Field wire installation for "Celeborn" is finished



ρ^0 background in the CPP experiment

 Resonant ρ⁰ term: Relativistic p-wave Breit-Wigner, originally derived by J.D. Jackson. Used in the CPP proposal development. Used by Bulos, McClellan, Alvensleben #2 & #5, and Breitweg (Zeus):

$$\begin{split} \Gamma &= \Gamma_0 \frac{m_{\rho}}{m_{\pi\pi}} \left[\frac{m_{\pi\pi}^2 - 4m_{\pi}^2}{m_{\rho}^2 - 4m_{\pi}^2} \right]^{3/2} = \Gamma_0 \frac{m_{\rho}}{m_{\pi\pi}} \left(\frac{k_{cm}}{k_{cm@\rho^0}} \right)^3 \\ \frac{dN}{dm_{\pi\pi}} (m_{\pi\pi})_{RES} &= \frac{m_{\rho} m_{\pi\pi} \Gamma}{\left(m_{\rho}^2 - m_{\pi\pi}^2\right)^2 + m_{\rho}^2 \Gamma^2} \end{split}$$

• Plot $dN/dm_{\pi\pi}$ divided by the relativistic 2-body phase space:

phase - space =
$$4\pi p_{cm}^2 \frac{dp_{cm}}{dm_{\pi\pi}} = \frac{\pi}{2} \left(m_{\pi\pi}^2 - 4m_{\pi}^2 \right)^{1/2} m_{\pi\pi}$$

Relativistic Breit-Wigner





0.8 1 1.2 M_{mm} (GeV) - Non-resonant backgrounds: Breitweg (Zeus) assumes a constant background term that's coherent with ρ^0 electro-production, and an incoherent background

$$\frac{dN}{dm_{\pi\pi}} = \left| \frac{\sqrt{m_{\pi\pi}m_{\rho}\Gamma}}{m_{\rho}^{2} - m_{\pi\pi}^{2} + im_{\rho}\Gamma} + \frac{B}{A} \right|^{2} + C(1 + 1.5m_{\pi\pi})$$

$$\frac{dN}{dm_{\pi\pi}} = \frac{m_{\pi\pi}m_{\rho}\Gamma}{\left(m_{\rho}^{2} - m_{\pi\pi}^{2}\right)^{2} + m_{\rho}^{2}\Gamma^{2}} + 2\frac{B}{A} \frac{\sqrt{m_{\pi\pi}m_{\rho}\Gamma}}{\left(m_{\rho}^{2} - m_{\pi\pi}^{2}\right)^{2} + m_{\rho}^{2}\Gamma^{2}} \left(m_{\rho}^{2} - m_{\pi\pi}^{2}\right) + \left|\frac{B}{A}\right|^{2} + C(1 + 1.5m_{\pi\pi})$$
Non-reconstructions

Non-resonant backgrounds



- On a nuclear target would expect the incoherent term C to scale relative to coherent $\rho \rightarrow \pi\pi$ as $\approx 1/A$: incoherent term will be small on ²⁰⁸Pb, and we'll neglect it here.
- Breitweg assumed that B/A is a constant, independent of $m_{\pi\pi}$. This can't be correct at low $m_{\pi\pi}$. Based on what we saw for the p-wave Breit-Wigner, make the following assumption,

$$B_A \propto p_{cm}^N \times \sqrt{phasespace}$$

with N=0, 1, 2, ... Fix the amplitude at the ρ^0 peak to be B/A = 0.7 GeV^{-1/2}

$$B_{A}(m_{\pi\pi}) = 0.7 GeV^{-\frac{1}{2}} \left(\frac{p_{cm}}{p_{cm@\rho}}\right)^{N} \sqrt{\frac{phasespace}{phasespace@\rho^{0}}}$$



0.0001

N=0



N=1







N=2









Comments on the N=0 case:

- This corresponds to a constant matrix element with no dynamics
- Seen in a few cases in low/medium energy nuclear physics, noted as contact interactions, spin operator interactions
 - i. Nuclear beta decay
 - ii. Kroll-Ruderman term in charged pion photoproduction $\gamma p \rightarrow \pi^+ n$
- Is contact interaction in $\gamma A \rightarrow \pi^+ \pi^- A$ on a spin-zero nucleus physical ?