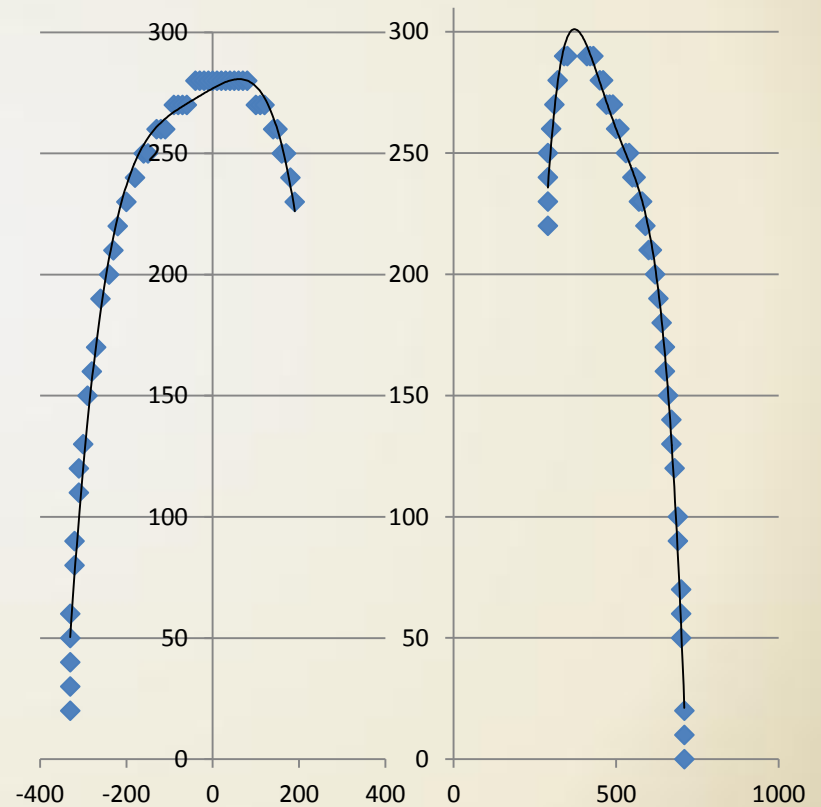
# For The Chillers

## 50, 40, 30 Gauss

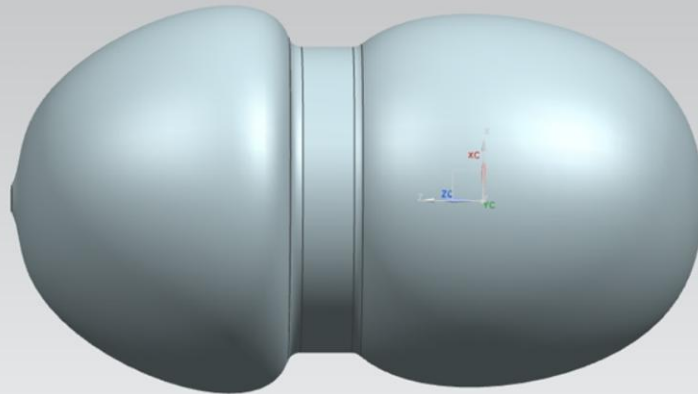
R vs. Z



## 50 Gauss Field



# 50 Gauss Surface



**Constructing surfaces for 5G, 400G, 500G, 8000G, 10000G are similar.**

# BCAL Readout Cooling System

- Working Pressure: 60 psi (designed)
- Working Temperature: 104°F (max)
- Material: Stainless Steel ASTM S30400
- Stress Value in Tension: 16.0 ksi (max)
- Maximum Flow: 8 GPM
- Flow Velocity: 2.72 ft/sec (designed)
- Pipe Size: NPS 1, Schedule No. 10s (1.315”(OD),  
0.109”(wall))



# Supports and Spacing

## *ASME B31.9-2011, "Building Service Piping" (921)*

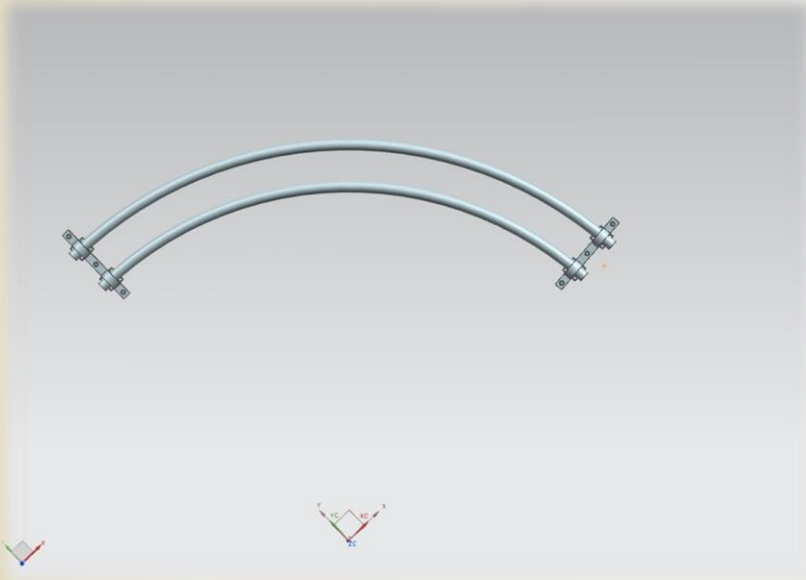
- Allowable stresses=0.2\*tensile stress (min)
- Allowable overstress=1.8\*yield strength (min)
- Stress due to support spacing shall "not exceed the basic allowable stress on the basis of a support span twice as great as the actual span"
- The deflection based on "the allowable deflection of the pipe between supports shall not exceed the smaller of 0.25 in. or 15% of the outside diameter of the pipe"



# Curved Pipe (1)

$$\sigma_{max} = \frac{Ma}{I} \frac{1 - \beta}{K}$$

- Where **M** is the bending moment applied to the pipe; **a** is the outer radius of the pipe section; **R** is the radius of curvature of the beam axis



$$K = 1 - \frac{9}{10 + 12(tR/a^2)^2}$$

$$\beta = \frac{6}{5 + 6(tR/a^2)^2}$$

- To calculate the actual stress in extreme fiber,
- Concave side

$$\sigma_i = k_i \times \sigma$$

- Convex side

$$\sigma_o = k_o \times \sigma$$

where the  $\sigma$  is the fictitious unit stress in corresponding fiber as computed by ordinary flexure formula for a straight beam.

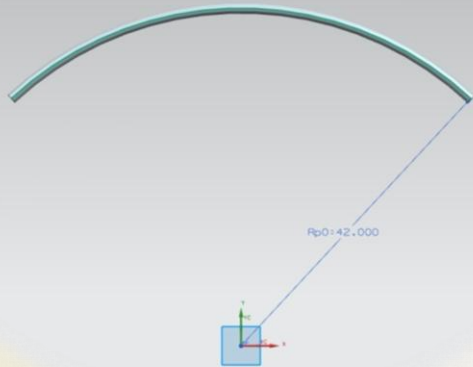
$$\sigma = \frac{Mc}{I}$$

$$k_i = \frac{1}{4e/c} \frac{1 - e/c}{R/c - 1} \left[ 1 + \left( \frac{c_1}{c} \right)^2 \right]$$

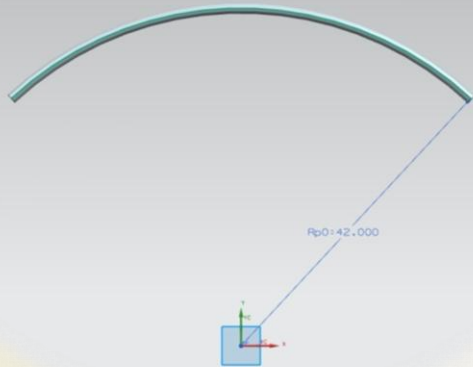
$$k_o = \frac{1}{4e/c} \frac{1 + e/c}{R/c + 1} \left[ 1 + \left( \frac{c_1}{c} \right)^2 \right]$$



# Curved Pipe (2)

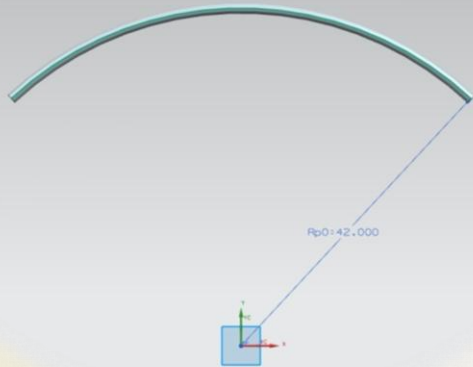


# Curved Pipe (2)



$$\delta_{max} = \frac{pL^3}{48EI}$$

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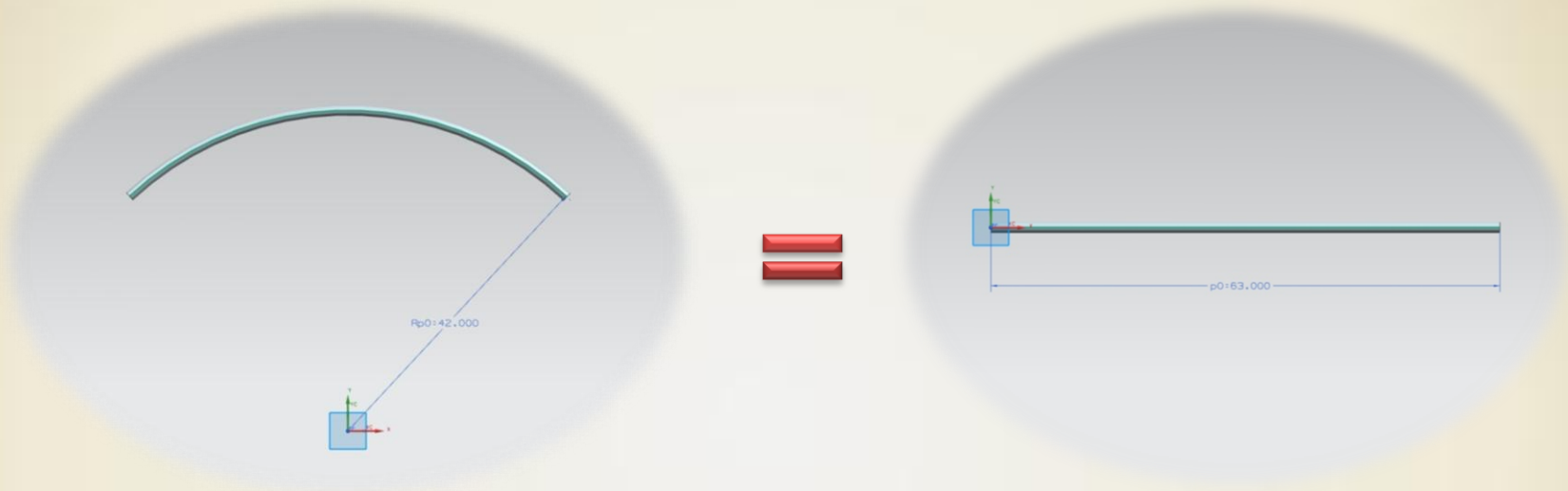
$$\delta_{max} = \frac{pL^3}{48EI}$$

$$3.5 \times 12 / 1.315 = 32$$

greater than 10

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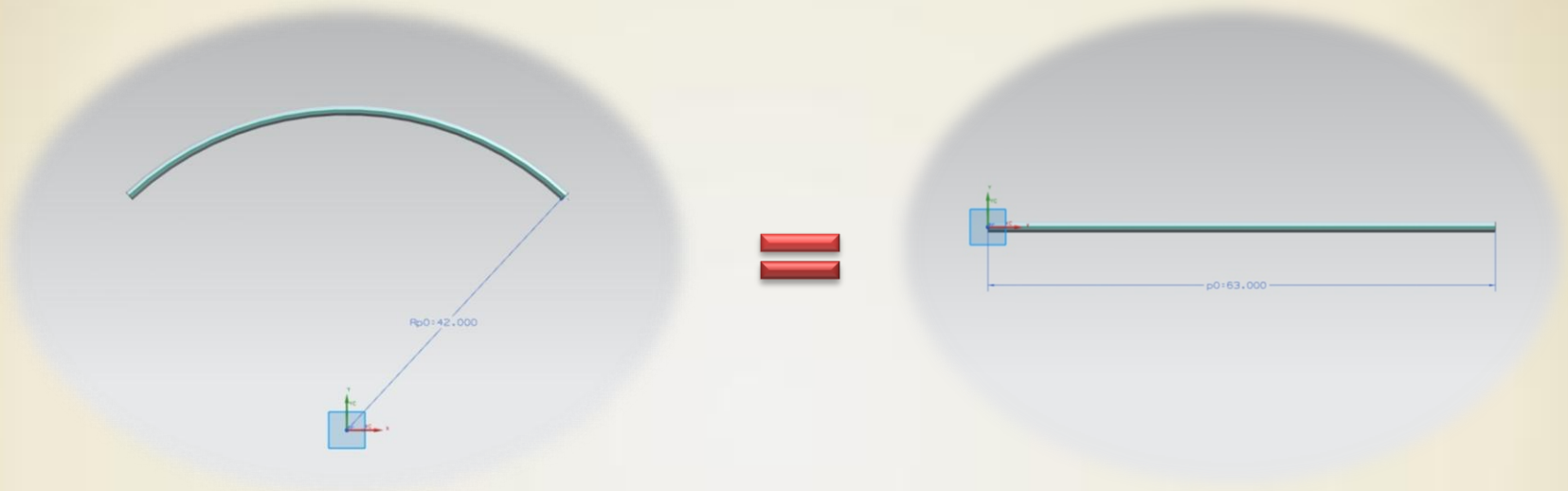
**E** is Young's modulus, which is equal to 28,000 ksi.

**P** is the concentrated load of the pipe and water with the valves.

**L** the original length of the pipe.

**I** is the minimum of the moment of inertia.

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**VERIFIED!!!**

# Straight Pipe

## Horizontal

- 80(upper),60(lower) Inches
- 2 supports (upper) hangers  
1 support (lower) U-bolt

## Vertical

- 140 inches
- 2 supports (U-bolt)

Stress

$$\sigma_{max} = \frac{Mc}{I}$$

Deflection

$$\delta = \frac{Pl^3}{48EI}$$

satisfy **2** verifications

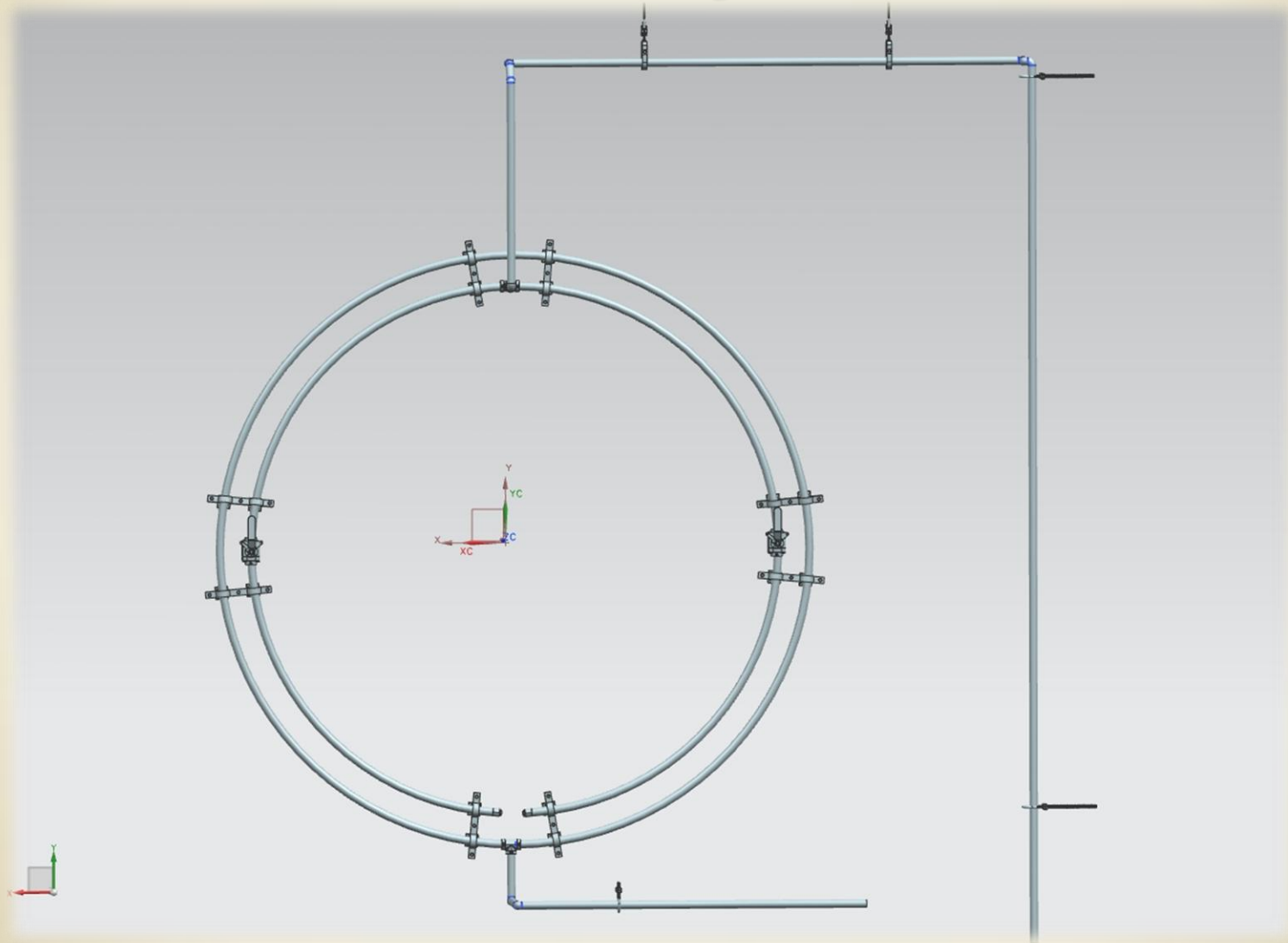
Longitudinal Stress

$$\sigma = \frac{PD}{2t}$$

satisfies para. 902.3.2(d)



# Whole System



**Thank you very much!**